READY RECKONER:

OR

WILLCOLKES'S AND FRYER'S

NEW AND MUCH ADMIRED SYSTEM

OF

ARITHMETIC

AND

MENTAL CALCULATIONS.

REPRINTED FROM THE ENLARGED EDITION OF THE REV. JAMES
WADDELL, PRINCE EDWARD ISLAND, AND IMPROVED
BY SOME ADDITIONS.

This novel and useful Treatise contains a great variety of excellent and illustrative rules. by which the student is enabled to make all the calculations necessary for every kind of business, frequently in less than one tenth the time and figures usually employed. It is peculiarly adapted to Bankers, Merchants, Tradesmen, &c., and is of the greatest importance to all classes, being the most simple and easy System of Arithmetic, that could be devised for the use of all scholastic establishments. The publishers have submitted it to the examination of such gentlemen as they considered most competent to judge of its real value, and they have made trial of it by giving private lectures to upwards of two thousand pupils, and from all they have received testimonials, expressive of unqualified approbation.

PUBLISHED BY D. M'MILLAN, ST. JOHN, N. B.

1839.

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ADVERTISEMENT.

The publisher is persuaded that no apology is necessary for his endeavouring to give, by a new edition, increased circulation to this work, since its merit and utility are sufficiently established, as well by the approval of experienced and competent judges, as by the commendation of so distinguished an authority as our intelligent Governor, His Excellency Sir John Harvey.

Saint John, N. B. 1839.

To His Excellency Major General Sir Sir JOHN HARVEY,

K. C. H. & C. B. Lieutenant Governor and Commander in Chief, in and over His Majesty's Island Prince Edward, and its Dependencies, Chancellor, Vice Admiral and Ordinary of the same, &c. &c. &c.

Sir,

The deep interest which you have manifested in the cause of education, since your accession to the government of this Colony—the judicious suggestions which you have made, for the improvement of the District Schools—the zeal with which you have cherished the infancy of the Central Academy—the promptitude with which you have exerted your influence, to extend its operations—and the kind condescension which you have displayed, in countenancing my feeble efforts for its advancement—all, incite me to submit for your approval the accompanying Manual of Arithmetic, and to solicit your patronage for a reprint, with additions, now in course of publication, for the use of this Institution.

I have the honor to be, Sir,

Your most obedient and

Most humble servant,

JAMES WADDELL

Central Academy, March 8th, 1837.

GOVERNMENT HOUSE, March 15th, 1837.

REVEREND SIR,

I have looked through the "Manual" you sent me, illustrative of the process of "Mental Arithmetic"—and more immediately applicable to Mercantile calculations—with much interest. I certainly never before met with any publication, so well deserving the appellation of "Ready Reckoner," as this work. Its few and simple rules might well be denominated golden, as their perfect and easy acquisition cannot fail to confer upon the acquirer, so much facility and accuracy of calculation—so necessary for the successful management of business—as a whole life spent without the aid of such lights, as this little volume appears to me calculated to afford.

You have my free permission to use my name, in support of your 'reprint' or compilation, in any way which you may think proper—and, I avail myself of this occasion, to congratulate the Central Academy, upon the acquisition of a class book, put forth in so complete a shape, and upon such moderate terms—the merit of which, I am persuaded, only requires to be extensively known, to cause its general adoption throughout not only this, but the surrounding Colonies.

I remain, dear Sir,

Your very faithful servant,

J. HARVEY.

The Rev. James Waddell, Central Academy. CENTRAL ACADEMY, Charlottetown, Jan. 6th, 1837.

The Trustees and Governors of the Central Academy having already witnessed with much pleasure the working of the system of Mental Arithmetic recently introduced into this Institution, and having approved of "Colburn's First Lessons," as a valuable class-book, rejoice in the opportunity offered them of adopting Willcolkes's and Fryer's admirable and practical system of Arithmetic, as a sequel to that initiatory work. It is therefore—

ÖRDERED, That it be entered as a standing class-book in the Central Academy—that every facility be afforded to the publication of a reprint for that purpose—and that it be recommended for general adoption in all the District Schools.

By order of the Trustees.

JOHN LAWSON, Vice President and Secretary.

The attention of the Board of Education having been this day called to a new and improved system of practical Arithmetic, about to issue from Mr. Hazard's press, for the use of the Central Academy—they most heartily concur in recommending it to the immediate use of the various District Schools throughout the country, and to the patronage of the public at large.

By Order of the Board.
ALEX. BROWN, Secretary.

Charlottetown, 7th March, 1837.

PREFACE.

To say that the genius of innovation has of late years encroached upon the most popular systems of education, and introduced, in many instances, entirely new arrangements into the best regulated Seminaries-or, to state that new literary institutions have sprung into existence, threatening to eclipse the old, if not to cast them entirely into the shadewould be, to furnish no information to those who have given to the subject the most cursory attention; and to excite little interest in ordinary minds. But, to tell that the march of improvement has extended to ourselves—to announce, from our own press, the publication of a class-book, for the special benefit of so infantile and humble a Seminary as the "Central Academy," Charlottetown-above all, to pretend to something novel, in the mode of treating a subject so frequently and so thoroughly illustrated, and so perfectly understood, as the first principles of Arithmetic have been long supposed to be-will, it is presumed, arrest attention, if it do not excite surprise. That an institution of so unpretending a character, should, in this respect, so early, take the precedence of all other Seminaries in these Colonies, will be remarked as somewhat singular, and the inquiry will naturally be suggested: How has it occurred? In reply, it is not necessary to furnish a history of the origin and progress of the Academy itself—nor to recount the biography of the authors of that system of Arithmetic which it has adopted. Of the former, it is sufficient to remark, that its charter is liberal, and its terms moderate, that its curriculum of elementary instruction, is designed to be conducted, as far as practicable, upon the most modern and improved plans; and of the latter, that in their native country, they have reaped the reward of their labours, both in the way of emolument and fame.

The study of Intellectual Arithmetic had attracted the Editor's attention, previous to his appointment to this institution. He had introduced it, several months before, into the grammar school under his charge, in his native village—Truro, Nova Scotia—where he had tested its utility and proved its advantages over the ordinary routine of common arithmetical calculations, and whence he had been instrumen-

tal in extending it to other similar establishments. After entering uppn his present charge, no time was lost in bringing it under the notice of the Trustees and Governors of the The first specimens of its practical ope-Central Academy. ration, produced an effect which corresponded with the enlightened views and public spirit of that body, and a desire was expressed that it should be extensively cultivated. burn's first lessons in Intellectual Arithmetic"—an admirable initiatory work, which should always precede and prepare for the successful use of the present volume, was immediately confirmed, as an academical class-book; and it became a desideratum to have it succeeded by some approved British publication, in which the tables of money, weights and measures, might correspond with our own; and in which clear and concise rules for the solution of practical questions, adapted to our own modes of business, might be expected to occur.

The desideratum was subsequently supplied by the kind agency of a literary friend, who had brought with him recently from England, a copy of "Willcolkes' and Fryer's" admirable work; and for it, the Editor takes this opportunity to tender to him his cordial thanks.

The high price of that production, rendered an extensive importation of it almost impracticable, while its intrinsic excellence made it exceedingly desirable that its general use in the Academy should, if possible, be secured. Under these circumstances, depending, in some measure, upon the merit of the work itself—confiding in the influential patronage of our worthy Governor, His Excellency Sir John Harvey, who had declared himself a warm friend to general education—and having the encouragement of all officially employed in directing the management of elementary instruction in the Island, Mr. Haszard was induced, with a degree of enterprise, which reflects upon him the highest credit, to undertake, under the supervision of the Academy, to furnish a reprint, not only for the use of that institution, but for more general circulation.

To render the work still more complete, several valuable rules and examples upon the descending scale, have been added from "Richson's Mental Arithmetic"—a more elaborate, but very useful work—and thus is obtained, at a price far below the cost of either of the originals, perhaps the most full, yet concise system of practical Arithmetic, which has yet appeared.

Were it necessary to advance more in favour of its merits, than the appended documents contain, many pages of laudatory testimonials might be supplied from the English copy. A slight examination, however, will suffice to secure for it the approbation of practical arithmeticians, and not only will Schools and public Seminaries profit by its adoption, but every man of business will find it advantageous to introduce it to his office.

The rules and illustrations are so plain as to be easily comprehended,* and the modes of operation are admirably calculated to engage the attention—stimulate the activity—and develope the resources of the juvenile mind.

The design and plan of the original work are thus stated by the publishers themselves:—

"Part of the design of the following work is to supply what is principally wanted—an Arithmetic for Tradesmen. It appears evident that youths who are completed in Arithmetic in the ordinary way, stand in need of a much shorter method to enable them to enter a bank, or a counting-house, or to fill a situation behind a counter, and oftentimes it happens that persons who are engaged in traffic, experience the want of previous instruction, and find themselves obliged on occasion to have recourse to others, or the tedious and uncertain operations of the school-boy's method. An acquaintance with this simple and admirable plan (which can be obtained in a very short time) would entirely remove the difficulties under which such persons labour."

"The Plan undertaken is to comprehend in this one volume, the several Branches of Commercial Arithmetic, and to show the most compendious and ready methods of performing the calculation proper to each respectively."

"The publishers flatter themselves, the Rules given, with the Examples for calculating civis. qrs. and lbs. at the various prices annexed to them per lb. will give the same degree of satisfaction that it has in no case failed to do, to the vast numbers who have made a trial of it. They also trust that

^{*} Perhaps the exposition of the rule for the calculation of Interest at Six per cent. page 47, might be rendered more intelligible. The interest of a pound for a month having been shewn to be a penny and a fifth, the pounds of the principle multiplied by the number of months, during which it has been at interest, will yield a product corresponding to so many pence and so many fifths of a penny. Then, as one penny and a fifth are one-tenth of a shilling, to divide by ten (cut off the unit figure) will obtain a quotient corresponding to shillings, and a remainder (if any) equal to so many tenths of a shilling, or, so many times a penny and a fifth.— ΓD .

the peculiarly short and simple method of ascertaining the average price and total amount of various goods, purchased at different prices, will be found extremely useful. By that method both are discovered with ease and simplicity; while in the ordinary way of working, such calculations are well known to occupy a great length of time and great number of figures—Interest is the next thing that presents itself to our notice; and the great satisfaction the Rules respecting it have given, and the value in which they are held by those who have tried the System, will be best found by referring to the numerous testimonials, in which the brevity and accuracy of the method contained in those Rules are especially commended."

"This work differs in the following respect from most treatises on Arithmetic—they are generally printed in two books, the one containing the Questions, the other the Solutions or Key to them. We however have introduced into this one book the Questions and also Solutions and Explanations so clear and explicit that no one can have any difficulty in thoroughly comprehending them. It is hoped therefore that the price charged will be considered reasonable."

Central Academy, 18th March, 1837.

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UNPRECEDENTED SYSTEM

OF

ARITHMETIC

AND

MENTAL CALCULATIONS.

FIRST GENERAL RULE.

To know the Amount of any Number of yards, lbs. gallors, stones, ells, or any other article, requiring to be made up at any given pence, from $\frac{1}{4}d$. to $11\frac{3}{4}d$. both inclusive.

Find the amount of the Number of yards, lbs. gallons, &v. at one penny, and multiply it by the price; when a farthing occurs with any number of given pence (as $3\frac{1}{4}d$. $4\frac{1}{2}d$. or $9\frac{3}{4}d$. &c.) add one quarter, or $\frac{1}{4}$, of what it amounts to at one penny. When a half penny occurs with any given pence, add half the amount of what it comes to at one penny, and when a farthings occur, add three quarters of what it amounts to at one penny, which may be done in one or two lines, as the Student shall think fit.

The reason of this Rule is so obvious, that giving any further explanation than the Rule and Examples themselves contain would be superfluous; the desire of the Publisher to make the System throughout, perfectly intelligible to persons of ordinary capacity, he trusts will be a sufficient apology for introducing at the beginning of each Rule, particularly the first, examples so very simple: they may rest assured that every thing that can be useful shall present itself as they proceed.—All have not the same powers of comprehension.

A variety of examples by both methods are here laid down in the following

EXAMPLES.

What will 36 lbs. cost at 11d. per lb?

36 at 1 penny equal to 2s.

multiplied by 11

£1 13 Ans.

What will 96 yards of any article come to at 7d. per yard?
96 at one penny=8s.
multiplied by 7

£2 16 Ans.

What will 24 stones come to at 10d. per stone ? 24 at one penny = 2s.

10

£1 Ans.

What will 108 gallons come to at 5d. per gallon?

9s. at 1 penny.

5

____ £2 5 Ans.

What will 48 lbs. come to at 9d. per lb?

4s. at 1 penny,

9

£1 16 Ans.

What will 120 ells come to at 10d. per ell?

10s. at 1 penny.

10

£5 Ans.

What will 60 yards come to at 8d. per yard?

5s. at 1 penny.

8

£2 Ans.

What will 132 gallons come to at 11d. per gallon?

11s. at 1 penny.

11

£6 1 Ans.

What will 72 lbs. come to at 7d. per lb?

6s. at 1 penny.

7

£2 2 Ans.

OF ARITHMETIC

What will 144 quarts come to at 5d. per quart?

12s. at 1 penny.

5

£3 Ans.

What will 29 ounces come to at 9d. per ounce? 2s. 5d. at 1 penny.

£1 1 9 Ans.

What will 55 come to at 7d. each ?

4s. 7d. at 1 penny.

£1 12 1 Ans.

What will 68 come to at 10d. each ?
5s. 8d. at 1 penny.
10

£2 16 8 Ans.

What will 87 pints come to at 11d. per pint?

7s. 3d. at 1 penny.

11

£3 19 9 Ans.

What will 99 stones come to at 8d. per stone?

8s. 3d. at 1 penny.

8

£3 6 0 Ans.

What will 1 cwt. = 112 lbs. come to at 9d. per lb?

9s. 4d. at 1 penny.

£4 4 0 Ans.

What will 119 lbs. come to at 7d. per lb.?
9s. 11d. at 1 penny.

£3 9 5 Ans.

What will 133 lbs. come to at 11d. per lb.? 11s. 1d. at 1 penny. 11

£6 1 11 Ans.

What will a pipe = 126 gals. come to at 9d. per gallon? 10s. 6d. at 1 penny.

£4 14 6 Ans.

What will 154 yards come to at 5d. per yard? 12s. 10d. at 1 penny. 5

£3 4 2 Ans.

What will 171 yards come to at 8d. per yard? 14s. 3d. at 1 penny. 8

£5 14 0 Ans.

What will 189 lbs. come to at 11d. per lb. ! 15s. 9d. at 1 penny. 11

> £8 13 3 Ans.

What will 199 come to at 7d. each? 16s. 7d. at 1 penny.

£5 16 1 Ans.

What will a tun = 252 gal. come to at 10d. per gallon? £1 1 0 at 1 penny. 10

£10 10 0 Ans.

What will 40 weeks come to at 7d. per day? 280 = £1 3 4 at 1 penny.

£8 3 4 Ans.

What will 50 weeks = 350 days come to at 10d. per day ? £1 9 2 at 1 penny.

£14 11 8 Ans.

What will a leap year of 366 days come to at 11d. per day? $\pounds 1$ 10 6 at 1 penny.

£16 15 6 Ans.

What will 560 lbs. of sugar cost at 7d. per lb. £2 6 8 at 1 penny.

£16 6 8 Ans.

What will 980 yards of calico cost at 10d. per yard ? $\pounds 4 - 1 - 8$ at 1 penuy.

±40 16 8 Ans.

What will 999 gallons come to at 9d. per gallon ? $\pounds 4 - 3 - 3$ at 1 penny.

£4 3 3 at 1 penny. 9

£37 9 3 Ans.

When quarters, halves, or three quarters, occur in the quantity, make them up with the yards, at the rate of 1 penny per yard, viz. for a quarter of a yard reckon $\frac{1}{4}d$., for half yard, add $\frac{1}{2}d$. &c. see

EXAMPLES.

What will 42½ yards cost at 4d. per yard?

3s. $6\frac{1}{2}d$. at 1 penny.

s 14 2 Ans.

What will 65½ come to at 8d. each?

5s. $5\frac{1}{4}d$. at 1 penny.

8

£2 3 6 Ans.

What will $87\frac{3}{4}$ ounces come to at 3d. per ounce ? 7s. $3\frac{3}{4}d$. at 1 penny.

£1 1 $11\frac{1}{4}$ Ans.

What will $99\frac{3}{4}$ come to at 8d. each ?

8s. $3\frac{3}{4}d$. at 1 penny.

£3 6 6 Ans.

What will $112\frac{1}{2}$ come to at 10d. each ?

9s. $4\frac{1}{2}d$. at 1 penny. 10

£4 13 9 Aus.

What will $126\frac{1}{4}$ ounces come to at 7d. per ounce? 10s. 6\frac{1}{4}d. at 1 penny.

£3 13 7\frac{3}{4} Ans.

What will $140\frac{3}{4}$ yards come to at 10d. per yard? 11s. $8\frac{3}{4}d$. at 1 penny.

10

£5 17 31 Ans.

What will 48 lbs. come to at $7\frac{1}{4}d$. per lb?

48 at 1 penny = 4s.

£1 9 0 Ans.

Here we multiply the 4s. (what it comes to at 1d.) by 7, and add in the quarter of 4s. what it comes to at $\frac{1}{4}d$.

What will 60 lbs. come to at $5\frac{1}{2}d$. per lb?

60 at 1 penny = 5s.

£1 7 6 Ans.

What will 72 lbs. come to at $9\frac{3}{4}d$. per lb?

72 at 1d = 6s.

Here the 6s. what it comes to at 1 penny, is multiplied by 9, and the 3 quarters of 6s. added in, what it comes to at \(\frac{3}{4}d. \) equal

£2 18 6 Ans.

to 4s. 6d.

What will S4 gallons come to at 11 $\frac{1}{2}d$. per gallon? 84 at 1 penny = 7s. £4 0 6 Ans. What will 96 *lbs*. come to at $10\frac{3}{4}d$. per *lb*? 96 at 1 penny = Ss. 10골 £4 6 Ans. What will 108 lbs, come to at $2\frac{9}{3}d$. per lb? 108 at 1 penny = 9s. The 3 quarters of 9s. $2\frac{3}{1}$ being 6s. 9d. is added £1 4 9 Ans. What will 52 yards come to at $6\frac{1}{2}d$. per yard? Here in multiplying 4s. 4d. 4s. 4d. (what it comes to at 1d.) 2s. 2d. $6\frac{1}{2}$ what it comes to at $\frac{1}{2}d$. is £1 8 2 Ans. brought in. Or thus, in two lines, 52 at 1d = 4s. 4d. £1 6 0 at 6d. 2 2 at $\frac{1}{2}d$. £1 8 2 Ans. The young pupil may find the way of doing it in two lines, the easiest to be understood. What will 144 stones cost at $7\frac{3}{4}d$. per stone? 144 at 1 penny = 12s. £4 13 0 Ans. What will 56 lbs. come to at 7\frac{1}{4}d. per lb? 56 at 1 penny = 4s. 8d. 1s. 2d. at $\frac{1}{4}d$. to bring in. 71 £1 13 10 Ans. What will 64 lbs. come to at 8\frac{3}{2}d. per lb? 64 at 1 penny = 5s. 4d.

£2 6 8 Ans.

4s. to bring in.

What will 78 yards come to at 10½ per yard?

78 at 1 penny = 6s. 6d.

 $10\frac{1}{4}$

1s. $7\frac{1}{2}$ to bring in.

£3 6 7½ Ans.

What will 90 yards come to at 113d. per yard?

90 at 1 penny = 7s. 6d.

5s. $7\frac{1}{2}d$. to bring in.

£4 8 11 Ans.

What will 99 yards come to at S_2^1d . per yard?

99 at 1 penny = 8s. 3d.

4s. $1\frac{1}{2}d$. to bring in.

£4 10 13 Ans.

What will $50\frac{1}{2}$ yards come to at $4\frac{1}{2}d$. per yard?

 $50\frac{1}{2}$ at 1 penny = 4s. $2\frac{1}{2}d$.

2s. $1\frac{1}{4}d$. to bring in.

s. 18 11\frac{1}{4} Ans.

Or thus, in two lines:

4s. $2\frac{1}{2}d$. at 1d.

16 10 at 4d. 2 $1\frac{1}{4}d$. at $\frac{1}{2}d$.

s. 18 114 Ans.

What will $52\frac{3}{4}$ yards come to at $6\frac{1}{2}d$, each ?

52\frac{3}{4} at 1 penny = 4s. $4\frac{3}{4}d$.

2s. $2\frac{3}{8}d$. to bring in, being the amount at 1d

the amount at $\frac{1}{2}d$.

£1 8 67 Ans.

Or thus:

4s. $4\frac{3}{4}d$. at 1d.

6 $4\frac{1}{2}$ at 6d. 2 $2\frac{3}{8}$ at $\frac{1}{2}d$.

£1 8 67 Ans.

What will 641 yards come to at 103 per yard?

 $5s. 4\frac{1}{4}d.$ 103

4s. 0₁₆d. at $\frac{3}{4}d$. to bring in.

£2 17 611

What will
$$1960\frac{1}{2}$$
 yards come to at $11\frac{1}{4}d$. per yard?

£8 3
$$4\frac{1}{4}$$
 £2 0 $10\frac{1}{8}$ to bring in.

£91 17 118

What will 240 yards cost at 31d. per yard?

240 at 1d. per yard = £1
$$3_{16}^{1}$$
£3 1 3 Ans.

Note. The quantity at 1d. per yard is found to be £1, which is multiplied by the pence of the price, and the $\frac{1}{16}$ of the price at 1d being taken for the $\frac{1}{16}$.

What will 489 yards of cotton goods cost at $7_{16}^{3}d$. per yard?

$$\frac{£2}{7_{16}^{3}}$$
 7s, 6d at $_{16}^{3}d$. to bring in. £14 7 6 Ans.

What will 963 yards cost at 813d. per yard?

960 at
$$1d = £4$$
 S_{16}^{13}
 $£3$ 5 to bring in.

Price of 960 yds. = 35 5
3 at
$$8_{16}^{13}d$$
. = 2 2_{16}^{7}
£35 7 2_{16}^{7} Ans.

SECOND GENERAL RULE.

A Rule to know the Amount of any number of yards, ells, stones, lbs, gallons, quarts, &c. &c. at any given shillings per yard, &c. &c.

Find the amount at one shilling and multiply it by the price?

Should 3 pence occur in the price, add one quarter of what it amounts to at a shilling; if 4 pence, add one third; if 6 pence add half; if 9 pence, add three quarters at what it amounts to at a shilling.

Should the pence in the price not be an aliquot part of a shilling, find for the shillings by this Rule, and for the pence by the Rule for pence, which amounts add together,

EXAMPLES

to the foregoing Rules.

What will 31 yards come to at 3s. per yard?

31 at 1 shilling = £1 11

multiplied by 3

£4 13 Ans.

What will 47 yards come to at 7s. per yard?

47 at 1 shilling = £2 7

7

£16 9 Ans.

What will 55 yards cost at 9s. per yard?

55 at 1 shilling = £2 15

9 £24 15 Ans.

What will 71 galls. come to at 11s. per gallon?
71 at 1 shilling = £3 11
11

£39 1 Ans.

What will 89 yards come to at 12s. per yard?

89 at 1s. = £4 9

9 This and others of a similar nature can be done by another method, which shall be ex-

£53 8 Ans. plained as we proceed.

What will 98 gallons come to at 11s. per gallon?

£4 , 18

Ans. £53 15

In introducing fractional parts of a yard, lb. &c. in the quantity, when the price is shillings per yard, reckon the quarter as 3 pence, the half as 6 pence, and the 3 quarters as 9 pence, as the following examples will explain.

What will 47½ yards cost at 5s. per yard?

 $47\frac{1}{4}$ at 1 shilling = £2 7 3

5

Ans. £11 16 3

```
What will 694 yards cost at 11s. per yard?
        69 at 1 shilling = £3 9
                                     11
                            £38
                                  4
                                     6 Ans.
What will 853 gallons cost at 9s. per gallon?
        85\frac{9}{4} at 1 shilling = £4
                                      9
                          £38
                                 11
                                      9 Ans.
What will 111\frac{1}{4} lbs. come to at 8s. per lb.
           at 1 shilling = £5
                                      8
                          £44
                                 10
                                     0 Ans.
What will 129\frac{1}{2} oz. come to at 12s. per oz.?
            at 1 shilling = £6 9 6
                                     12
                          £77
                                 14 0 Ans.
What will 1853 st. come to at 7s. per st.?
             at 1 shilling = £9 5
                                      7
                            £65
                                  0
                                      3 Ans.
What will 365\frac{1}{2} lbs. come to at 13s. per lb.
     365\frac{1}{2} at 1 shilling = £18
                                     13
                         £237
                                 11
                                      6 Ans.
What will 5403 yards cost at 16s. per yard?
            at 1 shilling = £27
                                     16
                         £432
                                 12
                                      0 Ans.
What will 661% yards come to at 6s. per yard?
```

at 1 shilling = £33 1 $\frac{11}{6}$ $\frac{1}{8}$ of a yard at 1s. per yard is $\frac{11}{2}$ d.

What will 664§ gallons come to at 7s. per gallon? at 1 shilling = £23 4 $\frac{71}{2}$ $£232 12 4\frac{1}{2} Ans.$

What will 722\frac{7}{2} yards come to at 8s. per yard?
at 1 shilling = £36 2 10\frac{1}{2}
8

£289 3 0 Ans.

What will 80 yards come to at 4s. 3d. per yard? 80 at 1 shilling $= \pounds 4$ $4\frac{1}{4}$

£17 Aus

Here 3d. being the $\frac{1}{4}$ of a shilling, the quarter of £4, what it comes to at 3d. is added when multiplying by the price.

What will 100 gallons come to at 5s. 6d. per gallon?

100 at 1 shilling = £5 51

What will 120 lbs. come to at 6s. 6d. per lb. 120 at 1 shilling = £6

£39 Ans.

What will 140 yards cost at 11s. 6d. per yard?

at 1 shilling £7

£80 10 Ans.

What will 160 oz. come to at 5s. 3d. per oz. ? at 1 shilling = £8

 $\frac{54}{\pounds 42}$ Ans.

What will 180 lbs. cost at 12s. 9d. per lb. at 1s. = £9
Here 9d. being the 3 quarters of a shilling, £6 15s., is added in, being the 3 quarters of what it comes to at 1 the 15 dry of the 3 quarters of what it comes to at 1 the 15 dry of the 15s.

£114 15 Ans. shilling.

What will 200 gallons come to at 4s. 4d. per gallon? at 1s = £10 Here 4d. being the third of a shilling, the third of £10 is added in.

What will 220 gallons come to at 11s. 3d. per gallon? at 1 shilling $= \pounds 11 \quad 0$ $11\frac{1}{4}$ £123 15 Ans.

What will 240 yards come to at 11s. 9d. per yard? 240 at 1 shilling = £12 $\frac{11\frac{3}{4}}{--}$

£141 Ans.

What will $44\frac{1}{2}$ yards come to at 8s. 6d. per yard? at 1 shilling = £2 4 6 £1 2 3 to bring in. £18 18 3 Ans.

What will $69\frac{3}{4}$ yards cost at 5s. 6d. per yard? at 1 shilling = £3 9 9 £1 14 $10\frac{1}{2}$ to $5\frac{1}{2}$ bring in.

£19 3 $7\frac{1}{2}$ Ans.

What will 88½ yards cost 11s. 3d. per yard? at 1 shilling = £4 8 3 £1 2 $0\frac{3}{4}$ to bring in. $11\frac{1}{4}$

 $\frac{1}{£49}$ 12 9 $\frac{3}{4}$ Ans.

What will $91\frac{1}{2}$ yards cost at 7s. 9d. per yard? at 1 shilling = £4 11 6 £3 8 $7\frac{1}{2}$ to bring in. $\frac{7\frac{3}{4}}{2}$ £35 9 $1\frac{1}{2}$ Ans.

What will $125\frac{3}{4}$ gallons cost at 11s. 4d. per gallon? at 1s. = £6 5 9 2 1 11 to bring in $\frac{11\frac{1}{3}}{£71 - 5 - 2} Aus.$

Such as the above may be done by another method, which shall be explained as we proceed.

What will 72 yards cost at 7s. 7d. per yard? at 1s = £3 12 6s, at 1d. 7 7 £27 6 Ans. £2 2 to bring in. What will 84 gallons cost at 9s. 5d. per gallon?

at 1s. £4 4 7s. at 1d.

9 5

£39 11 Ans.
£1 15 to bring in.

What will 96 oz. cost at 7s. 10d. per oz.? at 1s. = £4 16 8s. at 1d. 7 10 £37 12 Ans. £4 0 to bring in.

What will 108 lbs. cost at 9s. $5\frac{1}{2}d$. per lb.? at 1s. = £5 8 9s. at 1d. $\frac{9}{£51 \quad 1 \quad 6 \text{ Ans.}} \frac{5\frac{1}{2}}{£2 \quad 9 \quad 6 \text{ to bring in.}}$

What will 120 gallons come to at 11s. $7\frac{3}{4}d$. per gallon? at 1s. = £6 10s. at 1d. $\frac{7\frac{3}{4}}{2}$ £69 17 6 Ans. £3 17 6 to bring in.

What will 144 yards cost at 13s. $10\frac{3}{4}d$. per yard?

at 1s. = £7 4

12s. at 1d.

10 $\frac{3}{4}$ £100 1 Ans.

£6 9 0 to bring in.

What will $150\frac{1}{2}$ gallons come to at 5s. 5d. per gallon? at 1s. = 7 10 6 12s. $6\frac{1}{2}d$. at 1d. 5 5 £3 2 $8\frac{1}{2}$ to bring in.

What is the price of $140\frac{1}{2}$ gallons at 17s. 1d. per gallon? at 1s. = 7 0 6 11s. $8\frac{1}{2}d$ to bring in.

£120 0 $2\frac{1}{2}$ Ans.

What will 80 yards come to at 14s. per yard? 80 at 1s = £4

£56 Ans.

In this and the following Sums a great many figures may be saved, by multiplying the Shillings of the price by the number of £ that the quantity amounts to at 1s, which brings out the Answer in £.

What will 120 yards come to at 23s. per yard?

120 at 1s. \pm £6

£138 Ans.

What will 140 yards come to at 27s, per yard?

140 at 1s. = £7

£189 Ans.

What will 160 gallons come to at 33s, 6d, per gallon? 160 at 1s, \pm £8

£268 Ans.

In this Question 6d. has been introduced, for which £4 is added in, because 160 at 6d. amounts to £4.

What will 180 yards come to at 37s. 3d. per yard?

180 at 1s. \pm £9

£2 5 the $\frac{1}{4}$ of £9 to bring in.

£335 5 Ans.

What will 200 yards come to at 39s. 4d. per yard?

200 at 1s. \pm £10

£3 6 8 the $\frac{1}{3}$ of £10

to bring in.

£393 6 8 Ans.

When the price is any even number of Shillings-

Rule.—Multiply the quantity by half the Shillings, double the out side or unit figure for Shillings, and let the other stand for \pounds which will give the answer required.

EXAMPLES.

What would 123 yards cost at 12s. per yard?

6 equal to half of 12.

£73 16 .Ans.

D

It is evident by this Rale, that instead of multiplying by the number of Shillings, and dividing by 20 (which is the usual way) we multiply by half the number of shillings and divide by 10, which is in fact done by the above and following operations. It becomes more advantageous when the price gets above 12s.

Suppose 147 yards at 14s. per yard.

 $7 = \frac{1}{2}$ of 14.

£102 18 Ans.

What will 347 yards come to at 16s. per yard?

347 8

£277 12 Aus.

Here the $\frac{1}{2}$ of 16 is 8, which being placed under the 347, say 8 times 7 are 56, double the 6, which makes 12, put it down for shillings and carry 5; then 8 times 4 are 32, and 5 to carry are 37, put down 7 and carry 3; then 8 times three are 24, and 3 are 27, making £277 12s.

Should the price not be even, multiply ½ the quantity by all the shillings, and double the unit figure as before.

as 342 at 17s.
171
17
£290 14 Aus.

Or, multiply 342 by S, doubling the unit figure, which gives the price at 16s.; then for 1s. per yard difference, add £8 11s. the amount at 1s.

thus, 342 8		or, 456 at 24s.
273 12 a 17 2 a		156 12
£290 14 A	Ins.	£187 4 Ans,

Another method by which may be found the amount of many articles in a short and simple manner, as follows—

RULE. Consider the pence in the price of one Article as shillings, by which you have the price of twelve articles, which being multiplied by the number of dozens in the quantity, gives the total amount.

DEMONSTRATION.

When the pence in the price of one Article is converted into shillings, it is clear that you then have the amount of twelve Articles; that being multiplied by the number of twelves in the entire quantity, will give the total amount.

EXAMPLES.

What will 72 come to at 3s. 5d. each ? 3s. 5d = 41d.; as shillings $\pm £2$ 1 the price of one dozen.

£12 6 Ans.

It is multiplied by 6, because there are 6 doz. in 72. What will 84 come to at 12s. 10d. each? 12s. 10d. = 154d. as shillings = £7 14 for 1 doz.

£53 18 Ans.

What will 108 come to at 9s. $5\frac{1}{2}d$. each? 9s. $5\frac{1}{2}d = 113\frac{1}{2}d$.; as shillings = £5 13 6 for 1 doz.

£51 1 6 Ans.

What will 126 come to at 15s. $8\frac{3}{4}d$. each? 15s. $8\frac{3}{4}d$. = $188\frac{3}{4}d$.; as shillings = £9 8 9 10 $\frac{1}{4}$

£99 1 $10\frac{2}{2}$ Ans.

Here £9 8 9 the price of one dozen, is multiplied by 10½ because 126 are equal to 10½ dozen.

What will 147 gallons come to at 17s. $7\frac{1}{4}d$. per gallon? 17s. $7\frac{1}{4}d = 211\frac{1}{4}d$; as shillings = £10 11 3

£129 7 93 .1ns.

What will 25 hats be worth at 3s. 7d. each?

3s. 7d. = 43d.; as shillings = £2 3 the price of 1 doz.

2 3s. 7d. to take in.

£4 9 7 Ans.

Note. The 3s. 7d. taken in when multiplying, is for the difference between 24 (the quantity found when £2 2s. is multiplied by 2) and the given quantity, 25.

If the calculator prefer it, the overplus, afer multiplying by the proper figure, may be added. Thus:

Suppose 62 yards of cloth at 5s. 7d. per yard.

5s.
$$7d. = 67d.$$
; as shillings $= £3$ 7

5 dozen, giving the price of 60.

£16 15

11 2 The 2 deficient at 5s. $7d.$ each to Aus. £17 6 2 add, being 11s.

What will a chest of tea, containing 85 lbs., cost at 4s. $2\frac{1}{2}d$. per lb.?

4s. $2\frac{1}{2}d = 50\frac{1}{2}d$.; as shillings = £2 10 6 take in for 1 lb. $\frac{7}{4s} \cdot 2\frac{1}{2}d \cdot \frac{1}{2}d \cdot$

What will $96\frac{1}{2}$ lbs. of tea come to at 7s. $6\frac{3}{4}$ d. per lb.? 7s. $6\frac{3}{4}$ d. = $90\frac{3}{4}$ d.; as shill. = £4 10 9 3s. $9\frac{3}{8}$ d to take in for the $\frac{1}{2}$ lb. above the S doz. Ans. £36 9 $9\frac{3}{4}$ lbs.

If the quantity be under a certain number of dozens adopt the same system, observing to subtract the deficiency. Thus:

Suppose 71 yards of cloth at 7s. $10\frac{1}{2}d$. per yard. 7s. $10\frac{1}{4}d$. $=94\frac{1}{4}d$.; as shill. =£4 14 3

6 amount of 72.

28 5 6
7 10 1 deduct for 1 yd.
the deficiency.

Ans. £27 17 73

What will 142 yards come to at 11s. 23d. per yard? 11s. $2\frac{1}{8}d$. = $134\frac{1}{8}d$. = £6 14 1½ price of 12 yards. 12

> 6 price of 144; too much $4\frac{1}{4}$ by 2 to deduct = £1 -- 241. Ans. £79 7 13

What will 168 gallons of rum come to at 11s. 8\frac{3}{2}d. per gallon?

11s. 83d = 1403s or £7 0 43 £98 5 3 Ans.

The simplicity, accuracy and expedition of the foregoing, do not stand in need of comment, its practical utility being perfeetly conspicuous.

Rule for reducing cwts. qrs. and lbs. to lbs.—First put down the number of cwts., to the right of them place the number of lbs. contained in the grs. and lbs., then add 12 lbs. for each cut. and you will have the number of lbs. in the whole.

Should the price per lb. be pence, consider them as pence; if shillings, consider them as shillings, as fully explained in the following

EXAMPLES

What will 6 cwt. 1 qr. 20 lbs. cost at 5d. per lb.

648 72

720 lbs. as pence = 60s. or £3 at 1d. per lb.

£15 Ans.

DEMONSTRATION.

The 6 to the left is the 6 cwt.; the 48 after it is the 28 lbs. in the qr. and the 20 lbs.; the placing of the 48 (or any two figures) after the preceding figure, is well known to convert them into numeral hundreds, thus, (100); but as each cwt. contains 112 lbs., it is clear that there are 12 lbs. deficient for each cwt.; hence the necessity for adding 12 lbs. for each cwt.

Having discovered the number of lbs. in any given number of cuts, qrs. and lbs., which is done by the foregoing rule and example, we then proceed to find what the article amounts to, at any given *pence*, by the first General Rule, page 1: and at any given *shillings*, by the Second General Rule, page 10; which it will be necessary for any person studying this Book to become well acquainted with.

What will 7 cwt. 2 qrs. 0 lbs. cost at 7d. per lb.

756 84

12)840 lbs. considered as pence.

$$70s. = £3 \quad 10 \text{ at } 1d. \text{ per } lb.$$

$$\frac{7}{£24 \quad 10 \quad Ans.}$$

What will 8 cwt. 2 qrs. 8 lbs. come to at $5\frac{9}{4}d$. per lb.?

96

12)960 lbs. as pence,

80s. = £4 at 1d. per
$$lb$$
.

£23 Ans.

The same example by Rule of Three.

280

68 ____

960 lbs.

23

2880

1920

4)22080 as farthings.

12)5520 as pence.

2|0)46|0 as shillings.

£23 Ans.

What will 9 cwt. 2 qrs. 16 lbs. cost at
$$6\frac{1}{2}d$$
. per lb.?

972
108
12)1080

90s. = £4 10 at 1d. per lb.

6 $\frac{1}{2}$
£29 5 Ans.

What will 10 cwt. 3 qrs. 8 lbs. come to at 8d. per lb.?

1092
120
12)1212

101s. = £5 1 at 1d. per lb.

8
£40 8 Ans.

What is the price of 11 cwt. 3 qrs. 4 lbs. at $9\frac{1}{2}d$. per lb.?

1188
132
12)1320

110s. = £5 10 at 1d.

9 $\frac{1}{2}$
£2 15 to bring in.

£52 5 Ans.

What will 12 cwt. 3 qrs. 12 lbs. come to at $10\frac{1}{2}d$. per lb.?

1296
144

1440d. = £6 at 1d.
10 $\frac{1}{4}$
£61 10 Ans.

What will 12 cwt. 3 qrs. 24 lbs. cost at $10\frac{1}{2}d$. per lb.?

1308
144
12)1452
121s. = £6 1 at 1d. per lb.

10 $\frac{1}{2}$

£63 10 6 Ans.

It must be observed, that when the qrs. and lbs. reduced to lbs. exceed 100, they must not be placed after the cuts. as heretofore, but added in, saying 3 qrs. and 24 lbs. make 108, and 12 hundred are equal to 1308.

What will 15 cwt. 0 qrs. 0 lbs. cost at $10\frac{3}{4}d$. per lb. ?

1500

180

12)1680

140s. $=\pounds7$ Ans. £75 5

When there are no qrs. or lbs. two ciphers must be added, as the cwt. must be reckoned as numerical hundreds, as 100, to which 12 lbs. must be added to make it 112 lbs. the number of lbs. in a cwt.

What will 17 cwt. 0 qrs. 16 lbs. cost at
$$11\frac{3}{4}d$$
. per lb.?

1716
204
12)1920
160s. = £8 at 1d.

1 $1\frac{3}{4}$
£94 Ans.

It is hoped that the above examples, at pence per lb. will be found sufficient; we beg to introduce examples where the price is shillings per lb.

What will 18 cwt. 2 qrs. 12 lbs. come to at 2s. 6d. per lb.?

1868
216
of a £. 2s. 6d. is \$\frac{1}{3}\)2084
£260 10 Ans.

When the price is an aliquot part of a £. as the above is one-eighth, nothing can be shorter than to take such part.

What will 1 t. 12 cwt. 3 qrs. 8 lbs. come to at 1s. 4d. per lb.?

$$\begin{array}{r}
3292 \\
384 \\
1s. 4d. \text{ of a } \mathcal{L} \text{ is } \frac{1}{15}) \\
3676 \\
\mathcal{L} 245 \cdot 1 \cdot 4 \text{ } Ans.
\end{array}$$

What will 3 t. 6 cwt. 3 qrs. 14 lbs. cost at 1s. 8d. per lb.?

1s. 8d. of a £ is
$$\frac{6698}{792}$$
£ 624 . 3 . 4 Ans.

What will 5 t. 5 cwt, 3 grs. 12 lbs. cost at 3s. per lb.?

$$\frac{1260}{11856s.} = \frac{\pounds}{592} \cdot \frac{s}{16} \text{ at 1s.}$$

$$\frac{3}{\pounds 1778.8} Ans.$$

Calculations of cwts. qrs. and lbs. at pounds, shillings, and pence per cwt., may be done by the following methods.

What will 6 cwt. 2 qrs. come to at 66s. 8d. per cwt.?

$$\pounds 3$$
 . 6.8 price of 1 cwt.
 $6\frac{1}{2}$ cwt. $\pounds 1$. 13 . 4 to bring in.
 $\pounds 21$. 13 . 4 Ans.

Many calculations of cwts. qrs. and lbs. at pounds, shillings, and pence per cwt., may be much shortened by finding the price per lb. as follows:

				_		
Per lb. Per cwt.	Per lb. Per		Per lb.	Per cwt.	Per lb.	Per cwt.
d. £. $s.$ $d.$	d. £. :		d. £.	s. d.	d.	\pounds . s. d.
4 is 0 2 4	31 is 1 1	28	6¾ is 3	3 0	10 is	4 13 4
is 0 4 8	3≨ is 1 1	50	7 is 3	5 4	10} is	4 15 8
is 0 4 8 is 0 7 0		74	71 is 3	78		4 18 0
1 is 0 9 4	41 is 1 1	98	7½ is 3	10 0	103 is	5 0 4
14 is 0 11 8		20	7¾ is 3	12 4	11 is	5 28
		4 4	8 is 3	14 8	11} is	5 5 0
1½ is 0 14 0 1¾ is 0 16 4		68	81 is 3	17 0	11 <u>4</u> is	5 7 4
2 is 0 18 8	5∦ is 2	90	8∄ is 3	19 4	113 is	5 98
24 is 1 1 0	5- is 2: 1	14	8¾ is 4	18	12 is	5 12 0
21 is 1 3 4	5¾ is 2 1	38	9 is 4	4 0	12} is	5 14 4
21 is 1 3 4 21 is 1 5 8		60	91 is 4	64	121 is	5 16 8
3 is 1 8 0	64 is 2 1	8 4	91 is 4	8 8	123 is	5 19 0
3½ is 1 10 4		08	9¶ is 4	11 0		6 1 4
. 4	_		-		,	

What will 6 cwt. 3 qrs. 20 lbs. cost at £2.6.8 per cwt.? £2.6.8 per cwt.

When the qrs. and lbs. come near a cwt. calculate for the cwts. above your quantity, from which deduct for as many ibs. as may be deficient, as per

EXAMPLES.

What will 11 cwt. 3 qrs. 24 lbs. cost at 84s. per cwt.?

£4.4 per cwt.

12

50.8 price of 12 cwt.
3 deduct for 4 lbs.

£50.5 Ans.

It will be seen by the foregoing table, that £4.4 per cwt. is 9d. per lb.

What will 9 cwt. 3 qrs. 27 lbs. come to at 93s. 4d. per cwt.?

£4.13.4 per cwt.

 $\frac{10}{46.13.4}$

10 deduct for 1 lb.

£4.13.4 being 10d. per lb., for 1 lb. deduct 10d.

 $\pounds 46.12.6$ Ans.

What will 11 cwt. 3 qrs. 22 lbs. cost at 112s. per cwt.?

£5.12 per cwt.

12

£67. 4 for 12 cwt. 6 deduct for 6 lbs.

112s. per cwt. is 1s. per lb.

£ 66 . 18 Ans.

What will 8 cwt. 2 qrs. come to at 110s. 6d. per cwt.?

£5.10.6

£2.15.3 to bring in.

£ 46.19.3 Ans.

The prices of cwts. qrs. and lbs. may be calculated by the following rule, also, which is generally much approved.

RULE.

Multiply the lbs. by 24, and consider the product as pence; multiply the qrs. by 5, and consider the product as shillings; the cwts. are to be considered as \mathcal{L} .

EXAMPLES.

What will 73 cwt. 2 qrs. 7 lbs. cost at £6.1.8 per cwt.?
$$\frac{cwt. \ qrs. \ lbs.}{73.2.7}$$

$$\frac{5.2\frac{1}{7}}{73.11.3} \quad cwt. \ qrs. \ lbs. £.$$
1s. $8d. = \frac{1}{12} \frac{73.11.3}{73.11.3} \text{ price of } 73.2.7 \text{ at 1 per cwt.}$

$$\frac{6}{441.7.6}$$

$$\frac{6.2.7\frac{1}{4}}{447.10.1\frac{1}{4}} \quad Ans.$$

DEMONSTRATION.

The reason of this Rule is evident; since as at £1 per *cvot.*, a qr. would cost 5s.; and a lb. the 28th part of this, which is $2\frac{1}{2}d$.

What would 289 cwt. 3 qrs. 14 lbs. come to at £4 2s. 6d. per cwt.?

By the above method, the trouble of taking parts for the qrs. and lbs. is entirely obviated.

In calculating acres, roods, and perches, the same method may be adopted with equal advantage.

Consider the acres as pounds, multiply the roods by 5, the product consider as shillings, and the perches by 1½d. gives the amount of the whole at £1 per acre, which multiply by the number of pounds per acre.

EXAMPLES.

What will 60 a. 2 r. 8 p. come to at £3.10 per acre?

a. r. p.

$$60. \ \ 2.8$$

 $5.1\frac{1}{2}$
 $60.11.0$ at £1 per acre.
 $3\frac{1}{2}$
£211.18.6 Ans. £30.5.6 to bring in.

DEMONSTRATION.

As a perch is the 40th part of a rood, and a rood at £1 per acre =5s., multiply the perches by $1\frac{1}{2}d$., which gives in this case 1s.; then 5 times 2 are 10, and 1 to carry makes 11s.; bring down 60 at £1 per acre, gives the total at £1 per acre, which being multiplied by $3\frac{1}{2}$ gives the answer.

What will S0 a. 3 r. 24 p. come to at £4.6.8 per acre?

What will 196 a. 2 r. 36 p. come to at £5.19.10 per acre?

$$\begin{array}{c}
a. & r. & p. \\
196 & . & 2 & . 36 \\
\hline
5 & . & 1\frac{1}{2} \\
\hline
196 & . & 14 & . 6 & \text{at } \pounds 1. \\
\hline
6 \\
\hline
1180 & . & 7 & . 0 & \text{at } \pounds 6. \\
\hline
1 & . & 12 & . 9\frac{1}{2} & \text{deduct for } 2d. \\
\pounds & 1178 & . & 14 & . & 2\frac{1}{2} & Ans.
\end{array}$$

In this operation, the price being nearly £6 per acre, it has been calculated at this price, which, being 2d per acre more than the given price, the value of the acres, &c. at 2d. has been deducted.

What will 575 a. 3 r. 26 p. come to at £7.1 per acre?

$$\frac{a. \quad r. \quad p.}{575. \quad 3. \quad 26}$$

$$\frac{5. \quad 1\frac{1}{2}}{575. \quad 18. \quad 3} \quad \text{at } \mathcal{L}1 \text{ per acre.}$$

$$\frac{4031. \quad 7. \quad 9}{28. \quad 15. \quad 10\frac{3}{4}} \quad \text{at } 1s.$$

$$\mathcal{L} \frac{4060. \quad 3. \quad 7\frac{3}{4}}{4060. \quad 3. \quad 7\frac{3}{4}} \quad Ans.$$

The following rule, which is an application of the same principle, may be used with equal advantage in computing the value of quantities in Troy Weight, consisting of *lbs.*, oz., dwts., and grs.:—

Consider the grs. as halfpence, the dwts. as shillings, and the ounces as pounds, which gives the amount of the whole at 1£ per oz.

EXAMPLES.

What will 11 oz. 8 dwts. 4 grs. cost at 3s. 4d. per ounce?

DEMONSTRATION.

The 8 awts. are considered as shillings, because there are 20 dwts. in the oz., and the ounces at £1 per oz. would give 1 shilling for each dwt; the grs. are considered as $\frac{1}{2}d$ each, on account of there being 24 dwts. to the grain; consequently each grain at $\frac{1}{2}d$ each, and dwt. at 1s. each, will give the amount of the entire quantity at £1 per oz., which you must multiply or divide, as the price will require, and as the following examples more fully explain.

The £70.0.10 being the value of the following quantity at £1 per oz, it is divided by 20, which gives the value at 1 shilling per oz, and this is multiplied by $8\frac{1}{2}$ as the price is $8\frac{1}{2}$ shillings, or 8s. 6d. per oz.

What will 5 lb. 10 oz. 0 dwts. 20 grs. come to at 8s. 6d. per ounce?

147 oz. 16 dwts. and 18 grs. of gold at £3 per oz.

£ 147.16.9 at £1 per oz.
$$\frac{3}{£443.10.3} Ans.$$

181 oz. 15 dwts. 0 grs. at £4.0.1 per oz.

£ 181 . 15 . 0 at £ 1 per oz.

$$\frac{4}{\pounds 727 \cdot 15 \cdot 1\frac{3}{4}}$$
 Ans.
15s. $1\frac{3}{4}d$. at 1d. to bring in.

AVERAGE CALCULATIONS.

The following average calculations have afforded the greatest satisfaction to all who have studied them, for the singularly short method by which they have been worked, and the perfect accuracy of the answers.

EXAMPLES.

What will 6 pieces of riband come to, each piece containing 36 yards, at the following prices? and what is the average price of each yard?

1 piece at $4d$. per yard. 1 $5d$. 1 $6d$.	6 pieces, of 36 yards each, at 1d. per yard = 18s.
$egin{array}{cccccccccccccccccccccccccccccccccccc$	7
$1 \ldots 12d$.	Total $\pounds \underline{6.6}$
6) <u>42d.</u>	
Ans. 7d. per yard a	verage.

DEMONSTRATION.

In this and the following calculations, the prices are added together, which being divided by the number of prices, gives the average price per yard: the amount of the whole being made up at one penny, and multiplied by the average price, gives the total amount.

What will 100 lambs come to, purchased at the following prices?

Ans. 7s. the average price.

100 lambs at 1s. equal to £5

 $\frac{7}{25}$ total.

500 yards of silk at the following prices; what is the total amount and average price of each yard?

100 yards at 5s. 3d. per yard.
100 5 . 9 500 yards at 1s. = £25
100 7 . 0
$$\frac{8\frac{1}{2}}{100}$$

100 8 . 11 Total £212 . 10
5) $\frac{42}{8}$. 6 average per yard.

What is the average price, and total amount, of a case of 200 hats, at the following prices?

50 hats at 15s.
$$3\frac{1}{2}d$$
. each.
50 15 . $8\frac{1}{2}$
50 17 . 6
50 19 . 10
4) 68 . 4
s. 17 . 1 average.

200 at 1s. $= £ 10$. 0 200 at 1d. $= 16s$. 8d.
$$= \frac{17 \cdot 1}{£ 170 \cdot 16 \cdot 8}$$
 to bring in.

What is the average price, and total amount, of 900 lambs, at the following prices?

300 lambs at 9s. 9d. each.
300 11 . 5
300 12 . 7
3)33 . 9
s. 11 . 3 average.
900 at 1s. each = £45.
11
$$\frac{1}{4}$$
£ 506 . 5 total.

What will 12 pieces of riband come to, each piece averaging 48 yards, and what is the average price of each yard, at the following prices?

2	p	i	e	C	0	3	at		9) }	per yard.
2									•	}į	12 pieces, 48 yards each,
2		,							(ទរ្ន	
2		,	,						1	73	
2									(١3(Trans. #16 16 0
2									ľ	<u> </u>	Total £ $16.16.0$
							3)	1	3	
									6	u.	a yard average.

A library consisting of 100 books, at the following prices; required to find the average price of each book, and total amount.

10 books at		each.
10	3.7_{2}^{-1}	
10	$4.4\bar{2}$	
10	5.71	
10		
10		100 books at
10	8.63	1s. each $= £5.0.0$
10	$9.4\frac{1}{4}$	7.03
10	9.9^{2}	/D .)
10		Total £ 35.4.2
10	70.5	
	s.7.0½ a	werage price of each book.

Twenty-two casks of prunes, the average weight of each cask supposing to be S4 lbs., at the following

prices; required to find the average price of each lb., and the total amount.

8d. per lb. average.

22 casks.

7s. price of 1 cask at 1d. per lb.

154s. = £7.14.0 being the amount of all at 1d. Multip. by Sd. being the average price.

£61.12.0 total amount, Ans.

The superiority of the above method of calculating will appear very striking, when we consider that, in applying either the Rule of Three, or Practice, more than five hundred figures would be necessary to complete the same operation.

110 gross of buttons at the following prices; required to find the average price of each gross, and the total amount.

```
10 gross at 1s. 51d. per gross.
10 . . . . . 2 . 0
10 \ldots 2 \cdot 4^{\frac{7}{4}}
10 \dots 3 \dots 3 \dots 1_{3}^{3}
10 . . . . . 3 . 84
10 \dots 3 \dots 3
10 \dots 4 \cdot 5\frac{1}{4}
10 \dots 5 \dots 5
                                110 gross at 1s.
                                 per gross = £5.10.0
10 . . . . . 5 . 4\frac{3}{4}
                                               4.2
10 \dots 6 \cdot 1_{\frac{1}{k}}
10 . . . . . 8 . 4
                                        Ans. £22.18.4
       11)45.10
```

s. 4. 2 average per gross.

The following examples, in which the quantities are not equal, will be found to be a useful application of the same principle:—

Twelve dozen pair of stockings purchased at the following prices; required to find the average price of each pair, and the total amount.

```
s. d. s. d.

2 dozen pair at 2.3 per pair = 4.6

3......2.6.....= 7.6

4.....2.9....=11.0

2.....3.0....= 6.0

1.....4.0....= 4.0

12)33.0 price of 12 pair.

s. 2.9 average pr. pair.

12 dozen pair at 1s. per pair = £7.4.0

2\frac{23}{4}

£ 19.16.0 total amount.
```

By the foregoing calculation (and the following to be done in like manner) it will be seen that the different pairs of stockings stated in the question, have been calculated at the prices stated per pair, which being added up gives the amount of twelve pair, and being divided by 12, gives the amount of each pair, which averages 2s. 9d. Then 12 dozen being 144 at 1s., gives £7.4, and which, being multiplied by the average price, 2s. 9d., or $2\frac{3}{4}s$. gives the total amount.

A library containing 100 books, at the following prices; required to know the average price, and total amount.

				s.	d.				5.	d.		
10	bo	oks	at	2.	6	ea	ch	=	25	. 0		
15				3 .	6			=	52	. 6		
						-			90	• -		
									165			
									130			
_5		٠		7.	6	•		=	_37	. 6		
100							1	00)	500	s. or	£25	total.
									_5	s. av	erage	price

12 pieces of riband, each piece of 36 yards, at the following prices: required to know the average price, and total amount.

1 piece at
$$3\frac{1}{2}d$$
. per yard = $3\frac{1}{2}d$.
2 . . . $4\frac{1}{2}$. . . = 9
3 . . . $5\frac{1}{2}$. . . = $16\frac{1}{2}$
4 . . . $6\frac{1}{2}$. . . = 26
2 . . . $8\frac{1}{2}$. . . = 17
12 pieces. 12) 72

6d. per yard average.

12 pieces at 1d. per yard
$$=$$
 £1 . 16 $\frac{6}{£10.16}$ Ans.

5 pieces of silk, the lengths and pieces as follow: required to know the average price of each yard, and the total amount.

s. d. s. d. 1 piece of 20 yards at 2.6 per yard =
$$50.0$$
 1 . . . 25 . . . 3.6 . . . = 87.6 1 . . . 15 . . . 4.6 . . . = 67.6 1 . . . 25 . . . 6.0 . . . = 150.0 1 . . . 15 . . . 6.4 . . . = 95.0 100) $450 = £22.10$ s. 4.6 aver.

20 casks of raisins, each cask averaging 2 qrs. 16 lbs., sold in the following lots, and at the underwritten prices:

$$\begin{array}{c}
d. & d. \\
3 \text{ casks at } 4\frac{1}{2} \text{ per lb.} = 13\frac{1}{2} \\
5 & ... & 5\frac{1}{2} & ... = 27\frac{1}{2} \\
4 & ... & 6\frac{1}{2} & ... = 26 \\
5 & ... & 7\frac{1}{2} & ... = 37\frac{1}{2} \\
3 & ... & 8\frac{1}{2} & ... = 25\frac{1}{2} \\
\hline
20 & 20) 130d.$$

6½d. per lb. average.

20 firkins, 2 qrs. 16 lbs., each at
$$1d = \pounds 6$$

$$\frac{61}{\cancel{\cancel{2}}}$$

$$\cancel{\cancel{\cancel{2}}} 39 \text{ total.}$$

22 cases of figs, each case averaging 3 qrs. 15 lbs., sold in lots as follow, and at the following prices: required to know the average price per lb. and total amount. 2 cases at $4\frac{1}{2}d$ per lb. = $8\frac{1}{2}d$ 3 $5\frac{3}{4}$ = $17\frac{1}{4}$ 1 $6\frac{1}{4}$ = $6\frac{1}{4}$ 5 $7\frac{1}{4}$ = $36\frac{1}{4}$ 7 $8\frac{2}{4}$ = $61\frac{1}{4}$ 2 $9\frac{1}{2}$ = 19 2 $16\frac{1}{2}$ = 33 22 $16\frac{1}{2}$ = 33 22 $181\frac{1}{2}$ 8\frac{1}{4} average price per lb. 22 cases of 3 qrs. 15 lbs. each = £9 . 1 . 6 at 1d. 8\frac{1}{4} . £2 . 5 . 4\frac{1}{4}
Total amount £ $\frac{1}{74.17.4}$ to bring in.
100 silk shawls purchased in the following lots, and at the undermentioned prices: 10 shawls at 2s. 6d. each = 25s. 0d. 12 3 $8\frac{1}{4}$ = 44 3 15 4 $6\frac{1}{2}$ = 68 $1\frac{1}{2}$ 20 5 $3\frac{1}{2}$ = 105 10 15 6 $4\frac{1}{2}$ = 95 $7\frac{1}{2}$ 10 7 $9\frac{1}{2}$ = 77 11 12 8 $5\frac{1}{2}$ = 101 6 6 9 $5\frac{1}{2}$ = 56 9 100 100) $575s$. or £28.15 total s. 5 . 9 average price. A cargo of coals containing 120 tons, as follow: First cost per ton 8s. 0d. Freight 9 0
Duty 2 0
s. $19 0$ per ton. 120 tons at 1s. per ton $\cancel{\pounds} 6$
£ 114 total amount.
A cargo of coals, containing 300 tons, as follow: Prime cost per ton 7s. 6d. Freight 8 6 Duty 1 6 s. 17 6 per ton.
300 tons at $1s. = £15$
£ 262 10 Ans.

```
A ship containing 1000 tons of coal, as follow:
          Prime cost. 8s. 6d.
          Freight . 8.1
          Duty . . . 2 . 6
                  s. 19 . 1 per ton.
1000 t. at 1s. = £50.0
                  s. 19.1
                                  1000 at 1d = £4.3.4
                                    to bring in.
Total amount £954.3.4
             5 puncheons of rum as follow:
No. 1 containing 118 gallons.
    2 . . . . . . . 119
    3 . . . . . . 120
                           600 gallons at 1s. = £30
    4 . . . . . . 121
    5 . . . . . . 122
                                             Total £390
                 600 gallons.
         Prime cost per gallon 4s.
         Freight . . . . . . . 1
         Duty ..... 8
                   Stands in 13s. per gallon, Ans.
   What will 6 puncheons of rum come to as follow?
No. 1 containing 115 gallons.
    2 . . . . . . 117
                                 725 \text{ gallons} = £36. 5
    4 . . . . . . 121
                                                      14
    5 . . . . . . 124
                                        Total £ 507. 10
    6 . . . . . . 130
         Gallons 725 at 1s. each.
       Prime cost per gallon 4s.
       Freight . . . . . . . . 1
       Duty . . . . . . . . . 9
                   Stands in 14s. per gallon, Ans.
What will 6 pipes of brandy come to as follow?
  No. 1 containing 112,2 gallons.
      2 \dots 114_{10}^{15}
      3 \dots 116_{10}^{6}
      4 \dots 118_{10}
      5 \dots 122_{10}^{\frac{1}{2}}
      6 \dots 137_{50}
                    721½ gallons at 1s. = £36.1. 6
  Prime cost per gallon 5s. 0d.
  Freight . . . . . . 1 . 6
                                          £ 694 . 8 . 104
  Duty . . . . . . . . . . . 12 . 9
          Stands in s. 19.3 per gallon, Ans.
```

In measuring liquids in the king's stores, the broken parts of a gallon are divided into tenths, which accounts for the tenths being introduced into the preceding and following questions:

What will 10 butts of Geneva come to as follow?

No. 1 containing 113, gallons.
$2 \ldots 114 \frac{12}{10}$
$3 \ldots 115_{10}^{\hat{3}}$
$4 \ldots 116 \frac{7}{10}$
$5 \ldots 117_{10}^{9}$
$6\ldots\ldots119_{10}^{6}$
$7 \ldots 120^{2}_{10}$
$8 \ldots 125$
$9 \ldots 128_{10}$
$10 \ldots 132_{10}$
$\overline{1202_{10}^{2}}$ gall. $=$ £ 60 . 2 . $2\frac{2}{5}$ at 1s
 15
Prime cost per gallon 3s. 6d.
Freight 1 . 6 £ 901 . 13 . 0

Duty 10 . 0

Stands in s. 15 . 0 per gallon, Ans.

Note. — Tenths are added up like other fractions, by adding up the Numerators, or figures above the line, and dividing their product by 10, the Denominator; the $\frac{1}{10}$ ths make 32, divided by 10, goes 3 times, and leaves 2, which are $\frac{1}{10}$ or $\frac{1}{5}$ of a gallon, at 1s. per gallon, is $\frac{1}{5}$ of a shilling, or $\frac{1}{5}$ pence.

INTEREST.

INTEREST is the sum to be paid by a person for the use of money which he owes.

The Principal is the money lent.

The Rate per Cent. is the sum to be paid for the use of every £ 100 of the Principal, for twelve months.

The Amount is the sum of the Principal and Interest, when added together.

We here introduce two Rules, for Interest at 5 per Cent., both having, in all instances, given the greatest satisfaction.

FIRST RULE.

Multiply the Principal by the Months, and the Product in Pounds Sterling, taken as Pence, will be the Answer.

Or thus: — The Interest of each Pound for one Month, at 5 per Cent., is one Penny, and so in proportion for any part of a Pound; therefore, find the Interest for one Month, and multiply it by the Number of Months; the Product will be the answer at 5 per Cent.

EXAMPLES.

What is the interest of £36 for three months?

£36 By First Rule.
$$\frac{3}{£108}$$
 taken as pence = 9s., Ans.

Or thus:
$$-£36$$
 for one month $= 3s$. multiplied by $\frac{3}{9s}$ months.

The following is an application of the Second Rule, which, for its brevity, may be preferable:—

What is the interest of £48 for 4 months, at 5 per cent.? £48 for 1 month = 4s.

multiplied by 4 months.

16s., Ans.

DEMONSTRATION,

To prove, by the Double Rule of Three, that the Interest of each £., for one Month, at £5 per cent. is one Penny.

£.

$$\begin{array}{c|c}
100 \\
mo. 12
\end{array}$$
5
$$\begin{array}{c}
1 \, \pounds. \\
1 \, mo.
\end{array}$$

$$\begin{array}{c}
5 \\
\cancel{\pounds}5 \\
\cancel{240}
\end{array}$$
No. of pence in a \mathcal{\pounds}.

1200) 1200 (1 penny.

It will be evident to those acquainted with the Double Rule of Three, that the interest of each \mathcal{L} for one month, at 5 per cent., is 1d. The following method of proof, however, may be adopted by such as are not conversant with Compound Proportion:—

The interest of £100 for one year, at 5 per cent., being £5, the interest of £100 for one month is the $\frac{1}{12}$ of £5, or 8s. 4d.; hence, the interest of £1 for a month is the $\frac{1}{100}$ of 8s. 4d., which is 1d.

What is the interest of £96 for 7 months, at 5 per cent.?

Interest for I month = 8s.

$$\cancel{\cancel{\pm}} \frac{7}{2.16} Ans.$$

What is the interest of £108 for 2 months?

Interest for 1 month
$$= 9s$$
.

 $\frac{2}{18s. \ Ans.}$

Find the interest of £132 for 8 months.

£132 for 1 month = 11s.
$$\frac{8}{£4.8} Ans.$$

Find the interest of £33 for 7 months.

£33 for 1 month =
$$2s$$
. $9d$.

s. $\frac{7}{19.3}$ Ans.

What is the interest of £65 for 11 months?

£65 for 1 month =
$$5s.5d$$
.
$$\underbrace{\frac{11}{2.19.7}}_{Ans.}$$

What is the interest of £126 for 10 months?

$$\begin{array}{c}
10s. 6d. \text{ for 1 month.} \\
10 \\
£ 5.5. 0 Ans.
\end{array}$$

What is the interest of £148 for 7 months?

$$\begin{array}{c}
12s. \ 4d. \ \text{for 1 month.} \\
\hline
7 \\
4.6.4 \ Ans
\end{array}$$

What is the interest of £28.10 for three months?

$$2s. \ \frac{4_{\frac{1}{2}}d}{3} \text{ for I month.}$$

$$s. \frac{7 \cdot 1_{\frac{1}{2}}}{4} Ans.$$

Here £28 for 1 month is 28 pence, or 2s. 4d.; and 10s., being half a pound, is reckoned as $\frac{1}{2}$ a penny, gives the interest for 1 month, which being multiplied by 3, (the number of months,) gives 7s. $1\frac{1}{2}d$., the answer required.

What is the interest of £122.10 for 5 months?

$$\begin{array}{c}
10s. \ 2\frac{1}{2}d. \text{ for 1 month.} \\
\underline{5}\\
2 \cdot 11 \cdot 0\frac{1}{2} Ans.
\end{array}$$

Tell me the interest of £150.5 for 11 months.

12s.
$$6\frac{1}{4}d$$
. for 1 month.
11
£ 6.17 . $8\frac{2}{4}$ Ans.

Here the interest of 5s. for 1 month, at 5 per cent., is 1 of a penny.

What is the interest of £185.5 for 4 months?

15s.
$$54d$$
. for 1 month

$$\begin{array}{c}
15s. \, 54d. \text{ for 1 month.} \\
4 \\
\cancel{\text{£} \, 3.1.9} \, Ans.
\end{array}$$

What is the interest of £365. 15 for 8 months?

£ 1. 10.
$$5\frac{3}{2}$$
 for 1 month.

8
£ 12.3.10 Ans.

Here, for 15s., allow ¾d. being the 3 quarters of a £.

What is the interest of \pounds 420 . 15 for 10 months? \pounds 1 . 15 . $0\frac{3}{4}$ for 1 month.

 $\cancel{£} \frac{10}{17 \cdot 10 \cdot 7\frac{1}{2}} Ans.$

What is the interest of £526.2.6 for 7 months?

£2.3.10 $\frac{1}{8}$ for 1 month.

 \mathcal{L} $15.6.10\frac{7}{8}$ Ans.

In this question, 2s. 6d. being the $\frac{1}{8}$ of a \mathcal{L} , the $\frac{1}{8}$ of a penny is allowed for it.

What is the interest of £125.7.6 for 2 months?

10s. $5\frac{3}{8}d$. for 1 month.

 \mathcal{L} $1.0.10^{3}_{4}$ Ans.

As 7s. 6d. is $\frac{2}{3}$ of a \mathcal{L} ., $\frac{2}{3}$ of 1d. are allowed for it.

What is the interest of £147.12.6 for 9 months?

12s. 35d. for 1 month.

£ 5.10.8 4 Ans.

£45.19.3\(Ans.

12s. 6d. being $\frac{5}{8}$ of a pound, $\frac{5}{8}$ of a penny are allowed for it.

What is the interest of £1002.17.6 for 11 months?

 $\pounds 4$. 3 . $6\frac{7}{8}$ for 1 month.

17s. 6d. being $\frac{7}{8}$ of a \mathcal{L} , $\frac{7}{8}$ of 1d. are allowed for it.

 $\frac{7}{8}$ are multiplied like farthings, or other fractions, saying, 11 times 7 are 77, and 8 into 77 goes 9 times, (which is 9 pence,) and leaves 5, which is $\frac{5}{8}$ of a penny.

Calculations in interest can be brought sufficiently near for business, by taking the nearest aliquot parts of a pound, that the shillings and pence in the question are of a pound; but if found necessary to bring the solutions to the greatest nicety, do them by the First Rule, considering the pounds as pence, and the pence in the shillings and pence as so many 240ths, as by the following

EXAMPLES.

What is the interest of £68.7.11 for 8 months?

£ 68.7.11 $\frac{8}{£547.3.4}$ = £2.5.7 Ans, The £547, as pence, are equal to £2.5.7; and the 3s. 4d., being the $\frac{1}{5}$ of a pound, is to be considered the $\frac{1}{5}$ of a penny; consequently the answer is £2.5.7, which in business would be considered as £2.5.7.

Or, by Second Rule, 7s. 11d. being a little above 7s. 6d., which is $\frac{2}{3}$ of a pound, consider it the $\frac{2}{3}$ of a penny, thus:—

What is the interest of £98.10.6 for 7 months?

£98.10.6

$$7$$

£689.13.6 = £2.17.5½ Ans.

The 689 pence = £2.17.5, and the 13s.6d. contain 162 pence, and as there are 240 pence in a pound, the fraction is $\frac{1}{2}$ $\frac{2}{6}$, fully $\frac{2}{3}$, or, in business, $\frac{1}{2}$ d.

As it is generally known that £100 at interest for 12 months, at 5 per cent., produces £5, we shall prove the accuracy of the Rule by the following

EXAMPLE.

What is the interest of £100 for 12 months? £100 for 1 month is 8s. 4d.

$$\pounds \overline{5.0.0}$$
 Ans.

This sum has been worked on the same principle as the preceding, which clearly proves their accuracy.

Having explained interest at £5 per cent. for months, we shall now introduce £5 per cent. for years.

As the interest of each $\mathcal{L}1$ for a month is 1d., the interest of $\mathcal{L}1$ for a year will consequently be 1s.

Therefore, multiply the principal by the years, and the product in pounds, taken as shillings, will be the answer; taking care to allow for the shillings and pence, over such part of a shilling as they are of a pound.

Or, the interest of each pound for a year at £5 per cent., is 1s., and so in proportion for any part of a pound.

EXAMPLES.

WHAT is the interest of £30 for 3 years, at £5 per cent.?

£30
$$\frac{3}{90} \text{ as shillings} = £4.10 Ans.$$

Or, £30 for 1 year = £1.10 multiply by
$$\frac{3}{\cancel{4.10}}$$
 years. £4.10 Ans.

What is the interest of £45, for 6 years, at £5 per cent.?

£2.5 for 1 year.
$$\frac{6}{£13.10} Ans.$$

What is the interest of £126 for 3½ years?

$$\mathcal{L}6$$
, 6 for 1 year. $\frac{3\frac{1}{2}}{22 \cdot 1}$ $\mathcal{L}3 \cdot 3$ to bring in.

£126 for 1 year being £6.6, it is multiplied by $3\frac{1}{2}$, the time for which the interest is required.

What is the interest of £90 for 4 years and 3 months?

$$\mathcal{L}$$
 4.10 for 1 year.
 \mathcal{L} 19.2.6 Ans.

What is the interest of £128 for 5 years and 9 months?

What is the interest of £150.10 for 7 years?

$$\mathcal{L}$$
 7.10.6 for 1 year.
$$\frac{7}{252.13.6}$$
 Ans.

10s. being $\frac{1}{2}$ of a \mathcal{L} , and the interest of $\mathcal{L}1$ for a year being a shilling, 6d is allowed for the interest of 10s. for a year.

What is the interest of £165.5 for 8 years?

What is the interest of £187.15 for 9 years?

What is the interest of £190.2.6 for 3 years?

£9.10.
$$\frac{11}{2}$$
 for 1 year.

As 2s, 6d, is the $\frac{1}{8}$ of a \pounds , the $\frac{1}{8}$ of a shilling, $1\frac{1}{2}$, is allowed.

What is the interest of £245.7.6 for 9 years and 4 months?

£ 12 . 5 .
$$4\frac{1}{2}$$
 for 1 year.

£4.1.9½ to bring in.

7s. 6d. being the $\frac{3}{8}$ of a \mathcal{L} , the $\frac{3}{8}$ of a shilling $=4\frac{1}{2}d$, is allowed; the interest for 1 year being \mathcal{L} 12.5. $4\frac{1}{2}$, the $\frac{1}{3}$ of it is added in for 4 months, which is the third of a year.

Another very short and simple Rule, for Interest at £5 per cent. for years, or years and months, is this:—

RULE. — Consider the years as shillings, and the months as pence, and take such part of the principal as those shillings and pence are of a £, which will be the answer.

Required the interest of £347.10.6 for 5 years.

5 years as 5s. is of a
$$\mathcal{L}_{\frac{1}{4}}$$
) 347.10.6
 $\mathcal{L}_{86.17.7\frac{1}{2}}$ Ans.

What is the interest of £827.10.8 for 2 years and 6 months?

2 yrs. 6 m. = 2s. 6d. is
$$\frac{1}{8}$$
) $\frac{827 \cdot 10 \cdot 8}{£103 \cdot 8 \cdot 10}$ Ans.

What is the interest of £60 for 3 years and 4 months? 3 yrs. 4 m. = 3s. 4d. is $\frac{1}{4}$) 60

What is the interest of £128.16.8 for 1 year and 3 months?

1 yr. 3 m. = 1s. 3d. of a
$$\mathcal{L}$$
 is $\frac{1}{16}$) $\frac{128.16.8}{\pounds 8.1.0\frac{1}{2}}$ Ans.

What is the interest of £750.15.7½ for 1 year and 4 months?

1 yr. 4 m. = 1s. 4d. of a £ is
$$\frac{1}{15}$$
) $\frac{750 \cdot 15 \cdot 7\frac{1}{2}}{£50 \cdot 1 \cdot 0\frac{1}{2}}$ Ans.

What is the interest of £999.15.6 for 1 year and 8 months?

1 yr. 8 m. = 1s. 8d. is of a
$$\mathcal{L}_{12}$$
) 999.15.6
 \mathcal{L}_{33} .6.3½ Ans.

What is the interest of £1795.12.6 for 6 years and 8 months?

6 yrs. 8 m. = 6s. 8d. of a £ is
$$\frac{1}{3}$$
) 1795. 12.6
£ 598.10.10 Ans.

What is the interest of £1840.12 for 7 years and 6 months?

5 yrs. at 5s. is
$$\frac{1}{4}$$
) $\frac{1840 \cdot 12}{460 \cdot 3}$ yrs. m. 2 yrs. 6 m. as 2s. 6d. is $\frac{1}{2}$) $\frac{460 \cdot 3}{600 \cdot 1.6}$ for $\frac{2}{5}$ 6 $\frac{2}{6}$ $\frac{6}{600}$ $\frac{4}{3}$ $\frac{6}{6}$ for $\frac{7}{6}$

DEMONSTRATION

Of Interest for Years and Months at £5 per cent.

By the above examples it is evident that calculations of this description can be extended to any amount, and for any length of time. The accuracy of the Rule is clearly evinced by the circumstance of any sum being left at Simple Interest for 20 years, in which time the interest becomes as much as the principal: therefore, by taking such part of the principal as the time is of 20 years, will give the answer with the greatest accuracy.

£6 PER CENT.

THE following rule, for calculations at 6 per cent., is, perhaps, the most concise that has yet been discovered; and as this rate is the legal interest in Great Britain, Ireland, and many other countries, its general utility is the more apparent.

RULE. — Multiply the principal by the number of months, and the product in pounds, taken as shillings, after cutting off the unit figure, which is to be considered as pence, and as many fifths will be the answer.

For 5s. add $\frac{1}{4}d$. For 15s. add $\frac{3}{4}d$. For 16s. 8d., and above, add 1d.

DEMONSTRATION OF £6 PER CENT.

$$\begin{array}{c}
\pounds. \\
\frac{100}{1100} \\
\underline{1200}
\end{array}$$
give $6 \begin{cases} 1 \\ 1 \\ \underline{1} \\ \underline{1} \\ \underline{0} \\ \underline{0} \\ \underline{1} \\ \underline{0} \\ \underline{0} \\ \underline{0} \\ \underline{0} \\ \underline{0} \\ \underline{1200} \\ \underline{0} \\ \underline{1440} \\ \underline{1200} \\ \underline{1200} \\ \underline{1200} \end{cases}$

$$\begin{array}{c}
\pounds. \\
1 \\ \underline{1} \\ \underline{0} \\ \underline{0} \\ \underline{0} \\ \underline{0} \\ \underline{1200} \\ \underline{0} \\$$

This is proved by the Double Rule of Three, as in the case of 5 per cent.; but persons not acquainted with this demonstration, can satisfy themselves by adding $\frac{1}{2}$ th to the interest at 5 per cent., (which is the difference,) and it will give one penny and the fifth of the same. Because, if the interest of each pound for a month is $1\frac{1}{2}d$. any principal multiplied by what months soever, will be $1\frac{1}{2}d$. any principal multiplied by what months soever, will be $1\frac{1}{2}d$. it he operation of reducing them to pounds, shillings, and pence, is performed by dividing the product of the multiple by 200, which is done by cutting off the unit figure, which divides it by ten, and then considering the figures left as shillings, and reducing them to pounds and shillings,

divides again by 20, and dividing by both of which is equal to dividing by 200 in the first instance. The reason of dividing by 200 is, that 200 $1\frac{1}{5}d$, are equal to a pound; it will be seen by the Rule that a proportionate allowance is made for any shillings and pence that may be produced, by multiplying together the principal and months.

The Authors are particularly desirous that those who possess their work should make themselves well acquainted with 5 and 6 per cent., so as to perform the operations with facility, as by obtaining this advantage they can, with little trouble, ascertain the interest of any sum, for any length of time, and at any rate per cent. Knowing how very important these rates are, more examples have been given on each of them, than on any of the following, which they presume are also much simplified.

EXAMPLES.

What is the interest of £30 for 3 months at £6 per cent.?

$$\frac{3}{9|0} = 9s. \ 0d. \ Ans.$$

Here the principal, £30, is multiplied by 3, which produces £90, from which the unit figure is cut off, leaving 9s, which is the Answer, the unit figure to be reckoned as pence.

What is the interest of £40 for 9 months at £6 per cent.?

$$\frac{£40}{9} = £1.15, Ans.$$

What is the interest of £50 for 7 months?

$$\frac{£50}{7} = £1.15, Ans.$$

What is the interest of \mathcal{L} 70 for 8 months?

$$\frac{£70}{8}$$
 $56|0 = £2.16$, Ans.

What is the interest of £95 for 8 months?

$$\frac{8}{76|0} = £3.16$$
, Ans.

What is the interest of £73 for 7 months?

$$\frac{7}{51|1} = £2.11.1\frac{1}{5}, Ans.$$

Here the unit figure cut off is by the Rule considered as $1\frac{1}{5}d$, which, with 51s, give the answer £2.11.1 $\frac{1}{5}$.

What is the interest of £87 for 6 months?

£87

$$\underline{}_{52|2} = £2 \cdot 12 \cdot 2_{5}^{2}, Ans.$$

What is the interest of £97 for 9 months?

£97

$$\frac{9}{87|3} = £4.7.3\frac{3}{5}, Ans.$$

What is the interest of £108 for 8 months?

£108

$$\frac{8}{86|4}$$
 = £4.6.4\frac{4}{5}, Ans.

Find the interest of £125 for 9 months.

$$\frac{9}{112|5} = £5.12.6, Ans.$$

Here the unit figure cut off is 5, which is to be considered as $5\frac{5}{5}d$., and as $\frac{5}{5}$ are equal to 1d., the pence are 6, which, with 112s., give £5.12.6.

What is the interest of £137 for 8 months?

£137
$$\frac{8}{169|6} = £5.9.7\frac{1}{5}, Ans.$$

In this question, the figure cut off is 6, which is $6\frac{6}{5}d$, and as 5 fifths are 1d., 6 fifths are $1\frac{1}{5}d$., with the 6d is $7\frac{1}{5}d$., and 109s. added, give £5.9. $7\frac{1}{5}$.

Find the interest of £146.6.8 for 9 months?

$$\frac{\cancel{\pounds} 146.6.8}{9}$$

$$\frac{9}{131|7.0.0} = \cancel{\pounds} 6.11.82, Ans.$$

There is 6s. 8d. in this question, which, by adhering to the Rule, must be multiplied, and the unit figure of the pounds cut off, which is $7\frac{7}{5}$, or $8\frac{2}{5}$.

What is the interest of £148.10 for 8 months?

£ 148.10
$$\frac{8}{1!8|8.0} = £5.18.9\frac{3}{5}, Ans.$$

What is the interest of £207.13.4 for 9 months?

£207.13.4

$$9$$

 $186[9.0.0 = £9.6.10\frac{4}{5}, Ans.$

The highest unit figure has now been arrived at, which is 9, that is 9d. and 9 fifths equal to $1 \pm d$. give $10 \pm d$.

What is the interest of £125.10 for 11 months?

£ 125 . 10
$$\frac{11}{138[0.10]} = £ 6 . 18 . 0\frac{1}{2}, Ans.$$

After multiplying the principal by 11, there are 10s., for which $\frac{1}{2}d$. is allowed, which is sufficiently near for business, though in reality it may be reckoned as $\frac{2}{5}$.

What is the interest of £285.8.9 for 12 months?

$$\frac{£255.8.9}{12}$$

$$342[5.5.0] = £17.2.6\frac{1}{4}, Ans.$$

What is the interest of £290.1.3 for 12 months

£ 290 . 1 . 3
$$\frac{12}{348|0.15} = £ 17.8.0\frac{2}{4}, Ans.$$

The 348 are shillings, the cipher cut off is pence, and for the 15 shillings $\frac{3}{4}d$, have been allowed, making the answer £17.8.0 $\frac{3}{4}$.

What is the interest of £357.4.2 for 4 months?

$$\frac{£357. 4.2}{4}$$

$$\frac{4}{142.8.16.8} = £7.2.10\frac{3}{5}, A_{h...}$$

The S cut off is 8°_{5} , or 9°_{5} , with a penny allowed for the 16s. 8d. gives 10°_{5} .

What is the interest of £365.8.10 for 13 months?

$$475|0.14.10 = £23.15.04$$
, Ans.

As any thing above 12s. 6d. is $\frac{3}{4}d$., there needs be no hesitation in allowing $\frac{3}{4}d$. in this instance, although, to simplify the method, the Rule directs for 15s. add $\frac{3}{4}d$.

What is the interest of £825.9.2 for 14 months?

$$\frac{£825.9.2}{1155|6.8.4} = £57.15.7\frac{1}{2}, Ans.$$

Here the 6 cut off is $7\frac{1}{5}$, and the 8s. 4d. is a half-penny; but as it is not $\frac{3}{4}d$, put down a half-penny.

Interest for years and months may be done in the same manner, by reducing both into months, as in the following

What is the interest of £70 for 1 year and 8 months?

$$20$$
 months = 1 yr. 8 m.
 $140|0 = £7$, Ans.

What is the interest of £85 for 2 years and 6 months?

$$\frac{30}{255|0} = 2 \text{ yrs. } 6 \text{ m.}$$

$$255|0 = £12.15, Ans.$$

What is the interest of £30 for 3 years and 4 months? £30

40 months.

$$\overline{120|0} = £6, Ans.$$

What is the interest of £147 for 4 years and 2 months?

What is the interest of £289 for 10 years?

$$\pounds2$$
39

120 months.

$$3468|0 = £173.8$$
, Ans.

735|0 = £36.15, Ans.

What is the inspress of £165 for 5 years and 5 months?

What is the interest of £187 for 8 years and 6 months?

$$\frac{£187}{102} = \frac{102}{1907|4} = £95.7.4\frac{4}{5}, Ans.$$

Having given various examples at 6 per cent., which are not only simple at laccurate in the extreme, but, being so easy of division, can be made applicable to numerous other rates of Interest; we shall now give a Rule for 4½ per cent.

 $\mathbf{Rule}.$ — Calculate at $\mathbf{6}\,$ per cent., and deduct a quarter from that amount.

Or, multiply the principal by three quarters of the time, and proceed as in 6 per cent. when the months are even.

EXAMPLES.

What is the interest of £30 for 3 months at $4\frac{1}{2}$ per cent.?

£30
$$\frac{3}{9|0} = \frac{4}{9} \cdot 0d. \text{ at 6 per cent.}$$

$$\frac{2 \cdot 3}{s \cdot 6 \cdot 9d. \text{ at } 4\frac{1}{2} \text{ per cent.}, Ans.}$$

Here we proceed as at 6 per cent., and having found the amount, take off $\frac{1}{4}$, leaving $\frac{3}{4}$ of 6, which is $4\frac{1}{2}$, the answer.

What is the interest of £145 for 5 months?

$$\frac{5}{72|5} = \cancel{\pounds} 3.12.6 \text{ at 6 per cent.}$$

$$\frac{18.1\frac{1}{2} \text{ deduct.}}{\cancel{\pounds} 2.14.4\frac{1}{2}} Ans.$$

What is the interest of £150.10.6 for 7 months?

£ 150.10.6
$$\frac{7}{105|3.13.6} = £5 . 5.4\frac{1}{4} \text{ at 6 per cent.}$$

$$1 . 6.4 \text{ deduct.}$$
£ 3.19.0\frac{1}{4} Ans.

e interest of £ 347.18.10 for 7 months?

Find the interest of £347.18.10 for 7 months?

$$\frac{\cancel{£} 347.18.10}{\cancel{243|5.11.10}} = \cancel{£} 12.3.6\frac{1}{2} \text{ at 6 per cent.} \\
\cancel{£} 9.2.8 \quad Ans.$$

11s. 10d. not being $\frac{3}{4}d$., allow $\frac{1}{2}d$. for it.

What is the interest of £420.11.7 for 11 months?

What is the interest of £100 for 12 months?

$$\begin{array}{c} \pounds 100 \\ 12 \\ \hline 120|0 = \pounds 6. \end{array} \qquad \begin{array}{c} \frac{1}{4} \text{ of } \pounds 6 \text{ at } 6 \text{ per cent.} \\ \hline \pounds 4 \cdot 10 \cdot 0 \end{array} \qquad Proof.$$

Calculations of interest at 41 per cent. may be materially shortened, when three quarters of the time can be taken, as in the following

EXAMPLES.

What is the interest of £185.5 for 4 months at $4\frac{1}{2}$ per cent?

£ 185 . 5

$$3 = \text{to } \frac{3}{4} \text{ of 4 months.}$$

 $55|5.15 = £2.15.6\frac{2}{4}, Ans.$

What is the interest of £225.8.101 for 8 months?

$$\begin{array}{c}
£ 225 \cdot 8 \cdot 10\frac{1}{2} \\
\underline{6} = \text{to } \frac{2}{4} \text{ of } 8 \text{ months.} \\
\underline{135|2 \cdot 13 \cdot 3} = £ 6 \cdot 15 \cdot 3, Ans.
\end{array}$$

In this instance, the 22 and the allowance made for the 13s, 3d. give fully 3 pence.

What is the interest of £228.17.8 $\frac{1}{4}$ for 1 yr. 4 mo.?

$$\frac{\cancel{£} \ 228 \cdot 17 \cdot 8\frac{1}{4}}{12} = \frac{3}{4} \text{ of } 16 \text{ months.}$$

$$\frac{274 \cdot 6 \cdot 13 \cdot 3}{274 \cdot 6 \cdot 13 \cdot 3} = \cancel{£} \ 13 \cdot 14 \cdot 7\frac{3}{4}, \text{ Ans.}$$

What is the interest of £380.1.4 for 1 year and 8 months?

What is the interest of £100 for 12 months?

£100

$$9 = \frac{2}{4}$$
 of 12 months.
 $90|0 = £4.10$, Ans. and Proof.

Rule for Interest at 4 per cent. — Calculate at 6 per cent., and deduct & from that amount.

Or, by taking \frac{1}{3} from the number of months, and multiplying the principal by the remaining months, it then becomes 4 per cent. without the trouble of going into 6 per cent.

EXAMPLES.

What is the interest of £55.3 for 5 months?

£55.3
$$\frac{5}{27|5.15} = \frac{3}{£1.7.6\frac{3}{4}} \text{ at 6 per cent.}$$

$$\frac{9.2\frac{1}{4}}{5.18.4\frac{1}{2}} \text{ at 4 per cent.}, Ans.$$
the interest of £126.10 for 7 months?

What is the interest of £ 126.10 for 7 months?

What is the interest of £158.2.8\frac{1}{4} for 11 months?

$$\frac{\pounds 158.2.81}{11}
\frac{11}{173|9.9.63} = \pounds 8.13.11\frac{1}{4}$$
Deduct $\frac{1}{3}$... $\frac{2.17.11\frac{3}{4}}{\pounds 5.15.11\frac{1}{2}}$ Ans.

The following will be much shortened by multiplying by $\frac{2}{3}$ of the time:—

What is the interest of £286.9.2 for 3 months, at 4 per cent.?

$$\mathcal{L} 286 : 9 : 2$$

$$2 = \frac{2}{3} \text{ of 3 months.}$$

$$57/2 : 18 : 4 = \mathcal{L} 2 : 17 : 3\frac{1}{2}, Ans.$$

What is the interest of £320.17.6 for 6 months?

$$\begin{array}{c} £ 320 . 17 . 6 \\ 4 = \frac{2}{3} \text{ of 6 months.} \\ \hline 128 | 3 . 10 . 0 = £ 6 . 8 . 4\frac{1}{5}, Ans. \end{array}$$

What is the interest of £427.18.9 $\frac{1}{4}$ for 9 months?

$$\begin{array}{c}
£ 427 \cdot 18 \cdot 9_{4} \\
6 = \frac{2}{3} \text{ of } 9 \text{ months.} \\
\hline
256|7 \cdot 12 \cdot 7_{2} = £ 12 \cdot 16 \cdot 9, Ans.
\end{array}$$

What is the interest of £583.0.8 for 15 months!

£ 583.0.8

$$\frac{10}{583|0}$$
.6.8 = £ 29.3.04, or $\frac{2}{5}$, Ans.

What is the interest of £580.19.8 $\frac{3}{4}$ for 1 year and 6 months?

$$\frac{\cancel{\pounds} \, 580 \cdot 19 \cdot 8_{4}^{3}}{12} = \frac{2}{3} \text{ of } 18 \text{ months.}$$

$$\frac{12}{697|1 \cdot 16 \cdot 9} = \cancel{\pounds} \, 34 \cdot 17 \cdot 2_{4}^{1}, \text{ Ans.}$$

What is the interest of £100 for 12 months?

£100

$$8 = \frac{2}{3}$$
 of 12 months.
 $80|0 = £4$, Ans.

Rule for Interest at 33 per cent. — Calculate at 6 per cent., and take half the amount, when it becomes 3 per cent., to which amount add $\frac{1}{6}$. Or, multiply by half the number of months, which saves the trouble of going into 6 per cent.

What is the interest of £30 for 4 months?

£30
$$\frac{2}{2} \stackrel{!}{\cancel{2}} \text{ of } 4 \text{ is } 2 \text{ months.}$$
Add $\stackrel{!}{\cancel{6}}) \stackrel{6|0}{\cancel{6}|0}$ at 3 per cent.
$$\frac{1 \cdot 0}{s \cdot 7 \cdot 0} \text{ at } 3 \stackrel{!}{\cancel{2}} \text{ per cent.}$$

What is the interest of £45 for 6 months?

$$\frac{\cancel{2}45}{13|5} = \frac{6}{13s} \cdot \frac{6d}{s} \text{ at } 3 \text{ per cent.}$$

$$\frac{\cancel{2} \cdot \cancel{3}}{s \cdot \cancel{15} \cdot \cancel{9}} \text{ at } 3\frac{1}{2} \text{ per cent.}$$

What is the interest of £85 for 8 months?

$$285$$
 $4 \ 2$ of 8 is 4 months.

6) $34 \mid 0$ at 3 per cent.

5.8

1.19.8 at $3\frac{1}{2}$ per cent., Ans.

What is the interest of £90 for 7 months?

£90

7

½)
$$63 \mid 0$$
 at 6 per cent.
½) 31.6 at 3 per cent.
5.3

£1.16.9 at $3\frac{1}{2}$ per cent., Ans.

What is the interest of ℓ 125 for 10 months?

£125
$$\frac{1}{6}$$
 of 10 months is 5 months.

$$\frac{5}{62|5} = £3 \cdot 2 \cdot 6 \text{ at 3 per cent.}$$

$$\underbrace{10 \cdot 5}_{£3 \cdot 12 \cdot 11} Ans.$$

What is the interest of £ 145 . 10 for 13 months?

£ 145 . 10

2 of 12 months is 6 months.

$$\frac{6}{87|3.0} = £ 4.7.3 \frac{1}{2} \text{ at 3 per cent.}$$

$$\frac{14.6 \frac{1}{2}}{£5.1.10} \text{ Ans.}$$
What is the interest of £365 for 8 months?

$$\frac{4}{£365} = \frac{1}{2} \text{ of 8 is 4 months.}$$

$$\frac{1}{6} = \frac{1}{2} \text{ of 8 is 4 months.}$$

$$\frac{1}{6} = \frac{1}{2} \text{ of 9 months}?$$

$$\frac{24}{£8.10.4} = \text{ at } 3\frac{1}{2} \text{ per cent.}, \text{ Ans.}$$
What is the interest of £540 for 9 months?

$$\frac{40.6}{283.6} = £ 14.3.6 \text{ at } 3\frac{1}{2} \text{ per cent.}, \text{ Ans.}$$
What is the interest of £650 for 11 months?

$$\frac{£650}{11}$$

$$\frac{1}{2} = £ 20.17.1 \text{ at } 3\frac{1}{2} \text{ per cent.}, \text{ Ans.}$$
What is the interest of £1225 for 8 months?

$$\frac{£1225}{4} = £ 0.8 \text{ is 4 months.}$$

$$\frac{1}{6} = £ 28.11.8 \text{ at } 3\frac{1}{2} \text{ per cent.}, \text{ Ans.}$$
What is the interest of £575 for 1 year and 4 months?

£575

$$\frac{8}{1} = £ 28.11.8 \text{ at } 3\frac{1}{2} \text{ per cent.}, \text{ Ans.}$$
What is the interest of £575 for 1 year and 4 months?

76.8

536.8 = £26.16.8 at 3½ per cent., Ans.

What is the interest of £475 for 1 year and 8 months?

$$\begin{array}{c|c}
 & £475 \\
\hline
 & 10 \\
\hline
 & 1$$

What is the interest of £100 for 12 months at $3\frac{1}{2}$ per cent?

£100

6

6

1/2 of 12 is 6 months.

6)
$$60|0$$

Proof of $3\frac{1}{2}$ per cent. being perfectly accurate.

s. $70.0 = £3.10$

Rule for Literest at 3 per cent.—Three per cent. being the half of 6 per cent., calculate at 6 per cent., and take half the amount.

Or, when the months are even, multiply the principal by half the months, which saves the trouble of going into 6 per cent.

EXAMPLES.

What is the interest of £40 for 2 months?

£40
$$\begin{array}{ccc}
 & \underline{1} & \text{being } \underline{1} \text{ of 2 months.} \\
s. & \underline{4|0} & Ans.
\end{array}$$

What is the interest of £45 . 10 for 4 months?

£45.10
2 the
$$\frac{1}{2}$$
 of 4 months.

s. $9/1\frac{1}{5}d$., Ans.

What is the interest of £55.10 for 8 months?

£55.10
4 the
$$\frac{1}{2}$$
 of 8 months.
 $\frac{24.22}{24.25} = £1.2.22$, Ans.

What is the interest of £91 . 10 for 10 months? £91 . 10

$$\frac{5}{45|7.10}$$
 the $\frac{1}{2}$ of 10 months.

What is the interest of £ 125.10 for 12 months?

£ 125 . 10
6 the
$$\frac{1}{2}$$
 of 12 months.
75|3\frac{3}{5} = £3 . 15 . 3\frac{1}{5}, Ans.

What is the interest of £130 for 7 months.

£130

$$\frac{7}{2)91|0}$$

 $45.6 = £2.5.6, Ans.$

What is the interest of £155.6.8 for 9 months?

£ 155 . 6 . 8 9 2)
$$139 | 8\frac{3}{5} | 0$$
 69 . $10\frac{4}{5} = £3 . 9 . $10\frac{4}{5}$, Ans.$

What is the interest of £225 for 5 months?

£ 225
$$\frac{5}{112|5} = \frac{\frac{1}{2}}{\cancel{£}} \underbrace{5.12.6}_{\cancel{£}} \text{ at 6 per cent.}$$
£ 2.16.3 at 3 per cent.

What is the interest of £395 for 11 months?

£395

$$\frac{11}{434|5} = £21 \cdot 14 \cdot 6 \text{ at 6 per cent.}$$
£10 \(.17 \cdot 3\) at 3 per cent.

What is the interest of £550 for 7 months?

$$\begin{array}{c}
£550 \\
7 \\
\hline
2) 385|0 \\
\hline
192.6 = £9.12.6, Ans.
\end{array}$$

What is the interest of \pounds 651.10 for 1 year 2 months?

What is the interest of £650.5 for 1 year 6 months?

£650.5
9 is
$$\frac{1}{2}$$
 of 18 months.
 $\frac{585|2.5}{2} = £29.5.2\frac{1}{2}$, Ans.

What is the interest of £728.1.6 for 1 year and 8 months?

$$\mathcal{L}$$
 728 . 1 . 6
10 is $\frac{1}{2}$ of 20 months.
 $\overline{728|0.15.0} = \mathcal{L}$ 36 . 8 . $0\frac{3}{4}$, Ans.

What is the interest of £100 for 12 months?

RULE for Interest at $3\frac{3}{4}$ per cent. — Calculate at 3 per cent., (see Rule for 3 per cent.;) to which add one fourth of its amount.

EXAMPLES.

What is the interest of £40 for 8 months at $3\frac{3}{4}$ per cent.?

Add
$$\frac{4}{4}$$
 the $\frac{1}{2}$ of 8 months.

Add $\frac{1}{4}$) 16|0 at 3 per cent.

1.0.0 at $3\frac{3}{4}$ per cent., Ans.

What is the interest of £80 for 6 months?

$$\frac{3}{3} \text{ the } \frac{1}{2} \text{ of 6 months.} .$$
Add $\frac{1}{4} \frac{3}{24|0}$ at 3 per cent.
$$\frac{6}{30} = £1.10 \text{ at } 3\frac{3}{4} \text{ per cent., } Ans.$$

What is the interest of £98 for 10 months?

 $\overline{61.3} = £3.1.3$ at $3\frac{3}{4}$ per cent., Ans

What is the interest of £206.13.4 for 9 months?

£206.13.4

9

½)
$$\overline{1860}$$
 at 6 per cent.

Add $\frac{1}{4}$) 93 at 3 per cent.

23.3

 $\overline{116.3} = £5.16.3$ at 37 per cent., Ans.

What is the interest of £345.9.1 $\frac{1}{4}$ for 11 months?

What is the interest of £405.10 for 1 year 8 months?

$$\frac{\cancel{\pounds} 405 \cdot .10}{\cancel{405} \mid 5 \cdot .0} = \cancel{\cancel{\pounds} 20} \cdot .5 \cdot .6 \text{ at } 3 \text{ per cent.}$$

$$\frac{\cancel{5} \cdot 1 \cdot .4\frac{1}{2}}{\cancel{\pounds} 25 \cdot .6 \cdot .10\frac{1}{2}} \text{ at } 3\frac{1}{4} \text{ per cent.}, Ans.$$

What is the interest of £560 for 1 yr. and 10 months?

$$2560$$
 11 is $\frac{1}{2}$ of 22 months.
Add $\frac{1}{4}$) 616|0 at 3 per cent.
 $\frac{154}{770} = £38.10$, Ans.

What is the interest of £100 for 12 months?

7

Rule for Interest at $3\frac{1}{3}$ per cent., (the rate in general used in Savings' Banks.) — Calculate at 5 per cent., and deduct $\frac{1}{3}$ from that amount; the remainder will be the answer.

Or, multiply the interest for 1 month, at 5 per cent., by $\frac{2}{3}$ of the months when found convenient.

EXAMPLES.

What is the interest of $\mathcal{L}36$ for 2 months at $3\frac{1}{3}$ per cent.? $\mathcal{L}36$ for 1 month at 5 per cent. $\Longrightarrow 3s$.

Deduct
$$\frac{2}{3}$$
) 6s. at 5 per cent.

Ans. $\frac{2}{4s}$, at $3\frac{1}{3}$ per cent.

What is the interest of £126 for 5 months?

Deduct
$$\frac{1}{3}$$
) $\frac{10s. 6d.}{5}$
 $\frac{5}{17.6}$
 $\frac{17.6}{21.15.0}$ at $3\frac{1}{2}$ per cent., Ans.

What is the interest of £132 for 8 months?

$$\begin{array}{c}
11s. \\
8 \\
\frac{1}{3})4 \cdot 8 \\
\underline{1 \cdot 9 \cdot 4}$$
at 5 per cent.
$$\underline{2 \cdot 18 \cdot 8}$$
at $3\frac{1}{3}$ per cent., Ans .

What is the interest of £150 for 9 months?

12s. 6d. for 1 month at 5 per cent.
6 the
$$\frac{2}{3}$$
 of 9 months.
£3.15.0 Ans.

What is the interest of £245.5 for 12 months?

£1.0.5
$$\frac{1}{4}$$
 for 1 month at 5 per cent.
8 the $\frac{2}{3}$ of 12 months.
£8.3.6 Δns .

What is the interest of £365. 15 for 1 year 3 months?

£1.10.53 for 1 month at 5 per cent. 10 the $\frac{2}{3}$ of 15 months.

£15 . 4.94 Ans.

What is the interest of £100 for 12 months?

8s. 4d. for 1 month at 5 per cent.

8 the $\frac{2}{3}$ of 12 months.

£3.6.8 Proof.

Rule for Interest at 21 per cent. — Calculate at 5 per cent., and take half that amount.

Or, multiply the interest for I month at 5 per cent., by 1 the months, when found convenient.

EXAMPLES.

What is the interest of £36 for 3 months?

3s.3

Take 1)9s. at 5 per cent.

4s. 6d. at $2\frac{1}{2}$ per cent., Ans.

What is the interest of £48 for 4 months?

4s. for 1 month at 5 per cent.

2 the 3 of 4 months.

8s. at 24 per cent., Ans.

What is the interest of £120 for 7 months?

10s.

Or, 10s. for 1 month. $3\frac{1}{2}$ is $\frac{1}{2}$ of 7 mo.

Take $\frac{1}{2}$) £3.10 at 5 per cent.

£1.15 Ans.

£1.15 at $2\frac{1}{2}$ per cent. What is the interest of £145.10 for 8 months?

> 12s. 14d. for I month, at 5 per cent. 4 the \(\frac{1}{2}\) of 8 months.

£2.8.6 at $2\frac{1}{2}$ per cent., Ans.

What is the interest of £240 for 15 months?

£1 for 1 month at 5 per cent. 7½ the ½ of 15 months.

£7.10 Ans.

What is the interest of £490.5 for 1 yr. and 4 months? £2.0.10\(^1\) for 1 month at 5 per cent. 8 the $\frac{1}{2}$ of 16 months.

£ 16.6.10 at $2\frac{1}{2}$ per cent., Ans.

What is the interest of £368.2.6 for 1 year and 10 months?

 \pounds 1, 10, 8_8^+ for 1 month at 5 per cent. $\underbrace{11}_{\pounds$ 16, 17, 5_8^2 Ans.

What is the interest of £968.10 for 2 years 1 month?

What is the interest of £ 1000.10 for 2 yrs. 4 months? £ 4.3. $4\frac{1}{2}$ for 1 month at 5 per cent.

 $\underbrace{\frac{14}{\cancel{5} \cdot \cancel{5} \cdot \cancel{7} \cdot \cancel{3}}}_{Ans.} Ans.$

What is the interest of £100 for 12 months?

8s. 4d. for 1 month at 5 per cent 6 the $\frac{1}{2}$ of 12 months. £2.10.0 *Proof*.

Rule for Interest at 2 per cent. — Calculate at 6 per cent. and take $\frac{1}{3}$, which will be the answer.

Or, multiply the principal by $\frac{1}{3}$ of the months, which saves the trouble of finding the interest at 6 per cent.

EXAMPLES.

What is the interest of £50 for 3 months at 2 per cent.?

 $\frac{1}{s. |5|0} \text{ the } \frac{1}{s} \text{ of } 3 \text{ months.}$

What is the interest of £55 for 4 months?

Take $\frac{255}{3}$ at 6 per cent. s. 7.4 at 2 per cent., Ans. What is the interest of £70.10 for 5 months? £70.10 $\frac{5}{35|2.10} = £1.15.3 \text{ at 6 per cent.}$

s. 11.9 at 2 per cent., Ans.

What is the interest of £80.15 for 6 months?

£80.15 2 the $\frac{1}{3}$ of 6 months. $161.10 = 16s.1\frac{3}{4}d$, or $\frac{4}{5}$, Ans.

What is the interest of £ 160 , 12 , 6 for 8 months? £ 160 , 12 , 6

 $\frac{8}{128|5.0.0} = \frac{\frac{1}{3}}{\cancel{\cancel{2}} \cdot \cancel{\cancel{6}} \cdot \cancel{\cancel{8}} \cdot \cancel{\cancel{6}} \cdot \cancel{\cancel{6$

What is the interest of £247.10 for 9 months? £247.10 3 the $\frac{1}{3}$ of 9 months.

74|2.10 = £3.14.3, Ans.

What is the interest of £345.1.6 for 10 months?

£345 . 1 . 6 $\frac{10}{345|0.15.0} = \frac{\frac{1}{3}}{2}$ £17 . 5 . 0\frac{3}{4} at 6 per cent. £5 . 15 . 0\frac{1}{4} Ans.

What is the interest of £356.7 for 1 year 3 months? £356.7 for 1 year 3 months? 5 the $\frac{1}{3}$ of 15 months. $\frac{5}{178|1.15} = £8.18.2$, Ans.

What is the interest of $\mathcal{L}425$ for 1 year and 9 months? $\mathcal{L}425$ 7 the $\frac{1}{2}$ of 21 months.

 $\frac{1}{297|5} = £ 14.17.6, Ans.$

What is the interest of $\pounds 480.3.4$ for 2 years and 3 months?

£480 . 3.4

9 the $\frac{1}{3}$ of 27 months.

432|1.10.0 = £21.12.1 $\frac{1}{5}$, Ans.

What is the interest of £655.12.6 for 2 years at 2 per cent.?

£655.12.6

8 the
$$\frac{1}{3}$$
 of 24 months.

524|5.0.0 = £36.4.6, Ans.

What is the interest of £100 for 12 months? £100

$$\frac{4}{4000} = £2, Proof.$$

Rule for Interest at 1½ per cent. — Calculate at 6 per cent., and take ¼, which will be the answer.

Or, multiply the principal by $\frac{1}{4}$ of the months, (when found convenient,) which gives the answer without going into 6 per cent.

EXAMPLES.

What is the interest of £30 for 4 months? £30

 $\frac{1}{200}$ the $\frac{1}{4}$ of 4 months.

s.
$$3|0$$
 Ans.

What is the interest of £50 for 5 months?

$$\frac{£50}{5}$$

Take $\frac{1}{4}$) 25/0 at 6 per cent.

What is the interest of £70 for 7 months?

Take $\frac{1}{4}$) 49 $|0\rangle$ at 6 per cent.

s. 12.3 at
$$1\frac{1}{2}$$
 per cent., Ans.

What is the interest of £75.10 for 8 months?

£75.10
$$2$$
 the $\frac{1}{4}$ of 8 months.

s.
$$15 \cdot 1\frac{1}{5}$$
 Ans.

What is the interest of £125.6.8 for 9 months? £125.6.8

$$\frac{9}{112|8.0.0} = \cancel{\cancel{2}}_{112} \cancel{\cancel{2}}_{112} \cancel{\cancel{2}}_{112} \text{ at 6 per cent.}$$

$$\cancel{\cancel{\cancel{2}}_{112}} \cancel{\cancel{2}}_{112} \cancel{\cancel{2}}_{112} \text{ at 11 per cent.}, Ans.$$

What is the interest of £165.13.4 for 12 months?

£ 165.13.4

3 the 1 of 12 months.

$$49|7.0.0 = £2.9.8_5^2$$
, Ans.

What is the interest of £245.10 for 1 yr. 8 months? £245.10

5 the $\frac{1}{4}$ of 20 months.

 $122/7 \cdot 10 = £6 \cdot 2 \cdot 9$, Ans.

What is the interest of £365 for 2 years?

£365

6 the 1 of 24 months.

$$2190 = £10.19$$
, Ans.

What is the interest of £475 for 2 years 4 months?

£475

7 the $\frac{1}{4}$ of 28 months.

$$\overline{332|5} = £16.12.6$$
, Ans.

What is the interest of £575 for 3 years?

£575

9 the $\frac{1}{4}$ of 36 months.

$$517|5 = £25.17.6$$
, Ans.

What is the interest of £840.10 for 3 years 4 months?

£840.10

10 the $\frac{1}{4}$ of 40 months.

$$840|5.0 = £42.0.6$$
, Ans.

What is the interest of £951 for 3 years 8 months?

€951

11 the $\frac{1}{4}$ of 44 months.

$$1046|1 = £52.6.1\frac{1}{5}$$
, Ans.

What is the interest of £100 for 12 months?

£100

3 the $\frac{1}{4}$ of 12 months.

$$30|0 = £1.10$$
, Proof.

Rule for Interest at $1\frac{1}{4}$ per cent. — Calculate at 5 per cent., and take $\frac{1}{4}$, or multiply the interest for one month at 5 per cent. by $\frac{1}{4}$ of the months.

What is the interest of £48 for 4 months?

4s. for 1 month at 5 per cent. 1 the $\frac{1}{4}$ of 4 months.

 $\frac{1}{4}$ the $\frac{1}{4}$ of

4s., Ans.

What is the interest of £96 for 5 months?

 $\frac{8s.}{5}$ $\frac{1}{4})\frac{2.0.0}{10s., Ans.}$ at 5 per cent.

What is the interest of £99.15 for 12 months?

8s. $3\frac{1}{4}d$. for 1 month at 5 per cent. 3 the $\frac{1}{4}$ of 12 months.

£ $1.4.11_{4}^{1}$ Ans.

What is the interest of £144.10 for 11 months?

12s, 0½d. 11

Take off $\frac{1}{4}$) $\frac{6 \cdot 12 \cdot 5\frac{1}{2}}{2}$ at 5 per cent.

£ $\frac{1.13.1\frac{3}{8}}{Ans}$.

What is the interest of \mathcal{L} 199.15 for 1 year 4 months?

16s. $7\frac{3}{4}d$. for 1 month at 5 per cent. 4 the $\frac{1}{4}$ of 16 months.

£3.6.7 Ans.

What is the interest of £240 for 1 year 8 months?

£1 for 1 month at 5 per cent.

5 the $\frac{1}{4}$ of 20 months.

£5 Ans.

What is the interest of £365.2.6 for 2 years and 8 months?

 \mathcal{L} 1.10.5 $\frac{1}{8}$ for 1 month at 5 per cent. 8 the $\frac{1}{4}$ of 32 months.

£ 12.3.5 Ans.

What is the interest of £480.15 for 3 years?

£2.0.0 $\frac{3}{4}$ for 1 month at 5 per cent. 9 is $\frac{1}{4}$ of 36 months.

£ 18.0.63 Ans.

What is the interest of £100 for 12 months?

Ss. 4d. for 1 month,

3 the $\frac{1}{4}$ of 12 months.

£1.5.0 Ans.

Rule for Interest, Discount, or Commission, at $\frac{1}{2}$ per cent. — Cut off the units' figure of the \mathcal{L} ; consider those not cut off as shillings, and the units' figure cut off consider as pence and as many fifths: for $\frac{1}{2}$ or $\frac{5}{2}$ in the shillings, add $\frac{1}{2}d$; for 8 or 10, add $\frac{1}{2}d$; for 12 or 14 add $\frac{3}{4}d$., and for 16s. 8d., and upwards, add 1d.; which will give the answer required.

DEMONSTRATION.

Half per cent. being the 200th part of the whole amount, the said amount is divided by 200, which is more fully explained in the Demonstration for Interest, for 6 per cent., for months. See page 47.

EXAMPLES.

What is the commission on £120 at $\frac{1}{2}$ per cent.? £12'0 == 12s., Ans.

Here, as by the Rule, the units' figure is cut off, which is a cipher, and is to be considered as pence, and the 12 not cut off is directed to be considered as shillings, which gives 12s.

What is the discount on £321 at $\frac{1}{2}$ per cent.?

£32
$$|1 = £1.12.1\frac{1}{5}$$
, Ans.

Here the figure cut off is $1\frac{1}{5}d$; the 32 not cut off are 32 shillings.

What is the commission on £425 at $\frac{1}{2}$ per cent.? £42|5 = £2.2.6, Ans.

The 5 cut off is $5\frac{5}{5}$, equal to 6d. This is of course the commission.

What is the commission on £ 1255.5 at $\frac{1}{2}$ per cent.? £ 125|5.5 = £ 6.5.6 $\frac{1}{4}$, Ans.

For the 5 shillings, $\frac{1}{4}d$. is to be allowed. See Rule.

What is the brokerage on £ 1450 . 12 . 6 at $\frac{1}{2}$ per cent.? £ 145|0 . 12 . 6 \Longrightarrow £ 7 . 5 . $0\frac{2}{4}$, Ans. What is the discount of £1552 at $\frac{1}{2}$ per cent.? £155[2 = £7.15.2 $\frac{1}{2}$ 5, or $2\frac{1}{3}d$., Ans.

Find the commission on £7647 at $\frac{1}{2}$ per cent.

The $7\frac{1}{3}d$ are \equiv to $8\frac{2}{5}d$, as five fifths are 1d; seven pence seven fifths are equal to $8\frac{2}{5}d$.

What is the discount on £8769.16.8 at $\frac{1}{2}$ per cent.? £876[9.16.8 \pm £43.16.11 $\frac{1}{5}$ or $\frac{5}{4}d$., Ans.

What is the brokerage on £ 10568.4 at $\frac{1}{2}$ per cent.? £ 1056|8.4 = £ 52.16.9 $\frac{3}{4}$, Ans.

Commission, Discount, Brokerage, at ½, ¼, or ⅓ per cent., will be found particularly useful to bankers and merchants, as these are allowances made by the one to the other for keeping the accounts, &c.

If it be found necessary to find the commission, &c. at $\frac{1}{4}$ per cent., take the half of $\frac{1}{2}$ per cent.; and if $\frac{1}{8}$ per cent. is wanted, take the $\frac{1}{4}$ of half per cent. Thus:—

Find the commission on £4270.10 at $\frac{1}{4}$ per cent.

£
$$427|0.10 = \frac{1}{2}$$
)£ $\frac{21.7.0\frac{1}{2}}{10.13.6\frac{1}{2}}$ at $\frac{1}{2}$ per cent.
£ $\frac{10.13.6\frac{1}{2}}{10.13.6\frac{1}{2}}$ at $\frac{1}{2}$ per cent., Ans.

Find the discount on £8485.18.2 at $\frac{1}{8}$ per cent. £8485.18.2 $= \frac{1}{4}$)£42.8.7 at $\frac{1}{2}$ per cent. £10.12.1 $\frac{2}{3}$ at $\frac{1}{8}$ per cent., Ans.

Should interest be required at 1 per cent., double $\frac{1}{2}$ per cent., or take the $\frac{1}{6}$ of 6 per cent.

As calculations of Interest for days are indispensably necessary to bankers, merchants, traders, &c., and the ordinary plan heretofore introduced being tedious and difficult for making such calculations, we beg leave to introduce the following short and easy method, which has given the greatest satisfaction to all persons who have practised it:—

Rule for Interest for days, at £6 per cent. per annum. — Multiply the principal by the days; for each 100 they produce, allow 4 pence; but for each 6 shillings of interest found, deduct one penny; and so in proportion; the remainder will be the answer.

DEMONSTRATION.

It will be found that the interest of £100 for one day at 6 per cent. will produce $3\frac{3}{6}\frac{5}{6}d$, which being nearly 4d., we consider it as such, and then the deduction of 1d. for each 6s, corrects the error.

It may also be considered as counting the year as 360 days, instead of 365; consequently the difference must be deducted, namely, the same part of the amount as the 5 days are of 365 which is $\frac{1}{13}$, or a penny for each 6s., will give an answer sufficiently accurate.

Note. — Any sums for any number of days, when multiplied together, and producing 100, would give the same result, that is, £20 for 5 days, £25 for 4 days, each when multiplied together, would be the same as £100 for 1 day, or £1 for 100 days. Hence the cause of adopting the above method, which has been allowed by the most competent judges to be perfectly accurate, and in a high degree to combine ingenuity and simplicity.

EXAMPLES.

What is the interest of £10 for 10 days, at 6 per cent.?

What is the interest of £20 for 20 days at 6 per cent.?

$$\frac{£20}{20} = 1s. 4d. \text{ being nearly the quarter of } 6s., a farthing may be taken off.}$$

$$\frac{0\frac{1}{4}}{2} \text{ deduct.}$$

$$s. \frac{1 \cdot 3\frac{2}{4}}{2} \cdot Ans.$$

What is the interest of £30 for 30 days at 6 per cent.?

£30 30 900 = 3s. 0d. $0\frac{1}{2}$ deduct for 3s. $s. 2.11\frac{1}{2}$ Ans.

Note. — As 100 is 4d., 300 must be 1s.; therefore dividing by 300 gives shillings, observing to allow 4d. for every 100 over, after dividing by 300, as the following examples more clearly explain.

What is the interest of £30 for 30 days?

By cancelling 2 figures at each side, it reduces the operation to simply dividing by 3.

s. 3 minus $\frac{1}{2}d$. Ans. 2s. $11\frac{1}{2}d$.

What is the interest of £40 for 40 days?

What is the interest of £45 for 40 days?

#45 40 3|00) 18|00 s. 6 minus 1d. Ans. 5s. 11d.

What is the interest of £50 for 50 days?

 $\begin{array}{c} £50\\ 50\\ \hline 3|00) \hline 25|00\\ s. \ 8. \ 4 \ \text{minus} \ 1\frac{1}{2}d. \quad \textit{Ans.} \ 8s. \ 2\frac{1}{2}d. \end{array}$

What is the interest of £60 for 60 days?

 $\begin{array}{r}
£60 \\
\underline{60} \\
3|00) \overline{36|00} \\
s. \overline{12.0} \text{ minus } 2d. \quad Ans. 11s. 10d.
\end{array}$

What is the interest of £65 for 70 days?

What is the interest of £85 for 80 days?

s. $\underline{22.8}$ minus $3\frac{3}{4}d$. Ans. £1.2. $4\frac{1}{4}d$.

What is the interest of £95 for 50 days?

What is the interest of £125 for 95 days?

$$\begin{array}{c}
\pounds 125 \\
\underline{95} \\
625 \\
\underline{1125} \\
3|00 \\
\hline) \underline{118|75} \\
s. 39.7 \text{ minus } 64d.$$
175 over, being $1\frac{3}{4}$ of a 100, allow 7 pence.

Ans. £1.19.0 $\frac{1}{4}$.

What is the interest of £155 for 110 days?

What is the interest of £3405 for 5 days?

What is the interest of £975 for 130 days?

What is the interest of £1245.10 for 20 days?

£ 1245 . 10
20

$$3|00$$
) 249|10
83 . $0\frac{1}{2}$ minus 1s. $1\frac{3}{4}d$. Ans. £ 4. 1 . $10\frac{3}{4}$.

What is the interest of £1680.10 for 30 days?

What is the interest of £100 for 365 days at 6 per cent.?

$$\begin{array}{c}
365 \\
160 \\
3|00) \\
\hline
365|00 \\
\hline
121.8 \text{ minus 1s. 8d.} \quad Proof, £6.
\end{array}$$

It appears that for 1s. 8d. nothing has been allowed, which could be only $\frac{1}{4}$; but, for all transactions in business, the above Rule has been considered sufficiently accurate.

Any person desirous of bringing out the exact fraction, (which no person in business would deem worth the trouble,) by taking a $\frac{1}{7}$ off, instead of $\frac{1}{7}$, which is a penny for every 6 shillings, will find it calculated to a mathematical nicety.

To calculate Interest at 5 per cent., for days.—Find the interest at 6 per cent., agreeably to the Rule for 6 per cent., and deduct 1th of that amount.

EXAMPLES.

What is the interest of £45 for 40 days at 5 per cent.?

$$3|00) \frac{£45}{40} \\ 3|00) 18|00$$

s. 6 minus 1d.

 $\frac{1}{6}$) 5s. 11d. at 6 per cent. $\frac{11\frac{3}{4}}{4}$ deduct.

Ans. s. $4 \cdot 11\frac{1}{4}$ at 5 per cent.

What is the interest of £30 for 30 days?

£30
3|00)
$$9|00$$
3 minus $\frac{1}{2}d$.

 $\frac{1}{6}$) 2s. $11\frac{1}{2}d$. at 6 per cent. nearly.

Ans. s. 2 . $5\frac{1}{2}$ at 5 per cent.

What is the interest of £60 for 60 days?

$$3|00\>)\frac{\cancel{£}60}{36|00}$$

s. 12 minus 2d. at 6 per cent. 11s. 10d. Deduct
$$\frac{1}{6}$$
 s. $\frac{1 \cdot 11\frac{3}{4}}{9 \cdot 10\frac{1}{4}}$ Ans.

What is the interest of £90 for 95 days?

$$\begin{array}{r}
 95 \\
 90 \\
 \hline
 3|00 \\
 \end{array}$$

28.6 minus
$$4\frac{3}{4}d$$
. at 6 per cent. £1.8.1\frac{1}{6} Deduct \frac{1}{6} \frac{4}{4} \cdot 8\frac{1}{4} At 5 per cent. £1.3.5 Ans.

The foregoing few examples may be sufficient to show how 5 per cent. may be done, by taking 1/6 th from 6 per cent.

We now introduce a different Rule.

Rule. — Multiply the principal by $\frac{1}{3}$ of the days, or the days by $\frac{1}{3}$ of the principal; cut off the unit figure of the £ from that product; consider those not cut off as pence; deduct 1d for each 6s contained therein; the remainder will be the answer.

DEMONSTRATION.

In the Demonstration of Interest for months, at 5 per cent., (page 39,) it was proved that the interest of each \mathcal{L} for a month is one penny, and on that fact is founded this method for days.

Note. — If the principal and days are multiplied together, and the product divided by the number of days in a month, the quotient will doubtless be pence; but, as the average month (by dividing 365 by 12 months) will be found to contain 30½ days, (an awkward division,) we proceed as if there were but 30 days in the month—consequently only 360 in the year; and as dividing any sum by 360, instead of 365, would give a greater quotient, the difference must be deducted; so that the quotient will be the same as if it really had been divided by 365, which will be done effectually by taking such part off as the 5 remaining days are of a year, viz. a 73rd.; but 1d. for each 6s., or a 72nd., will be found near enough for use.

Now, by the following examples, the above dividing is materially abridged; for, by multiplying by $\frac{1}{3}$ of the days, it is only necessary to divide by $\frac{1}{3}$ of 30, which is done by cutting off the unit figure of the £s. of the product, which, as before laid down, is dividing by 10; and by that means a very tiresome operation is entirely dispensed with, and the interest of any sum, at any rate of interest, discovered by persons totally unacquainted with the rudiments of arithmetic; and who, perhaps, from their habits and constitution, &c., are unqualified, for ever acquiring that useful knowledge by the ordinary method.

EXAMPLES.

What is the interest of £20 for 6 days?

£20

$$\frac{2}{4|0}$$
 is $\frac{1}{3}$ of 6.
 $\frac{4}{4}$ = 4d., Ans.

Here the $\frac{1}{3}$ of 6 is 2; 20 multiplied by 2 produces 40; the unit figure cut off leaves 4, which is 4d.; and as only 1d. for 6s. is to be deducted, 4d. being so trifling a part of 6s., we do not take any thing off.

What is the interest of £40 for 9 days?

£40
3 is
$$\frac{1}{3}$$
 of 9 days.
d. $\frac{12|0}{4}$ Ans. Is.

What is the interest of £15 for 16 days?

16 Here
$$\frac{1}{3}$$
 of 15 being easier taken than $\frac{1}{3}$ of 16, $\frac{5}{8|0} = 8d$. Ans.

What is the interest of £25 for 24 days?

£25

$$8 = \frac{1}{3}$$
 of 24 days.
 $\frac{1}{20|0} = 1s$. 8d. minus \(\frac{1}{2}d. Ans. 1s. 7\(\frac{2}{3}\).

What is the interest of £60 for 18 days?

£60

$$\frac{6}{36|0} = \frac{1}{3}$$
 of 18 days.
d. $\frac{36|0}{36|0} = 3s$. minus $\frac{1}{2}d$. Ans. 2s. 11 $\frac{1}{2}d$.

What is the interest of £45 for 40 days?

$$\frac{40}{15} = \frac{1}{3} \text{ of } 45.$$
d. $\frac{60}{0} = 5s$, minus 1d. Ans. 4s. 11d.

Find the interest of £30 for 70 days.

$$\frac{70}{10 = \frac{1}{3} \text{ of } 30.}$$
d. $\frac{70|0}{20} = 5s. \ 10d. \text{ minus } 1d.$
Ans. 5s. 9d.

What is the interest of £65 for 60 days?

£65
$$20 = \frac{1}{3}$$
 of 60 days.
 $130|0 = 10s$. 10d. minus 2d. = 10s. 8d., Ans.

Note. — Such part as the figure cut off is of 10, allow such part of a 1d.

What is the interest of £75 for 33 days?

$$\frac{£75}{11 = \frac{1}{3}}$$
 of 33 days.
 $82|5 = 6s. 10\frac{1}{2}d.$ minus 1d. Ans. 6s. $9\frac{1}{2}d.$

Here, the 5 being $\frac{1}{2}$ of 10, and dividing by 10, allow $\frac{1}{2}d$.

What is the interest of £125 for 36 days?

$$\frac{£125}{12} = \frac{1}{3}$$
 of 36 days.
 $\frac{12}{150|0} = 12s$. 6d. minus 2d. Ans. 12s. 4d.

What is the interest of £145 for 37 days?

£145

$$\frac{12\frac{1}{5}}{1740}$$

$$\frac{48}{178|8} = 14s. \ 10\frac{3}{4}d. \ \text{minus } 2\frac{1}{2}d. \ Ans. \ 14s. \ 8\frac{1}{4}d.$$

Here, $12\frac{1}{3}$ being $\frac{1}{3}$ of 37, multiply by $12\frac{1}{3}$, and the 8 over being $\frac{3}{4}$ of 10, allow for it $\frac{3}{4}d$.

Find the interest of £185 for 61 days.

£185 61 to bring in, being the $\frac{1}{3}$ of 185, the fraction over, being of no consequence, is rejected.

 $376|1 = £1.11.4 \text{ deduct } 5\frac{1}{4}d.$ Ans. £1.10.10\frac{3}{4}.

Here the figure is cut off: being only one and the tenth of a penny, being of no consequence in business, it is rejected.

What is the interest of £250 for 150 days?

$$\begin{array}{c} 5250 \\ 50 \\ \hline 1250|0 = £5.4.2 \text{ minus 1s. } 5\frac{1}{4}d = £5.2.8\frac{3}{4}, \text{ Ans.} \end{array}$$

Having given sufficient examples, we shall introduce a question to prove the accuracy of the rule.

What is the interest of £240 for 73 days? £240 for 1 year, at 5 per cent., is £ 12.0.073 days are $\frac{1}{5}$ of a year = $\frac{1}{2.8.0}$ Ans.

As the interest of £240 for 1 year is 240s., which is £12, and 73 days being the $\frac{1}{5}$ of a year, the interest for 73 days must be the $\frac{1}{5}$ of £12, which is £2.8.

$$\frac{\cancel{£73}}{80} \text{ is } \cancel{$} \text{ of } \cancel{£249}.$$

$$\frac{584|0}{\text{minus}} = 584d. = \cancel{£2.8.8} \text{ minus } 0.0.8$$

$$\cancel{£2.8.0} \text{ Proof.}$$

RULE for Interest for days, at $4\frac{1}{2}$ per cent. — Calculate at 6 per cent., and take $\frac{1}{4}$ from the amount, the same as the Rule given for months at $4\frac{1}{2}$ per cent.

EXAMPLES.

What is the interest of £45 for 40 days?

£45

$$40$$

 $3|00) 18|00$
6 minus 1d. = $\frac{1}{4}$) s. 5 . 11d. at 6 per cent.
 $\frac{1}{4} \cdot 5\frac{3}{4}$ deduct.
Ans. s. $\frac{1}{4} \cdot 5\frac{3}{4}$ at $\frac{1}{5}$ per cent.

What is the interest of £90 for 90 days?

Either of the above calculations may be shortened by taking $\frac{1}{4}$, either from the amount or the days, as in the following example:—

Rule for Interest at 4 per cent. — Calculate by the Rule for 6 per cent. for days, and take 1 from that mount.

EXAMPLES.

WHAT is the interest of £40 for 60 days?

$$3|00\rangle \frac{24|00}{8 \text{ s. minus } 1\underline{1}d.}$$
 $\frac{1}{3}\rangle$
 $\frac{1}{3}\rangle$

What is the interest of £50 for 65 days?

$$\begin{array}{c} 65 \text{ days.} \\ \underline{50} \\ 3|00) \underline{32|50} \\ s. \ 10.10d. \ \text{minus} \ 1_{\frac{3}{4}}^{2}d. \ s. \ 10.81d. \ \text{at 6 per cent.} \\ \underline{3.6_{\frac{3}{4}}^{2}} \ \ \text{deduct.} \\ Ans. \ \ s. \ 7.1_{\frac{1}{2}} \ \text{at 4 per cent.} \end{array}$$

What is the interest of £75 for 70 days?

$$\begin{array}{c}
3|00 \) 53|50 \\
\hline
s. 17.6 \) minus 3d. \\
\hline
\begin{array}{c}
3\\
\hline
s. 17.3 \) at 6 \) per cent. \\
\hline
5.9 \\
\hline
s. 11.6 \) Ans.
\end{array}$$

The above calculations may be shortened, by either taking $\frac{1}{3}$ off the amount, or off the number of days, as in the following example:—

EXAMPLE.

What is the interest of £90 for 90 days?

£90 deduct \(\frac{1}{3}\) of 90 leaves 60. \(\frac{60}{60}\) days.

3|00) 54|00

s. 18 minus 3d. Ans. 17s. 9d. at 4 per cent.

RULE for Interest at 3 per cent., for days.—Calculate at 6 per cent., and take half. Or, multiply the principal by half the days, or the days by half the principal, and proceed as in 6 per cent.

What is the interest of £80 for 80 days?

£80

$$40$$
 days, the $\frac{1}{2}$ of 80.
 $3|00$) $\frac{32|00}{5.10.8}$ minus $1\frac{3}{4}d$. Ans. 10s. $6\frac{1}{4}d$.

What is the interest of £95 for 90 days?

What is the interest of £129 for 81 days, at 3 per cent.? £129 124 $\frac{1}{2}$ over at 4d. the 100, allow 5d. 40 $\frac{1}{2}$ days.

3|00) 52|24½ s. 17 . 5 minus 3d. Ans. 17s. 2d.

Rule for Interest at $3\frac{1}{2}$ per cent., for days. — Multiply the principal by the days; for each 100 they produce allow two pence, which gives the interest at 3 per cent., to which add $\frac{1}{6}$ th, and you have the interest at $3\frac{1}{2}$ per cent., observing to deduct 1d. for each 6s., as in the other Rules.

EXAMPLES.

What is the interest of £30 for 20 days? £30

20 days.

 $\frac{600}{600} \text{ at } 2d. \text{ per } 100 = 1s. 0d. \text{ at 3 per cent.}$ $Add \frac{1}{k} 2$

Ans. 1s. 2 at $3\frac{1}{2}$ per cent.

By dividing the product of the multiplication by 600, it gives shid ags, as in the following

EXAMPLES.

What is the interest of £60 for 60 days, at $3\frac{1}{2}$ per cent.? £60

60 days.

6|00)36|00

Add $\frac{1}{6}$) 6s. at 3 per cent. 1s.

Ans. 7s. minus $1\frac{1}{4}d$. interest 6s. $10\frac{3}{4}d$. at $3\frac{1}{2}$ per cent.

What is the interest of £90 for 80 days?

£90

80 days.

6|00) 72|00

Add $\frac{1}{6}$) 12s. at 3 per cent.

Ans. 14s. minus $2\frac{1}{2}d$. interest 13s. $9\frac{1}{2}d$. at $3\frac{1}{2}$ per cent. What is the interest of £125 for 70 days?

£125 70 days.

 $6|00\rangle \overline{87|50}$ 350 over, at 2d. per 100 = 7d.

Add 1) 14.7 2.5

Ans. 17s. minus Cd. interest 16s. 9d. at 3½ per cent.

What is the interest of £ 365 for 170 days? £365

170 days.

250 over = 5d.

6|00) 620|50

Add 1) 103.5

17.3 nearly.

Ans. s.120.8 minus 1s. 8d. interest £5.19, at $3\frac{1}{2}$.

What is the interest of £100 for 365 days, at $3\frac{1}{2}$ per cent.?

365 days. 100 £.

500 at 2d. per 100 = 10d.

6|00) 365|00

Add 1) 60 . 10

10 . 13

s. $70.11\frac{3}{4}$ minus $11\frac{3}{4}d$. Interest £ 3.10 at $3\frac{1}{2}$, Proof.

Rule for Interest for days, at $2\frac{1}{2}$ per cent. — Calculate at 5 per cent., (see Rule,) and take half, which will be the answer.

EXAMPLES.

What is the interest of £60 for 60 days, at $2\frac{1}{2}$ per cent.?

£60 20 is ↓ of 60 days.

 $d. 120|0=\frac{1}{2}$) 10s. at 5 per cent., minus 2d.

5s. minus 1d. Ans. 4s. 11d.

What is the interest of £95 for 33 days, at $2\frac{1}{2}$ per cent.?

±95 11 is = ⅓ of 33.

 $\frac{104|5}{104|5} = \frac{1}{2}) 8s. 8\frac{1}{2}d.$

4.41 minus 3d. Ans. 4s. 31d.

What is the interest of £185 for 150 days?

£185

50 is $\frac{1}{3}$ of 150.

 $\overline{925|0} = £3.17.1$

 $\frac{1.1}{\frac{1}{2}}$ minus. $\frac{1}{2}$ 3.16.0 at 5 per cent.

 $\pounds 1.18.0$ at $2\frac{1}{2}$ per cent.

It is immaterial whether the penny for every 6s. is taken off when at 5 per cent. or at $2\frac{1}{2}$ per cent.

What is the interest of £360 for 240 days?

£360 80 is
$$\frac{1}{3}$$
 of 240.

 $d. \overline{2880|0} = \frac{1}{2}) £ 12.0.0$

6.0.0

Minus 1.8 £5.18.4, Ans.

What is the interest of £395 for 37 days?

If the figure cut off were 5, the allowance for it would be $\frac{1}{2}d$; consequently $1\frac{2}{3}$ can be of no value.

What is the interest of £100 for 365 days?

365 days.
$$\begin{array}{r}
33\frac{1}{3} \\
12045 \\
121\frac{2}{3} \\
1216|6 = \frac{1}{2})£5 . 1 . 4\frac{1}{2} \\
\hline
2 . 10 . 8\frac{1}{4} \\
8\frac{1}{4} \text{ minus.}$$
£2.10, Proof.

When there is a large sum for many days, the interest may be found more conveniently by the following Rule: —

Pulle for Interest, for days, at 5 per cent. — Multiply the principal by the days. The product divided by 7300 gives pounds, the remainder divided by 365 gives shillings, and that remainder divided by 30 gives pence.

DEMONSTRATION.

If any principal be multiplied by the days for which you wish to find the interest, and the product divided by 365, the quotient, taken as shillings, will give the answer at 5 per cent. And though this method is often adopted in schools, &c., we here give an improvement on, and an explanation of the same. By dividing the product by 7300, which is 20 times 365, it will produce pounds; the remainder divided by 365 will produce shillings; and that remainder by 30, (nearly) the days in a month, will give pence; observing, if the 30 goes into, or measures the dividend without leaving a remainder, to put down a farthing less, by which you allow for dividing by only 30, instead of $30\frac{1}{12}$, the

average days of a month: should it not go exactly, but leave 5 or 6, they will compensate, and nothing needs be allowed.

We here subjoin an example, showing a comparison of the two methods: each bas its advantages.

EXAMPLES.

What is the interest of £100 for 365 days?

What is the interest of £120 for 95 days?

$$\begin{array}{c} 95 \text{ days.} \\ \hline 120 & \pounds. \text{ s. } d. \\ \hline 7300)11400 (1.11.2\frac{3}{4} \text{ at 5 per cent.} \\ \hline 365)4100 \\ \hline 450 \\ \hline \hline 3|0)8|5 \end{array}$$

The above £120 for 95 days, at 5 per cent., by the Rule laid down heretofore, by multiplying by $\frac{1}{3}$ of the principal:—

$$\begin{array}{c} 95 \text{ days.} \\ \underline{40} \cdot \text{is } \frac{1}{3} \text{ of } 120. \\ d. \ \overline{380|0} = \pounds 1.11.8. \\ \text{Minus} \qquad \underline{5\frac{1}{4}d}. \ \text{Interest } \pounds 1.11.2\frac{2}{4}. \end{array}$$

RULE for Interest at £2 per cent., for days. — Calculate by the Rule for days at 6 per cent., (already given,) and take $\frac{1}{3}$ of the amount.

Or, multiply the principal by $\frac{1}{3}$ of the days, or the days by $\frac{1}{3}$ of the principal, and divide by 300, gives the amount without the trouble of going into 6 per cent.

EXAMPLES.

What is the interest of £30 for 30 days?

£30
10 is
$$\frac{1}{3}$$
 of 30.
 $3|00\rangle \frac{3|00}{3}$
s. 1 Ans. at 2 per cent.

What is the interest of £75 for 84 days, at 2 per cent.?

What is the interest of £95 for 120 days?

$$\frac{\pounds95}{40}$$
 is $\frac{1}{3}$ of 120.
 $3|00\rangle \frac{38|00}{38|00}$ 200 over, = 8d.
s. 12.8d. minus 2d. Ans. 12s. 6d.

What is the interest of £110 for 99 days?

£110
33

$$3|00) 36|30$$
 30 over, = 1d,
s. 12 . 1 minus 2d. Ans. 11s. 11d.

What is the interest of £130 for 130 days?

$$\frac{£130}{130}$$

3|00) $\frac{1}{3}$ | $\frac{1$

What is the interest of £195 for 150 days?

£195
50 is
$$\frac{1}{3}$$
 of 150.
 $3|00|97|50$
5. 32.6 minus $5\frac{1}{2}d$. Ans. £1.12.0 $\frac{1}{2}$.

What is the interest of £395 for 240 days?

£395
S0 is
$$\frac{1}{3}$$
 of 240.
 $3|00) \frac{316|00}{s. 105.4}$ minus 1s. $5\frac{1}{2}d$. Ans. £5.3. $10\frac{1}{2}$.

What is the interest of £100 for 365 days?

Should Interest at 1½ per cent., for days, be required, by taking the quarter of 6 per cent., you have the answer; or if the Interest for days, at 1 per cent., by taking the ½ of 6 per cent., you have the answer; or if it be found necessary to find the interest for days at ½ per cent., by taking ½ the amount of the interest for days at 6 per cent., you have the answer.

As it is necessary in calculating Interest for days, to know the number of days the sum has been at interest, the following table will be found useful; which shows the number of days, from any day in one month, to the corresponding day in another month, through the year.

To	Jan.	Feb.	Mar.	April.	May.	June.	July.	Aug.	Sept.	Oct.	Nov.	Dec.
F. M. A. M. J. J. J.	275 245 214 184 153 122	365 337 306 276 245 215 184 153 123	365 334 304 273 243 212 181 151	59 31 365 304 274 243 212 182 151	61 30 365 334 304 273 242 212	120 92 61 365 365 304 273 243 212	150 122 91 61 30 365 334 303 273 242	181 153 122 92 61 31 365 334 304 273	212 184 153 123 92 62 31 365 335	242 214 183 153 122 92 61 30 365 334	273 245 214 184 153 123 61 31 365	303 275 244 214 183 153 122 91 61 30

To find the number of days by the above table. Find

the month in the left-hand column of months, and also the month in the column of months at the top, and see the figures exactly opposite the month in the left-hand column, and under the month in the column above, and they give the number of days from the day of the month in the left, to the same day of the month in the top column.

Should the end of the month of February in a Leapyear occur, it will be necessary to add one day more to the number discovered by the table.

EXAMPLES.

How many days from the 1st of April to the 1st of March?

Here, opposite April, and under March, you find 334, which are the number of days from the 1st of April to the 1st of March.

Find the number of days from the 5th of January to the 5th of July.

See opposite January, and under July, the figures are 181, which are the days from the 5th of January to the 5th of July.

Find the number of days from the 7th of May to the 15th of December.

You find the figures in the column opposite May, and under December, are 214, which gives the number of days from the 7th of May to the 7th of December; but as it is required to know till the 15th of December, you add the difference, 8 days, making it 222 days, the answer.

Find the number of days from the 5th of November to the 3d of May.

Here, from the 5th of November to the 5th of May is found to be (by the table) 181 days; but as it is only required to find to the 3d of May, 2 days must be deducted, leaving 179 days, the answer.

How many days from the 4th of June to the 1st of December?

By the table it appears to be 183 days from the 4th of June to the 4th of December; but the time required being only to the 1st of December, leaves 3 days less. Ans. 180 days.

Find the number of days from the 11th of April to the 17th of December.

From the 11th of April to the 11th of December is found to be 244 days, which being 6 days less than the time required, you add the difference, which is 6 days, making the total 250 days, the answer.

What is the interest of £65 for 3 years, 4 months, and 20 days, at 6 per cent.?

What is the interest of £85 for 4 years, 2 months, and 24 days, at 4 per cent.?

{ deduct $\frac{1}{3}$) 21.11. $\frac{81}{2}$ at 6 per cent. $\frac{1d}{d}$. minus. for 4 p. c. $\frac{7 \cdot 3 \cdot 11}{1}$ at 2 per ct. being $\frac{1}{3}$ of 6 per cent. $\cancel{\pounds}$ 14. $\frac{7 \cdot 91}{2}$ at 4 per cent.

What is the interest of $\pounds 90.7.6$ for 6 years, 8 months, and 24 days, at 5 per cent.?

yrs. mo. s. d. £ s. d.
6 . 8 as 6 . 8 is
$$\frac{1}{3}$$
) 90 . 7 . 6
Interest for 6 yrs. 8 mo. $\frac{30 \cdot 2 \cdot 6}{30 \cdot 2 \cdot 6}$ 90 . 7 . 6
Interest for 24 days, $\frac{5 \cdot 11_{\frac{1}{4}}}{2}$ 8 s. d.
£ 30 . 8 . 5 $\frac{1}{4}$ 72|3 . 0 . 0 = 6 . 0 $\frac{1}{4}$ minus 1d.

It will be seen that the three preceding sums, at 6, 4, and 5 per cent., have been done by the Rules already laid down.

As it may be found necessary, in the purchasing of property, to know at what rate per cent. money may be laid out, it can be easily discovered by the following simple

Rule. — Divide the number of years' purchase into £100, and the result will be the per centage at which your money is laid out.

EXAMPLES.

If 13 years' purchase is given for an estate, the rental of which is £100 per annum, what per cent. do I get for my money?

13) £100£ $7.13.10_{16}^2$ Ans., which is nearly $7\frac{3}{4}$ per cent.

If 15 years' purchase is given for £150 per annum, at what rate per cent. is the money laid out?

15)£100

If 16 years' purchase money is given for £125 per annum, at what rate per cent. was the purchase?

16)£100

Ans. £6½ per cent.; and the purchase money is £2000.

If 21 years' purchase money is given for £190 per annum, what per cent. has the purchaser for his money?

21)£100

Ans. $\frac{\cancel{\cancel{\cancel{L}}} 4.15.2\frac{6}{7}}{\cancel{\cancel{L}}}$ per cent.; and the purchase money is $\cancel{\cancel{\cancel{L}}}3990$.

If 28 years' purchase money is given for an estate of £100 per annum, what per cent. has the purchaser for his money?

28) £100

Ans. £3.11.5 per cent.; and the purchase money is £2800.

To prove the accuracy of the above, multiply the per centage by the number of years' purchase, which gives the annual rent.

In order to find out how money should be laid out in a purchase, so as to ascertain any given rate per cent:—

RULE. — Divide the annual rental by the per centage; the quotient will be the number of years' purchase, which number of years' purchase, multiplied by 100, gives the whole purchase money.

EXAMPLES.

If the annual rental of an estate be £100, what must I give for it, that I may lay out my money at 4 per cent.?

4)£100

the number of years' purchase. 100 the annual rent.

£2500 the purchase money.

If the annual rental of an estate be £50, what number of years' purchase must be given in order to lay out the money at 3 per cent.?

3)£50

 $16\frac{2}{3}$ the number of years' purchase. 100

 \pounds 1666.13.4 the purchase money.

Suppose the annual rent to be £60, what number of years' purchase must be given, so that the money may be laid out at 2 per cent.?

2)60£.

30 years' purchase.

100

£3000 to be paid for the estate.

If I purchase an estate, the annual rent of which is £150, how many years' purchase should be given, that my money be laid out at $3\frac{1}{2}$ per cent.?

3₺ 150£.

2 2

7)300

425 years' purchase.

100

£4285\$ to be paid for the estate.

If the annual rent of an estate be £500, how many years' purchase should be given for it, that $2\frac{1}{2}$ per cent. may be gained by the money laid out?

The above calculations prove themselves, by finding what the interest of the purchase money is, at the same rate as the above sums are stated.

Thus: — The purchase money of the last question is £20,000, being at interest at £2 $\frac{1}{2}$ per cent. per annum, produces £500, being the annual rent of the estate.

To compute, in one Operation, the Interest of several Sums, advanced at different Times, for the Account of another Person.

Bankers and merchants frequently advance sums of money for their correspondents, the interest whereof they charge on settling accounts with them.

The Method of computing and stating an Account of Interest, without the assistance of Interest Tables.

1st. Find the sums due to you at each date of the account, beginning where you are at first in advance for your correspondent, thus:—

The first disbursement, or payment, made by you, out of your own cash, is the first sum due; the following sums due, at the several dates, are found by adding the payments made by you, or subtracting the receipts to or from the sum due at the last foregoing date, respectively.

2nd. In a line with each sum due, write the days from the date thereof to the date which follows next in order of time, whether the article be a payment or a receipt.

3rd. Multiply each sum due by its respective days, and write the product in the same line, a little farther to the right.

4th. Add the several products, and with the total, as if it were a single product of principal and days, pursue the directions for calculating interest for days, as laid down just before.

A banker and merchant open an account current the 1st of January, 1834, the banker advancing the sum of £100, and proceeding as follows:—

1834. £.
$$\pounds$$
. \pounds . \pounds . $\underbrace{ \pounds$. $\underbrace{ \pounds}$. $\underbrace{ \underbrace{ \pounds}_{\text{Days.}}^{\text{Sums dive.}}}_{\text{Days.}} \underbrace{ \underbrace{ \Pr_{\text{Products.}}}_{\text{Products.}}}_{\text{Products.}}$

100 × 15 = 1500

150 × 16 = 2400

70 × 30 = 2100

120 × 22 = 2640

40 × 11 = 440

3|00|90|80

30.3

5 deduct.

£1.9.10 at 6 per cent.

If required to be found at 5 per cent., deduct $\frac{1}{6}$ th from the amount of 6 per cent.

Clearer Demonstration of the above Calculations.

	•
1834.	Prod.
Jan. 1.	Due £100; from the 1st to the 16th of
	Jan., 15 days, multiplied by $100 = 1500$
" 16.	Paid £50, with the £100, give £150;
	from 16th Jan. to 1st Feb., 16 days,
	multiplied by $150 \dots = 2400$
Feb. 1.	Rec'd £80, deducted from £150, leave
	£70; from 1st Feb. to 2nd March, 30
	days, multiplied by $70 \dots = 2100$
Mar. 2.	Paid £50, with £70 before, give £120;
	from the 2nd to the 24th of Mar., 22
	days, multiplied by $120 \dots = 2640$
" 24 .	Rec'd £80, deducted from 120, leave
	£40; from 24th March to 4th of
	April, 11 days, multiplied by $40 \dots = 440$
	9080

The products, divided by 300, give 30s. 3d., from which 5d. being deducted, there being 5 times 6s. in 30, leave the answer, £1.9.10, at 6 per cent.

Another example of an Interest Account, commencing the 15th of January, and ending 4th of May, 1834, at 6 per cent.

Here we shall give the explanation previous to the form, which, like the former, is divided into five columns. The first contains the dates of the several sums paid or received; the second, the sums paid or received on the respective days; the third contains the sums due at each date, which sums are found by adding the payment to the last sum due, and by subtracting the receipts from the last sum due respectively; the fourth contains the numbers of the days from the date of the respective articles to the date next following; and the fifth contains the products of each sum due, multiplied by its respective days.

1834.	£.	1	Days. Prod.
Jan. 15. " 31.	Adva. 123; fr Rec'd 75	om Jan. 15 to 31st.,	16=1968
Feb. 10.	Due 48; fro	om Jan. 31 to Feb. 10,	10 = 480
·· 22.	Due 138; fi Paid 47	rom Feb. 10 to 22,	12 = 1656
Mar. 3.	Due 185; fre Rec'd 100	om Feb. 22 to Mar. 3,	10 = 1850
·· 23.	Due 85; fi Paid 55	rom March 3 to 23,	20 = 1700
April 4.	Due 140; fro Rec'd 100	om Mar. 23 to Apr. 4,	12 = 1680
May 4.	Due 40; fr Rec'd 40	om Apr. 4 to May 4,	30 = 1200 $00) 105 34$
		Deduc	
Ma	ay 4. Interest At 5 per cer	due at 6 per cent., a nt, deduct &	$\begin{array}{c} 5.14.73 \\ 5.94 \end{array}$
		At 5 per cent.,	$\cancel{\pounds} 1.8.10 \frac{1}{2}$

```
Sums due
 1834.
                   £.
                          £.
                                       Pro-lucts.
                  123
                          122 \times 16 = 1968
Jan. 15.
          Paid
 " 31.
          Rec'd
                   75
                           45 \times 10 = 450
Feb. 10.
          Paid
                   90
                          138 \times 12 = 1656
 " 22.
          Paid
                   47
                          185 \times 10 = 1850
Mar. 3.
         Rec'd 100
                           85 \times 20 = 1700
 " 23.
                          140 \times 12 = 1680
         Paid
                   55
Apr. 4. Rec'd 100
                           40 \times 30 = 1200
                               3|00 ) 105|34
                                    \frac{1}{3}) 35 \cdot 1\frac{1}{2} at 6 per cent.
                                        11.81 at 4 per cent.
                                   £1.3.5 at 4 per cent.
```

By deducting $\frac{1}{3}$ from 6 per cent., you have 4 per cent.; and by taking the $\frac{1}{3}$ of 6, you have 2 per cent.; observing to take one penny for each six shillings off each amount.

An Interest Account at 5 per cent., opened February 4, 1833, and closed November 18 of the same year.

```
Sums due.

**E. No. of Days.
 1833.
                 £.
Feb. 4. Paid
                300
                       300 \times 25 = 7500
                      400 \times 10 = 4000
 " 29. Paid
                100
Mar. 10. Rec'd 250
                      150 \times 20 = 3000
 " 30. Paid 100
                      250 \times 13 = 3250
Apr. 12. Rec'd 220
                        30 \times 54 = 1620
June 5. Paid 450
                      480 \times 63 = 30240
Aug. 7. Rec'd 300
                      180 \times 33 = 5940
Sept. 9. Paid 110
                      290 \times 30 = 8700
Oct. 9. Rec'd 100 \mid 190 \times 40 = 7600
Nov. 18. Settled account, 7300) 71850 (9.16.10, Ans.
                               365 ) 6150
                                    2500
                                3|0)31|0
```

When the sum of the product is found, the Second Rule for Interest of days at £5 per cent. is best applied; that is, dividing by 7300 gives pounds for the quotient; the remainder by 365 gives shillings for the quotient; and that remainder by 30, rejecting any fraction over, gives pence, which pounds, shillings, and pence is the answer required, not being subject to a deduction of a penny

for each shilling; consequently the correct answer is £9.16.10. If preferred, the interest may be found at 6 per cent., as in the preceding examples; and 1th deducted from that sum, leaves the answer at 5 per cent.

DISCOUNT.

It being customary for manufacturers to take off a certain discount (extending from 21 to 75 per cent.) from the price of articles purchased, the following methods will, we trust, be found useful.

RULE. — If the discount to be taken off is any aliquot part of a 100, take that part of the gross sum which will be the discount, which being subtracted from the gross sum, leaves the net money, or the money to be paid after taking off the discount.

EXAMPLES,

WHERE THE DISCOUNT IS AN EVEN PART OF 100.

What discount should be taken off £145.3.4, at 21 per cent.?

 $2\frac{1}{2}$ of 100 is $\frac{1}{40}$) £ 145. 3.4 3.12.7 disc. taken off at 21 per cent. £ 141.10.9 net money to be paid.

Take the discount off £203.7.10 at 5 per cent.

5 of 100 is $\frac{1}{20}$) £ 203.7.10 10.3. $4\frac{7}{10}$ discount.

£ 193.4. $5\frac{3}{10}$ net money.

As 5 per cent. is 1s. in the £, &c. &c., we shall give, as we proceed, more simple Rules, when applicable; but such sums as the preceding, to be perfectly accurate, should be done by the foregoing methods.

What discount should be taken off £372.9.2 at 10 per cent.?

10 of 100 is r_0) £ 372.9. 2 37.4.11 discount. £335.4. 3 net money. Take the discount off £ 160 . 17 . 8 at $12\frac{1}{2}$ per cent.

12½ of 100 is
$$\frac{1}{4}$$
) £ 160 . 17 . 8
$$\frac{20. 2.24}{140.15.54}$$
 discount.

Find the discount on 26580.0.10 at 29 per cent.

20 of 100 is
$$\frac{1}{5}$$
) £ 6580.0.10
1316.0.2 discount.
£ 5264.0.8 net money.

What is the discount on £17.8.2 at 25 per cent.?

25 of 100 is
$$\frac{1}{4}$$
) £ 17 . 8 $\frac{2}{13.1}$ $\frac{4.7}{1\frac{1}{2}}$ discount. £ 13.1. $\frac{0\frac{1}{2}}{1\frac{1}{2}}$ net money.

What is the discount on 7s. $10\frac{1}{2}d$. at 50 per cent. ? 50 of 100 is $\frac{1}{2}$) 7s. $10\frac{1}{2}d$.

s. 3.114 discount or net money.

Find the discount on £18.9.10 at 75 per cent.

75 of 100 is
$$\frac{3}{4}$$
) £ 18. 9.10
 $\underbrace{4.12 \cdot 5\frac{1}{2}}_{13.17.4\frac{1}{2}}$ net money.

If the discount to be found is not an even part of 100, divide the sum by 20; the quotient is the discount at 5 per cent., which being multiplied by as many as there are 5 times contained in the discount you wish to find, gives the answer.

EXAMPLES.

Take the discount off 2325, 8.3 at 15 per cent.

20)
$$\frac{325 \cdot 8 \cdot 3}{16 \cdot 5 \cdot 4\frac{19}{20}}$$
 discount at 5 per cent.
Multiply by $\frac{3}{48 \cdot 16 \cdot 2\frac{17}{20}}$, or $\frac{2}{4}d$. disc., at 15 per cent.

By this method the exact fraction is discovered, which every person is at liberty to follow as they wish.

What is the discount on 4s. 10d. at 35 per cent.?

20)
$$\frac{4s. \ 10d.}{2\frac{9}{10}}$$
 at 5 per cent. $\frac{7}{s. \ 1.8\frac{3}{10}}$ at 35 per cent.

Or thus: — Multiply the sum on which the discount is to be discovered by as many as there are 5's in the discount to be taken off.* Consider the pounds produced as shillings, and allow for the shillings, if any, the same part of a shilling as they are of a pound.

EXAMPLES.

Find the discount on £7.8.4 at 15 per cent.

£7.8.4 The £22 as shillings are = £1.2;
and the 5 in the shillings being
$$\frac{1}{4}$$
 of a \mathcal{L} allow $3d$, the $\frac{1}{4}$ of a shilling.
Ans. £1.2.3.

Find the discount on £27.3.10 at $17\frac{1}{2}$ per cent.

£27 . 3 . 10
 The C95, as shillings = £4 . 15;

$$\frac{3\frac{1}{2}}{81 \cdot 11 \cdot 6}$$
 and as 3s. 4d. is just $\frac{1}{4}$ of a pound, allow the $\frac{1}{6}$ of a shilling, = 2d.

 £3 . 11 . 11
 £95 . 3 . 5

Find the discount on £150.14.2 at $31\frac{1}{4}$ per cent.

£ 150.14.2

$$\begin{array}{c}
\underline{61} \\
\underline{62} \\
\underline{61} \\
\underline{$$

^{*} That is, if the discount to be found is 15 per cent., multiply by 3, as there are 3 5's in 15.

1

The following Table of Discounts will be found useful:

Poent.		he £.	P cent.	In	the	£.	ŀ	₽ cent		In t	he £.
	s.	d.	Í		s.	d.	1			s.	d.
1 i	a A	0_3	164	is	3	3		$37\frac{1}{2}$	is	7	6
. ∔ i	s 0	03	173	is	3	6		$38\frac{5}{4}$	is	7	9
🧎 i	s 0	lį	$18\frac{5}{4}$			9	}	40*	is	8	•
	s 0	14	20*	is	4	Ō		411	is	Ř	3
1 is	s 0	$2^{\frac{3}{2}}$	211			3	{	$\begin{array}{c} {\bf 41} \\ {\bf 42} \\ {\bf 42} \\ {\bf 2} \end{array}$	is	8	6
	s 0	0335 1545 125 125 135 135 135 135 135 135 135 135 135 13	221	is		6		434	is	$\tilde{8}$	ğ
2. i	s 0	6	235	is		9		45			ŏ
		9	2144554 22554 25 26 27 29 27 29 20 30	is	5	0		$46\frac{1}{4}$	is		3
5 i	s L	0	261	is		3		471	is	9	6
6∤ i:	s l	3	27 }	is		€		$47\frac{1}{2}$ $48\frac{3}{4}$ 50	is	9	
$7\frac{1}{2}$ is $8\frac{3}{4}$ is 10 is	s l	6	283	is	5	9		50°	is	10	Ō
8¾ i	s 1	9	30*	is	6	0		55	is	11	0
10 i			311	is	6	3	1	60	is	12	0
111 i	s 2	3	321	is	6	6		65	is	13	0
12‡ i	s 2	6	333	is	6	9	ĺ	7'	is	14	0
13¾ i	s 2		35			0	1	7' 75	is		0
114 i 12½ is 13¾ is 15 is	s 3	0	32½ 33¾ 35 36¼	is	7		1	80	is	16	0
			-				1				

By the foregoing table, the discount may be found by finding first at 5 per cent., and multiplying as the case may require.

What is the discount on £125 at 30 per cent.?

£6.5 at 5 per cent.
$$\frac{6}{\cancel{\mathcal{L}}37.10}$$
 at 30 per cent.

What is the discount on £28.10 at 45 per cent.?

£1.8.6 at 5 per cent.

9
£
$$12.16.6$$
 at 45 per cent.

What is the discount on £ 128.2.6 at 70 per cent.?

£6.8.
$$\frac{11}{2}$$
 at 5 per cent.
 $\frac{14}{£89.13.9}$ at 70 per cent.

By the above Rules and Examples, calculations may be made to any extent.

BRITISH AND FRENCH CURRENCY.

WE are indebted to a gentleman who has resided a considerable time in France, for the following short method of bringing French currency into British, and British currency into French currency, or francs:—

Rule to bring Francs into British Pounds sterling.— Cut off the last two figures, and multiply the remainder by 4; the product will be the answer in pounds.

Note. - 25 francs are £1 British.

EXAMPLES.

In 2500 francs how many pounds sterling?

25|00 francs.

Ans. £100 British.

In 2600 francs how many pounds?

26|00 francs.

4'

Ans. £104 British.

In 2720 francs how many pounds?

27|20 francs.

_____4 ______

£108 and 20 francs over =£108.16, Ans.

In 810 francs how many pounds?

8|10 francs.

4

£32 and 10 francs over = £32.8, Ans.

In 3500 francs how many pounds?

35|00 francs.

£140 British, Ans.

In 5624 francs how many pounds?

56|24 francs.

£224 and 24 francs = £224 . 19 . 22, Ans.

In 1805 francs how many pounds?

18|05 francs.

4

£72 and 5 francs = £72.4, Ans.

A franc being 93d., English, 5 must be 4s.

In 2026 francs how many pounds?

20|26 francs.

4

£80 and 26 francs.

26 francs = $\frac{1.0.9_{\frac{3}{5}}}{\pounds 81.0.9_{\frac{3}{5}}}$ English, Ans.

In 20000 francs how many pounds?

4

£800 British, Ans.

In 1000000 francs how many pounds? 10000|00 francs.

4

£40000 British, Ans.

To bring British Pounds to Francs. — Rule. Divide by 4, and add two ciphers.

EXAMPLES.

In £100 British how many francs?

4)£100́

2500 francs, Ans.

In £104 how many francs?

4)£104

2600 francs, Ans.

In £32.8 how many francs?

4)£32.S

800 francs.

8s. over = 10 francs.

Sin francs, Ans.

In £140 how many francs?

4)£140

3500 francs, Ans.

In £224.19.23 how many francs? 4)£224

 $\begin{array}{r}
5600 \\
19s. \ 2\frac{2}{5}d. = 24 \text{ francs.}
\end{array}$ 5624 francs, Ans.

In £72.4 how many francs?

1800

4s. = 5 francs.

1805 francs, Ans.

In £81.0.93 how many francs?

$$4)$$
£81.0.9 $\frac{3}{5}$

2000

£1.0.9 $\frac{3}{5}$ = 26 francs. 2026 francs, Ans.

In £800 British how many francs?

20000 francs, Ans.

In £40000 how many francs?

4)£40000

1000000 francs, Ans.

It will be seen, by inspecting the foregoing calculations, that each of these Rules has been proved by the other.

A Short Method for reducing Boards, &c &c. of various Lengths, Breadths, and Thickness, into Feet.

Rule. - Consider the feet as pence, which reduce to shillings, or shillings and pence, (mentally,) which multiply by the inches.

EXAMPLES.

In a board 24 ft. long and 11 in. broad, how many feet? 24 ft. as 24d. = 2s.

22 feet, Ans.

A board 16 ft. long, 10 in. broad, and 1 in. thick; how many feet?

1 ft. 4 in.
$$\frac{10}{13.4}$$
 in., Ans.

A board 234 ft. long, 11 in. broad, and I in. thick; how many feet?

1 ft.
$$11\frac{1}{2}$$
 in. $\frac{11}{21 \cdot 6\frac{1}{2}}$ in., Ans.

A board 293 ft. long, 8 in. broad, and 1 in. thick; how many feet?

2 ft.
$$5\frac{3}{4}$$
 in. $\frac{8}{19 \cdot 10}$ in., Ans.

A plank measuring 39 ft. long, 9 in. broad, and 2 in. thick; how many feet?

2 ft. 6 in.
$$\frac{9}{100}$$
 ft. $\frac{9}{22.6}$ in., if 1 in. thick. $\frac{2}{100}$ ft. $\frac{2}{100}$ in., $\frac{2}{100}$

Three planks, 29 ft. long each, 7½ in. broad, and 2 in. thick; how many feet?

ft. 108 . 9 in., Ans.

The thickness being 2 in., ! multiply by 15, in preference to 71, first, and that product by 2.

Four planks, each 15 ft. long, 9½ in. broad, and 3 in. thick; how many feet?

$$\begin{array}{c}
5 & \text{ft.} \\
\underline{9\frac{1}{2}} \\
47\frac{1}{2} \\
\underline{3} \\
\text{ft. } 142\frac{1}{2} & Ans.
\end{array}$$

MENTAL CALCULATIONS.

In calculating mentally, the same method is to be adopted as when the figures are employed; that is, when the price is pence.

RULE. — Find the amount at one penny, and multiply by the price; which we shall illustrate by the following

EXAMPLES.

What would 24 lbs. cost at 2d. per lb.?

Say, mentally, 21 at 1d. = 2s.

Multiply by the price, . . 2

4s., Ans.

What would 24 yards cost at 5d. per yard?

Say, 24 at 1d. amount to . . 2s.

Multiply by the price, . . 5

 $\overline{10}s., Ans.$

What would 36 gallons cost at 4d. per gallon?

36 at 1d. amount to . . 3s.

Multiplied by . . 4d., the price.

 $\overline{12}s.$, Ans.

What would 48 yards cost at 7d. per yard?

48 at 1d. amount to . . 4s.

Multiplied by . . 7d., the price.

£1.8 Ans.

What would 48 lbs. cost at 8d. per lb.?

48 at 1d, amount to . . 4s.

Multiply by . . 8d., the price.

£1.12 Ans.

What would 48 stones cost at 9d. per stone?

48 at 1d amount to . . 4s.

Multiply by $\dots 9d$., the price.

£ 1.16 Ans.

What would 48 lbs. cost at 10d. per lb.?

48 at 1d. amount to . . 4s.

Multiply by . . 10d., the price.

£2.0 Ans.

What will 60 gallons cost at 11d. per gallon?

60 at 1d. amount to . . . 5s.

Multiply by . . 11d., the price.

£2.15 Ans.

What would 60 articles cost at 3d. each!

60 at 1d. amount to . . . 5s.

Multiply by . . . 3d., the price.

15s., Ans.

What would 72 yards come to at 7d. per yard?

72 at 1d. amount to . . . 6s.

Multiply by . . . 7d., the price.

£ 2.2 Ans.

What would 72 lbs. cost at 9d. per lb.?

72 at 1d. amount to . . . 6s.

Multiply by . . . 9d., the price.

£2.14 Ans.

What would 84 gallons cost at 3d. each?

84 at 1d. amount to . . . 7s.

Multiply by . . . 3d., the price.

£ 1.1 Ans.

What would 84 yards cost at 4d. per yard? 84 at 1d. amount to . . 7s. Multiply by . . . 4d., the price. £ 1.8 Ans.

What would 84 ounces cost at 5d. per ounce? 84 ounces at 1d. amount to . . . 7s. Multiply by 5d., the price. £ 1.15 Ans. What would 84 ounces cost at 6d. per ounce?

84 ounces at 1d. amount to . . . 7s.

Multiplied by . . . 6d., the price.

£2.2 Ans.

What will 96 gallons come to at 7d. per gallon?

96 gallens at 1d. amount to . . . 8s.

Multiplied by . . . 7d., the price.

£2.16 Ans.

Note. — Should $\frac{1}{2}d$. occur in the price, when calculating mentally, take $\frac{1}{2}$ of what it comes to at 1d., which add in, as in the following

EXAMPLES.

Suppose 48 lbs. at $5\frac{1}{2}d$. per lb.

48 lbs. at 1d. amount to . . . 4s.

Multiplied by . . . 5½

£1.2 Ans.

Here we say, 48 yards or lbs., &c., at 1d., amount to 4s.; being multiplied by 5, gives 20 shillings, the price at 5 pence; and the half of 4s. (what it comes to at 1d.) being 2, what it comes to at $\frac{1}{2}d$.; by adding both, you have the amount at $5\frac{1}{2}d$.

What would 72 yards cost at 6½d. per yard?

72 yards at 1d = 6s.

Multiplied by 61

£1.19 Ans.

What will 96 yards cost at $7 \pm d$, per yard?

96 yards at 1d. amount to . . . 8s.

Multiplied by . . . 7½

s. 60 Ans.

What would 120 gallons cost at 10½d. per gallon?

120 gallons at 1d. amount to . . . 10s.

Multiply by . . . 102

£ 5.5 Ans.

Note. - Should & occur in the price, when calculating

mentally, take 4th of what it comes to at 1d., which add in, as in the following

EXAMPLES.

What would 96 ounces cost at $\$ \frac{1}{4}d$. per ounce?

96 at 1d. amount to . . . 8s. Multiply by . . . 84

£3.6 Ans.

Here we say, 96 at 1d. comes to 8s., which, being multiplied by the 8, gives 64 shillings; and the quarter of 8 shillings being 2, what it comes to at $\frac{1}{4}d$, gives 66 shillings, or £ 3.6s., the price at 84d.

What would 108 ounces cost at 91d. per ounce?

108 ounces at 1d. amount to . . . 9s.

Multiply by . . . 94

£ $\overline{4.3.3}$ Ans.

What would 120 gallons cost at 101d. per gallon?

120 gallons at 1d. amount to . . . 10s.

Multiply by . . . 10‡

£5.2.6 Ans.

Note. — Should $\frac{3}{4}d$, occur in the price when calculating mentally, take 3 quarters of what it comes to at 1d., which add as in the following

EXAMPLES.

Suppose 96 gallons at $2\frac{3}{4}d$. per gallon.

96 gallons at 1d. amount to . . . 8s.

Multiply by $\dots 2\frac{3}{4}$ $\pounds 1.2$ Ans.

Note. — In this question, 96 at 1d. amount to 8s., which being multiplied by 2, gives 16s.; then the 3 quarters of 8 shillings being 6, which you add, (being the price at 3 farthings,) it gives 22 shillings, the amount of 96 at 23d.

What will 144 lbs. cost at $5\frac{2}{3}d$. per lb.?

144 lbs. at 1d. amount to . . . 12s.

Multiply by $...5\frac{3}{4}$

£3.9.0 Ans,

```
What will \approx 4 gallons cost at 7\frac{1}{4}d, per gallon?

\approx 1 at 1 d, amounts to . . . 7s.

Multiply by . . . 7\frac{1}{4}

= 2 \cdot 10 \cdot 9 Ans.
```

What will 132 ounces cost at $10\frac{1}{2}d$, per ounce? 132 at 1d. amount to . . . 11s. Multiply by . . . $10\frac{1}{2}$ £ 5 . 15 . 6 Ans.

Suppose 108 yards at $10\frac{2}{4}d$. per yard?

108 at 1d. amount to . . . 9s.

Multiply by . . . $10\frac{3}{4}$ £ 4.16.9 Ans.

Having given many examples in Mental Calculations, with explanatory notes, we think a table of that description may be acceptable to Principals of Seminaries, as also the heads of families, to exercise the young Pupil in, they being calculated to strengthen the memory, and much facilitate their power of solving questions in the mind.

Table of Calculations to be answered Mentally.

Per yd.			
yds. $s.$ $d.$	\pounds . s. d.	lbs. $s.$ $d.$	\pounds . s. d.
24 at 0 3		36 at 0 9	1 7 0
24 at 0 4	$0 \ 8 \ 0$	36 at 0 10	1 10 0
24 at 0 5	0 10 0	36 at 0 11	1 13 0
24 at 0 6	0 12 0		
24 at 0 7	0 14 0	gals. per gal.	
24 at 0 8	0 16 0	ິ37 at 0ິ1	
24 at 0 9	0 18 0	37 at 0 2	
24 at 0 10	1 0 0	37 at 0 3	0 9 3
24 at 0 11	0 2 0	37 at 0 4	0 12 4
$lbs.$ $per\ lb.$		37 at 0 5	0 15 5
36 at 0 3	0 9 0	37 at 0 6	0 18 6
36 at 0 4	0 12 0	37 at 0 7	1 1 7
36 at 0 5	0 15 0	37 at 0 8	
36 at 0 6	0 18 0	37 at 0 9	1 7 9
36 at 0 7	1 1 0	37 at 0 10	1 10 10
36 at 0 8	1 4 0	37 at 0 11	1 13 11

			foll						١.,			er gaļ.				nsw	
hal	fpe	nn	y is	in	tr	odı	ıced	in	gal.		S					. s.	d.
the	pr	ice							72	at		_	•	•	0		0
									72	at	0		٠	•	0		0
7£ .			er lb.				nswe		72	at	0	- 3	٠	•	1	1	0
lbs 48		s. 0				£.		_d. _0	72	at	0		•	•	1	4 5	0 6
48	at at	0	_	•	•		12	0	72	at at	0	4 <u>1</u> 54	٠	٠	1	13	0
48	at	0		•	•	0	14	0	72	at	0	4:1	•	•	1	17	6
48	at	0		•	٠	0	16	ő	73	at	0	6 <u>}</u> 7.}	٠	•	2	5	0
48	at	ő	_	٠	•	_	18	Ö	72	at	0	81	•	•	$\tilde{2}$	9	6
48	at	0			•	ı	0	ŏ	72	at	0	91	:	:	$\tilde{2}$	17	0
48	at	ŏ		:		ì	2	0	72	at	ŏ	10	:		$\tilde{3}$	ò	0
48	at	0		•		ī	$\tilde{4}$	0	73	at	ŏ	101	:		3	i	6
48	at	ŏ	$6\frac{1}{2}$:		î	6	ő	72	at	ŏ	$10\frac{1}{2}$:	3	$\tilde{3}$	ő
48	at	ŏ				î	\ddot{s}	ŏ	72	at	ŏ	11			3	6	ŏ
48	at	ŏ	$7\frac{1}{2}$			ī	10	ŏ	72	at	ŏ	111		·	3	7	6
48	at	ŏ	8^{2}			ī	12	ŏ	72	at	ŏ	113			3	9	ŏ
48	at	ŏ	81			ī	14	Ŏ			-	2		•	_	_	_
48	at	ŏ	$\tilde{9}^2$			ī	16	ŏ	ston	cs.	pe	r stor	ıc.				
48	at	0	91			1	18	0	84	at	10	1			0	7	0
48	at	0	102			2	0	0	84	at	0	3			1	1	0
48	at	0	101			2	2	0	84	at	0	$3\frac{1}{2}$			1	4	6
48	at	0	11			2	4	0	84	at	0	4			1	8	0
48	at	0	113			2	6	0	5 4	at	0	$4\frac{1}{2}$			1	11	6
			-						84	at	0	5			1	15	0
sto	res.	ne	r sto	nc.					84	at	0	$5\frac{1}{2}$			1	18	6
60	at	0	1			0	5	0	84	at	0	6^{-}			2	2	0
60	at	0	3			0	15	0	-84	at	0	$6\frac{1}{4}$			2	3	9
60	at	0	$3\frac{1}{2}$			0	17	6	84	at	0	$6\overline{\mathfrak{z}}$			2	5	6
60	at	0	4			1	0	0	84	at	0	7			2	9	0
60	at	0	41			1	2	6	84	at	0	71			$\frac{2}{2}$	12	6
60	at	0	5			1	5	0	84	at	0	×Ĩ			2	17	9
60	at	0	$5\frac{1}{2}$			1	7	6	84	at	0	9		٠	3	3	0
60	at	0	6^{-}			1	10	0	84	at	0	$9\frac{1}{2}$		•	3	6	6
60	at	0	$6\frac{1}{2}$			1	12	6	84	at	0	10	•	•	3	10	0
60	at	0	$7\frac{1}{2}$			1	17	6	84	at	0	$10\frac{1}{2}$			3	13	6
60	at	0	8^{-}			2	0	0	84	at	0	11	•	•	3	17	0
60	at	0	8^{5}			2	2	6	84	at	0	$11\frac{1}{2}$	•	٠	4	0	6
60	at	0	9			2	5	0									
60	at	0	9_{2}^{1}			2	7	6	oz.		pe	r oz.			_	_	
60	at	0	10			2	10	0	96	at	0	1	•	٠	0	8	0
60	at	0	$10\frac{1}{2}$			2	12	6	96	at	0	3	•	•	1	4	0
60	at	0	11		•	2	15	0	96	at	0	$3\frac{1}{4}$	•	•	1	6	0
60	at	0	$11\frac{1}{2}$	•	•	2	17	6	96	at	0	$3\frac{1}{2}$	•	•	1	8	0
			_		1	1											

		P	er oz.			nswe	ers.	1		Pe	r lb.		nswe	rs.
oz.		s.	d.		£	. s.	d.	lbs.		s.	d.	£		d.
96	at	0	$3\frac{3}{4}$. 1	10	0	120	at	. 0	41	9	2	6
96	at	0	41		. 1	14	0	120	at	0		:		0
96	at	0	53		. 2	6	0	120	at	. 0				6
96	at	0	$6\frac{1}{4}$. 2		0	120	at	_	$6\frac{1}{2}$			Ō
96	at	0	$6\frac{1}{2}$. 2		0	120	at		- 2	§	7	6
96	at	Ŏ	$6\frac{2}{4}$	•			Ŏ	120	at			8	10	Õ
96	at	ŏ	$7\frac{1}{4}$. 2		ŏ	120	at					6
96	at	ŏ	$7\frac{1}{2}$. 3	ŏ	ŏ	120	at	_	71	3		ŏ
96	at	ŏ	83		. 3	10	ŏ	120	at		$\frac{7\frac{7}{4}}{7\frac{3}{4}}$. 3		6
96	at	ŏ	9				ŏ	120	at	ŏ	8	. 4		ŏ
96	at	Ŏ	$9\frac{1}{4}$. 3	14	ŏ	120	at	ŏ		. 4		6
96	at	ŏ	93			18	ŏ	120	at	ŏ	$8\frac{1}{5}$.			ŏ
96	at	ŏ				2	ŏ	120	at	ŏ	83.			6
96	at	Ŏ				$\tilde{6}$	ŏ	120	at	ŏ	$\tilde{9}^{4}$.			ŏ
96	at	Õ	11			8	ŏ	120	at	ŏ	$9\frac{1}{2}$.			ŏ
96	at	Ŏ	113		_	12	ŏ	120	at	ŏ	$10\frac{2}{4}$.	. 5		6
96	at	Ŏ	113		4	14	ŏ	120	at	ŏ	114.			ŏ
-		Ū	4	•	_		Ü	120	at	ŏ	113 .			ŏ
gals		ทคา	· gal.					1.00	46	٠	112 .			·
108	at		î		0	9	0	[
108	at	0	$\dot{\bar{3}}$			7	ŏ	132	at	0	1.	. 0		0
108	at	ŏ			_	11	6	132	at	0	3 .		13	0
108	at	ŏ	41			18	3	132	at	0	$3\frac{1}{2}$.	. 1	18	6
108	at	ŏ				9	6	132	at	0	$3rac{3}{4}$.	. 2		3
108	at	ŏ	6^2			14	Õ	132	at	0	4 .			0
108	at	ŏ				16	3	132	at	0	$4\frac{1}{4}$.	. 2	6	9
108	at	0	$\frac{54}{7\frac{1}{2}}$			7	6	132	at	0	5.	. 2		0
108	at	ŏ	$8\frac{2}{4}$			18	9	132	at	0	$5\frac{1}{2}$.	. 3		6
108	at	ŏ	$\mathbf{9^4}$			1	0	132	at	0	o≱.	. 3	3	3
108	at	ŏ				5	6	132	at	0	7 .	. 3	17	0
108	at	ŏ	102			10	0	132	at	0	$7\frac{1}{4}$.	. 3	19	9
108	at	ŏ	10 1	• •	_	14	6	132	at	0	$8\frac{1}{2}$.		13	6
108	at	ŏ				16	9	132	at	0	9.	. 4	19	0
108	at	0		• •		19	ő	132	at	0	$9\frac{1}{4}$.	. 5	1	9
108	at	ŏ	1112			3	6	132	at	0		. 5	10	0
100	u.	٠	112	• •	U	U	U	132	at	0	$10\frac{3}{4}$.	. 5	18	3
lbs.		no	r lb.					132	at	0		. 6	1	0
120		0^{per}	1		Ω	10	0	132	at	0	11½.	. 6	6	6
120	at	ŏ				10	0				-			
120	at	ŏ		• •	i	12	6	oz.		***	r 07			
120	at	ŏ			î	15	0	144	at		r <i>oz.</i> 1 .	. 0	12	0
120	at	Ö	- 5	• •	i	17	6	144	at	Ö		. 1	16	0
120	at	ŏ	4	• •	$\hat{2}$	ò	0		at	ŏ	31 .			0
		-	-			•	~ 1		***	•	94 .		1.0	

	P	er lb.		A	nswe	ers.	oz.	P	er oz.
lbs.	s.			£.		d.	37	at	5
144 at	0	$3\frac{1}{2}$		2	2	0	40	at	6
144 at	0	$3rac{3}{4}$		2		0	48	at	$\frac{6\frac{1}{4}}{7\frac{1}{4}}$
144 at	0	4		2	8	0	60	at	7 <u>1</u>
144 at	0	$rac{4rac{1}{2}}{4rac{3}{4}}$		2	14	0	72	at	73
144 at	0	$4\frac{3}{4}$		2	17	0	84	at	$8\frac{7}{2}$
144 at	0	5		3	0	0	90	at	10
144 at	0	51	٠	3	3	0	96	at	$10\frac{3}{4}$
144 at	0	5_{2}^{1}		3		0	100	at	4
144 at	0	51 52 7		3		0	102	at	9
144 at	0	7		4	4	0	120	at	$3\frac{1}{2}$
144 at	0	7 1 7 1 7 4		4	7	0	124	at	4
144 at	0	$7\frac{1}{2}$		4	10	0	126	at	6
144 at	0	7≩		4	13	0	132	at	83
144 at	0	8		4	16	0	144	at	$\frac{8\frac{1}{2}}{9\frac{3}{4}}$
144 at	0	$8\frac{1}{4}$		4	19	0	25	at	\mathbf{s}
144 at	0	$9\frac{1}{2}$		5	14	0	16	at	3
144 at	0	$10\frac{3}{4}$		6	9	0	26	at	9
144 at	0	11			12	0			
144 at	0	113		7	1	0			

The answers in the preceding tables are not to be committed to memory; but should be obtained by actual calculation, that the learner may be thoroughly trained in such mental exercises.

Having laid down a variety of calculations from 1 penny to $11\frac{2}{4}d$, we shall now introduce some calculations to be solved mentally, where the price is shillings;

Shillings and 3 pence;

Shillings and 6 pence;

Shillings and 9 pence.

		Per	yd.		An	swe	rs.	1		Per	· yd		A	nsw	ers.
yds.		s.	d.		£.	s.	d.	yds		s.	d.		£.	s.	d.
60 a	at	1	0		3	0	0	60	at	6	0		18	0	0
60 :															
60 :															
60 a	at	4	0		12	0	0	60	at	9	0		27	0	0
60 :															

		Per	уd		A	nswei	rs.	ı		Per	yd.	Αn	swer	s .
yds		5.	d		£.	s.	d.	yds.		s.	d.	£.	s.	d.
60	at	11	0	٠.	. 33	0	0	100		5	0	25	0	0
60	at	12	0		36	0	0	100	at	5	$6 \cdot \cdot$	27	10	0
								100	at	6	0	30	0	0
80	at	1	0		4	0	0	100	at	6	1	30	8	4
80	at	3	0		12	0	0	100	at	6	3	31	5	0
-80	at	3	3		13	0	0	100	at	7	$0 \dots$	35	0	0
89	at	3	6			0	0	100	at	8	3	41	5	0
-80	at	4	0			0	0	100	at	8	$6 \dots$	42	10	0
80	at	4	3		17	0	0	100	at	9	1	45	8	4
80	at	4	6		18	0	0	100	at	10	$2 \dots$	50	16	8
80	at	4	9		19	0	0	100	at	10	6	52	10	0
80	at	5	0			0	0	100	at	11	3	56	5	0
80	at	5	3			0	0	100	at	12	0	60	0	0
89	at	5	6		22	0	0	100	at	12	$2 \dots$	60	16	8
80	at	5	9		23	0	0	100	at	12	9	63	15	0
80	at	6	0		24	0	0							
80	at	6	3			0	0	120	at	3	0	18	0	0
80	at	6	_		26	0	0	120	at	3	6	21	0	0
80	at	6	9		27	0	0 ¦	120	at	4	3	25	10	0
80	at	7	0		28	0	0	120	at	4	9	28	10	0
80	at	7	3		29	0	0	120	at	5	0	30	0	0
80	at	8	6		34	0	0	120	at	5	3	31	10	0
80	at	9	0		36	0	0	120	at	6	6		0	0
80	at	10			43	0	0	120	at	7		42	0	0
80	at	11			44	0	0	120	at	7			10	0
80	at	11				0	0	120	at	8		52	10	0
80	at	12	0		4 8	0	0	120	at	9		54	0	0
							- }	120	at	9			10	0
100	at	3			15	0	0	120	at	10	9		10	0
100	at	3			17	10	0	120	at	11	l		10	0
100	at	4			20	0	0	120		11	6		0	0
100	at	4			20	8	4	120	at	12	0		0	0
In	th	ie al	oov	e, 1	the	100	at	120	at	12	6	75	0	0
1s. i	s J	£5 a	t 4	s.,	amo	unt	to							
£20	, ir	ıad	diti	on					at	1	0	6	10	0
100	at	1d.	=	3s.	4d.	, gi	ve		at	3	0	19	10	0
$\pounds 20$).8	4.4.				_		130	at	4	0	26	0	0

^{*} Here 80 at 1s. $\pm \pounds 4$ multiplied by $\therefore 3\frac{1}{4}$ gives the Ans. £13

	er yd. A	nswe	ers.	i		Per	yd.	A	nswe	TB.
yds. s	. d. £.	s.	d.	yds.		s.	d.	£.	3.	d.
130 at 8	$5 0 \dots 32$	10	0	160	at	6	9.	. 54	0	0
130 at 6	3 0 39	0	0	160	at	7	0.		0	Ō
130 at 7	70.45	10	0	160	at	7	1.	. 56	13	4
130 at 8	3 0 52	0	U	169	at	7	3.	. 58	0	Ō
130 at 9	058	10	0	160	at	7	6	60	0	0
130 at 10	065	0	0	160	at	9	9	. 78	0	0
130 at 11		10	0	160	at	10	3.	_	0	0
130 at 13	2 0 78	0	0	160	at	10	6	84	0	0
				160	at	10	9	86	0	0
140 at 3	3 0 21	0	0	160	at	11	0	88	0	0
140 at 3	6 24	10	0	160	at	11	1	88	13	4
140 at 4	1 0 28	0	0	160	at	11	3	90	0	0
140 at 4	1 329	15	0	160	at	11	6	92	0	0
140 at 4	631	10	0	160	at	11	9	94	0	0
140 at 5	3 36	15	0	160	at	12	0	96	0	0
140 at 6	6 45	10	0	160	at	12	3	98	0	0
140 at 7	350	15	0							
140 at 8	056	0	0	180	at	3	0	27	0	0
140 at 8	156	11	8	180	at	3	6	31	10	0
140 at 8	659	10	0	180	at	3	9	33	15	0
140 at 9	063	0	0	180	at	4	0	36	0	0
140 at 9	163	11	8	180	at	4	1	36	15	0
140 at 9	364	15	0	180	at	4	2	37	10	0
140 at 9	666	10	0	180	at	4	3	38	5	0
140 at 10	371	15	0	180	at	4	6	40	10	0
140 at 10	975	5	0	180	at	5	0	45	0	0
140 at 11	077	0	0	180	at	5	3	47	5	0
140 at 11	177	11	8	180	at	5	6	49	10	0
140 at 11	680	10	0	180	at	6	9	60	15	0
140 at 12	084	0	0	180	at	7	0	63	0	0
140 at 12	687	10	0	180	at	7	3	65	5	0
				180	at	7	6		10	0
160 at 3	024	0	0	180	at	7	9		15	0
160 at 3	628	0	0	180	at	8	0	72	0	0
160 at 4	032	0	0	180	at	8	1		15	0
160 at 4		13	4	180	at	8	3	74	5	0
160 at 4		0	0	180	at	9	0	81	0	0
160 at 4		0	0	180	at	9	6	85	10	0
160 at 4		0	0	180	at	10	3	92	5	0
160 at 5		0	0	180	at	11	$0 \dots$	99	0	0
160 at 5	$3 \dots 42$	0	0	180	at	11	6.	103	10	0

		Per	yd.	Ar	awe	rs.	1		Per	yd.	An	swe	ers.
yds.		s.	d.	£.	s.	d.	yds.		s.	d.	£.	s.	d.
ĭ 80		12	0.	108	0	0	200		11	6	 115	0	0
							200	at	12	0	 120	0	0
200	at	3	0.	. 30	0	0	200	at	12	6	 125	0	0
200	at	3	3 .	. 32	10	0	l						
200	at	3	6.	. 35	0	0	61	at	3	0			
200	at	3	9.	. 37	10	0	65	at	4	0			
200	at	4	3 .	. 42	10	0	80	at	4	3			
200	at	4	6.	. 45	0	0	80	at	5	1			
200	at	4	9.	. 47	10	0	100	at	7	9			
200	at	5	0.	. 50	0	0	126	at	9	0			
200	at	5	1.	. 50	16	8	140	at	9	6			
200	at	5	6.	. 55	0	0	150	at	10	0			
200	at	6	0.	. 60	0	0	163	at	11	0			
200	at	6	3 .	. 62	10	0	180	at	11	1			
200	at	6	6.	. 65	0	0	180	at	11	6			
200	at	7	0.	. 70	0	0	200	at	11	9			
200	at	7	9.	. 77	10	0	24	at	3	0			
200	at	8	6.	. 85	0	0	62	at	7	0			
200	at	9	3.		10	0	68	at	9	0			
200	at	9	6.	. 95	0	0	104	at	11	0			
200	at	9	9.	. 97	10	0	240	at	3	6			
200	at	10	l.	100	16	8	242	at	9	0			
200	at	11	0.	110	0	0	17	at	3	0			

Having given extensive lists of mental calculations, with the answers annexed, that persons wishing it can improve themselves; and also, that principals of seminaries, or heads of families, can adopt the method employed by the authors, in exercising their pupils in calculations of the same description; a few have been added, where the price is both shillings and pence, without the answers, which can be solved with the same ease as those to which the answers are attached.

We shall now add some questions to exercise the learner in the foregoing Rules, only a few of which shall be worked in full.

EXAMPLES.

What will 26 yards cost at 5d. per yard?

Ans. 10s. 10d.

What will 34½ lbs. cost at 7d. per lb.?

Ans. £1.0.13.

What will 551 gallons cost at 8d. per gallon? Ans. £1 16 10. What will 1263 stones cost at 9d. per stone? Ans. £ 4 15 03. What will 1481 ounces cost at 10d. per ounce? Ans. £6 3 51. What will 96 yards cost at 71d. per yard? Ans. £2 18 0. What will 108 lbs. cost at 84d. per lb.? Ans. £3 16 6. What will 240 gallons cost at 93d. per gallon? Ans. £9 15 0. What will 960 yards cost at 103d. per yard? Ans. £41 10 0. What will $152\frac{1}{2}$ lbs. cost at $8\frac{1}{4}d$. per lb.? Ans. £5 4 104. What will 1601 gallons cost at $10\frac{3}{4}d$, per gallon? Ans. £7 3 611, or $\frac{1}{2}d$.

Note. — The price of all the above is to be found at 1d., and multiplied by the price.

EXAMPLES.

THE price of each of the following is to be found at 1s., and multiplied by the price:—

What will 44 gallons cost at 11s. per gallon?

Ans. £24 4 0.

What will 96 yards cost at 9s. per yard?

Ans. £43 4.

What will 97 yards cost at 7s. per yard?

Ans. £33 19 0.

What will $89\frac{1}{4}$ gallons cost at 8s. per gallon?

Ans. £35 14 0.

What will $91\frac{1}{2}$ ounces cost at 9s. per ounce?

Ans. £41 3 6.

What will $93\frac{3}{4}$ yards cost at 7s. per yard?

Ans. £ 32 16 3. What will 104 $\frac{1}{8}$ ounces cost at 10s. per ounce?

Ans. £52 1 3. What will 44 yards cost at 4s. 1d. per yard?

Ans. £8 19 8.

What will 66 yards cost at 5s. 2d. per yard?

Ans. £ 17 1 0.

What will 91½ gallons cost at 8s. 1d. per gallon?

Ans. £ 36 19 7½.

What will 1101 ounces cost at 8s. 2d. per ounce?

£5.10.3 at 1s.
8 2 18s.
$$4\frac{1}{2}d$$
. to bring in.
£45.0. $4\frac{1}{2}$ Ans.

All the above should be done in one line, by the above method.

What would 80 yards cost at 3s. 3d. per yard?

$$\frac{\pounds 4}{3\frac{1}{4}}$$
 $\pounds 13$ Ans.

What would 84 gallons cost at 5s. 6d. per gallon?

Ans. £23 2.

What would 90 yards cost at 6s. 9d. per yard?

Ans. £ 30 7 6.

What will 124 gallons cost at 10s. 3d. per gallon?

Ans. £ 63 11.

What will 145½ ounces cost at 11s. 3d. per ounce?

Ans. £81 16 104.

What will 1633 yards cost at 12s. 6d. per yard?

$$\frac{£8.3.9}{102.6.10\frac{1}{2}}$$
 £4.1.10\frac{1}{2} to bring in.

What will $181\frac{1}{2}$ yards cost at 11s. 3d. per yard?

Ans. £ 102 1 10\frac{1}{2}.

What will 2043 stones cost at 7s. 9d. per stone?

Ans. £79 6 93.

The following calculations, being similar to the foregoing, may be done by the Rule laid down: viz. By taking the pence, of the price of one article, as shillings, by which you have the price of a dozen articles, which being multiplied by the number of dozens in the quantity, you have the answer.

EXAMPLES.

What will 24 articles cost at 7s. 3d. each?

$$\begin{array}{c} £4.7 \\ \hline 2 \\ £8.14 \text{ Ans.} \end{array}$$

What will 132 articles cost at 8s. 94d. each? £5.5.6 11

£ 58.0.6 Ans.

What will 108 articles cost at 15s. 73d. each?

Ans. £84 9 9.

What will 72 articles cost at 3s. 101d. each?

Ans. £ 13 19.

What will 84 articles cost at 5s. 84d. each?

Ans. £23 16 101.

What will 102 articles cost at 12s. 81d. each?

£7.12.6 the price of 1 dozen. $8\frac{1}{2}$ dozen, being = 102.

£64.16.3 Ans.

What will 147 articles cost at 17s. 103d. each?

£10.14.9

£2.13.8 $\frac{1}{4}$ to bring in.

£ 131.10.81 Ans.

What will 181 articles cost at 16s. $8\frac{3}{4}d$. each?

£10.0.9

15 16s. $8\frac{3}{4}d$., price of 1, to bring in.

£151.7.113 Ans.

MISCELLANEOUS EXAMPLES.

Ans. £6 2 cwt. 2 qrs. 24 lbs. at 5d. per lb. 6 8. 2 cwt. 3 qrs. 14 lbs. at 6d. per lb. Ans. £8 10. 3 cwt. 3 qrs. 12 lbs. at 6½d. per lb. Ans. £ 11 14 0. Ans. £ 12 19 0. Ans. £ 16 7 6. 3 cwt. 3 qrs. 24 lbs. at 7d. per lb. 4 cwt. 2 qrs. 20 lbs. at $7\frac{1}{2}d$. per lb. 5 cwt. 2 qrs. 16 lbs. at 8d. per lb. 14. Ans. £21 6 cwt. 1 qr. 20 lbs. at $8\frac{1}{4}d$. per lb. Ans. £24 15 0. 7 cwt. 2 qrs. 20 lbs. at $8\frac{1}{2}d$. per lb. Ans. £30 9 2. 8 cwt. 2 qrs. 17 lbs. at $9\overline{d}$. per lb. Ans. £36 6 9. 8 cwt. 3 qrs. 20 lbs. at $9\frac{1}{2}d$. per lb. Ans. £39 11 8. 9 cwt, 2 qrs. 16 lbs. at 101d. per lb. Ans. £46 2 6. 9 cwt. 2 qrs. 20 lbs. at 101d. per lb. Ans. £47 8 6. 10 cwt. 2 qrs. 24 lbs. at $10\frac{3}{4}d$. per lb. Ans. £53 15 0. 12 cwt. 0 drs. 12 lbs. at $11\frac{d}{d}$. per lb. Ans. £62 3 0. 16 cwt. 2 drs. 20 lbs. at $11\frac{1}{2}d$. per lb. Ans. £89 10 2.

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24 cwt. 1 gr. 8 lbs. at 41d. per lb.
                                         Ans. £51 1 6.
26 cwt. 2 qrs. 18 lbs. at 1s. 8d. per lb. Ans. £248 16 8.
         Note. — 1s. 8d. is one-twelfth of a £.
3 t. 3 cwt. 0 qrs. 5 lbs. at 2s. 6d. per lb. Ans. £882 12 6.
11 cwt. 3 grs. 26 lbs. at 84s. per cwt.
                                         Ans. £ 50 6 6.
10 cwt. 0 grs. 2 lbs. at 93s, 4d. per cwt. Ans. £46 15 0.
11 cwt. 3 qrs. 26 lbs. at £5.12 per cwt. Ans. £67 2 0.
9 cwt. 2 qrs. at £5.10.6 per cwt.
                                         Ans. £52 9 9.
75 cwt. 3 grs. 7 lbs. at £6.1.8 per cwt.
                                      Ans. £ 461 3 10\frac{1}{4}.
290 cwt. 3 qrs. 14 lbs. at £4.2.6 per cwt.
                                     Ans. £ 1199 17 2\frac{1}{4}.
61 acres, 2 roods, 8 perches, at £3.10 per acre.
                                        Ans. £215 8 6.
76 acres, 3 roods, 24 perches, at £4.6.8 per acre.
                                        Ans. £333 4 8.
576 acres, 3 roods, 26 perches, at £7.1 per acre.
                                      Ans. £ 4076 4 7\frac{3}{4}.
15 oz. 8 dwts. 4 grs. at 3s. 4d. per oz.
                                        Ans. £2 11 4^{1}_{\lambda}.
146 oz. 16 dwts. 18 grs. at £3.10 per oz.
                                       Ans. £517 8 71.
60 oz. 7 dwts. at 8s. 6d. per oz.
                                      Ans. £25 12 11\frac{1}{2}.
Interest of £20 for 5 months at 5 per cent.
                                             Ans. 8s. 4d.
Interest of £22 for 7 months at 5 per cent.
                                           Ans. 12s. 10d.
Interest of £27 for 8 months at 5 per cent.
                                                Ans. 18s.
Interest of £33 for 11 months at 5 per cent.
                                          Ans. £1 10 3.
Interest of £36 10s. for 6 months at 5 per cent.
                                            Ans. 18s. 3d.
Interest of £39 15s. for 4 months at 5 per cent.
                                            Ans. 13s. 3d.
Interest of £47 5s. for 6 months at 5 per cent.
                                          Ans. £1 3 7⅓.
Interest of £55 10s. for 10 months at 5 per cent.
                                           Ans. £2 6 3.
Interest of £99 15s. for 8 months at 5 per cent.
                                           Ans. £3 6 6.
Interest of £126 2s. 6d. for 8 months at 5 per cent.
                                           Ans. £4 4 1.
Interest of £133 15s. for 11 months at 5 per cent.
                                          Ans. £6 2 71.
Interest of £999 15s. for 8 months at 5 per cent.
                                          Ans. £33 6 6.
```

Ans. 63 19 63.

Interest of £21 for 6 months at 6 per cent. Ans. 12s. $7 \neq d$. Interest of £31 for 7 months at 6 per cent. Ans. £1 1 87. Interest of £46 10s. for 6 months at 6 per cent. Ans. £ 1 7 104. Interest of £66 15s. for 4 months at 6 per cent Ans. £1 6 82. Interest of £75 15s. for 8 months at 6 per cent. Ans. £3 0 71. Interest of £95 10s. for 10 months at 6 per cent. Ans. £4 15 6. Interest of £125 for 11 months at 6 per cent. Ans. £6 17 6. Interest of £175 10s. for 10 months at 6 per cent. Ans. £8 15 6. Interest of £240 10s. for 11 months at 6 per cent. Ans. £ 13 4 64. Interest of £45 for 6 months at 4 per cent. Ans. 18s. 0d. Interest of £60 for 8 months at 4 per cent. Ans. £1 12 0. Interest of £70 10s. 6d. for 9 months at 4 per cent. Ans. £2 2 $3\frac{3}{4}$. Interest of £85 15s. for 4 months at 4 per cent. Ans. £1 2 102. Interest of £40 for 6 months at $4\frac{1}{2}$ per cent. Ans. 18s. 0d. Interest of £50 for 7 months at $4\frac{1}{2}$ per cent. Ans. £ 1 6 3. Interest of £60 for 11 months at $4\frac{1}{2}$ per cent. Ans. £2 9 6. Interest of £75 10s. for 8 months at $4\frac{1}{2}$ per cent. Ans. £2 5 $3\frac{3}{4}$ Interest of £85 10s. for 12 months at 41 per cent. Ans. £3 16 $11\frac{1}{4}$. Interest of £95 6s. 8d. for 1 year and 4 months at 41 per Ans. £5 14 44. cent. Interest of £135 for 1 year and 8 months at $4\frac{1}{2}$ per cent. Ans. £ 10 2 6. Interest of £775 10s. for 1 year and 10 months at 41 per

cent.

Interest of £325 for 1 month at 3 per cent. Ans. 16s. 3d. Interest of £47 10s. for 5 months at 3 per cent. Ans. 11s. $10\frac{1}{3}d$. Interest of £128 5s. for 6 months at 3 per cent. Ans. £1 18 5 \downarrow . Interest of £207 for 7 months at 3 per cent. Ans. £3 12 $5\frac{2}{5}$. Interest of £17 10s. for 10 months at 3 per cent. Ans. 8s. 9d. Interest of £1406 for 12 months at 3 per cent. Ans. £42 3 74. Interest of £7 6s. 8d. for 14 months at 3 per cent. Ans. 5s. 13d. Interest of £123 17s. 6d. for 9 months at 3 per cent. Ans. £2 15 9. Interest of £145 10s. for 11 months at 3 per cent. Ans. $\pounds 4 0 0 1$. Interest of £165 5s. for 8 months at 3 per cent. Ans. £3 6 14. Interest of £175 6s. 8d. for 12 months at 3 per cent. Ans. £5 5 23. Interest of £49 for 4 months at 21 per cent. Ans. 8s. 2d. Interest of £66 15s. for 3 months at $2\frac{1}{2}$ per cent. Ans. 8s. 41d. Interest of £99 15s. for 8 months at 21 per cent. Ans. £1 13 3. Interest of £240 for 11 months at $2\frac{1}{2}$ per cent. Ans. £5 10. Interest of £360 for 8 months at 21 per cent. Ans. £6 0. Interest of £365 for 1 year 8 months at 2½ per cent. . Ans. £ 15 4 2. Interest of £65 for 21 days at 5 per cent. Ans. 3s. 9d. Interest of £480 10s. for 36 days at 5 per cent. Ans. £2 7 41. Interest of £120 for 90 days at 6 per cent. Ans. £1 9 7. Interest of £45 for 40 days at 6 per cent. Ans. 5s. 11d. Interest of £127 for 80 days at 3 per cent. Ans. 16s. 8d.

Amount of 17 yards of calico at 11d. per yard. Ans. 15s. 7d. Amount of 191 yards at 10d. per yard. Ans. 16s. 3d. Amount of 223 lbs. of sugar at 8d. per lb. Ans. 15s. 2d. Amount of 274 lbs. of lump sugar at 11d. per lb. Ans. £1 5 21. Amount of 393 lbs. of starch at 8d. per lb. Ans. £1 6 6. Amount of 451 oz. of tea at 10d. per oz. Ans. £1 17 84. Amount of $66\frac{3}{4}$ lbs. of lamb at 8d. per lb. Ans. £2 4 6. Amount of 991 lbs. of bacon at 10d. per lb. Ans. £4 2 84. Amount of 120 yards of muslin at $10\frac{3}{4}d$. per yard. Ans. £5 7 6. Amount of 133 yards of stuff at 114d. per yard. Ans. £6 7 51. Amount of 1441 yards of riband at $8\frac{1}{4}d$. per yard. Ans. £4 19 44. Amount of 3653 yards of lace at $10\frac{1}{2}d$. per yard. Ans. £ 15 19 9 $\frac{3}{4}$. Amount of 241 pair of gloves at 113d. per pair. Ans. £11 8 53. Amount of 961 pair of gloves at 74d. per pair. Ans. £31 10 77. Amount of 1680 yards of lace at $7 \pm d$. per yard. Ans. £49 17 6. Amount of 2000 yards of lace at 91d. per yard. Ans. £77 1 8. Amount of 24 yards of silk at 2s. 3d. per yard. Ans. £2 14 0. Amount of 26 yards of silk at 3s. 5d. per yard. Ans. £4 8 10. Amount of 31 lbs. of tea at 4s. 2d. per lb. Ans. £6 9 2. Amount of 44 lbs. of tea at 3s. 9d. per lb. Ans. £8 5 0. Amount of 66 lbs. of tea at 5s. 6d. per lb. Ans. £ 18 3 0. Amount of 81 lbs. of tea at 6s. 9d. per lb. Ans. £27 6 9.

Amount of 121 lbs. of tea at 6s. $10\frac{1}{2}d$. per lb.

Ans. £41 11 $10\frac{1}{2}$.

Amount of 161 gallons of gin at 11s. 3d. per gallon.

Ans. £ 90 11 3.

Amount of 240 tons of coal at 11s. $11\frac{3}{4}d$. per ton.

Ans. £ 143 15 0.

Amount of 180 tons of coal at 16s. 9d. per ton.

Ans. £ 150 15 0.

Amount of $27\frac{1}{2}$ cwt. of cheese at 12s. per cwt.

Ans. £16 10 0.

Amount of 122 cwt. at 17s. 9d. per cwt.

Ans. £ 108 5 6.

Amount of 142 cwt. 2 qrs. at 19s. 6d. per cwt.

Ans. £138 18 9.

Amount of 162 cwt. 1 qr. at 7s. 6d. per cwt.

Ans. £60 16 101.

Amount of 2421 of any thing at 12s. 9d. each.

Ans. £ 154 7 1.

GAIN PER CENT.

In estimating a profit as a rate per cent., persons are not agreed, and the practice of some traders, and the theory of the schools, are at variance.

Suppose we buy at 4 and sell at 5, the arithmetician reckons this a gain of 1 on 4, or 25 per cent.; while the trader, counting on the selling price, makes it a gain of only 1 on 5, or 20 per cent. As every person is at liberty to adopt which method he considers correct, we shall here introduce Rules to discover the rate per cent. gained, applicable to both on either method.

To find the gain per cent., counting on the cost price:

Rule. — Find what part the gain is of the first cost, and divide £100 by the same; the product is your gain per cent.

To find the gain per cent., counting on the selling price:

RULE. - Find what part the gain is of the selling

price, and divide £100 by the same; the product is your gain per cent.

EXAMPLES,

Calculating on the First Cost Price.

BOUGHT silk handkerchiefs at 5s., and sold them for 5s. 10d. each. What is the gain per cent.?

10d. of 5s. is $\frac{1}{6}$) 100

£ 16.13.4 gain per cent.

That is, if you had laid out £100 in the purchase of articles at 5s. each, and sold them at 5s. 10d. each, you would, on the expenditure of £100, have gained £16.13.4, or $16\frac{2}{3}$ per cent.

Bought tea at 5s. 4d. per lb., and sold it at 6s. What is the gain per cent.?

The difference between 5s. 4d. cost, and 6s. selling

price, is 8d.

8d. of 5s. 4d. is \frac{1}{8}. 8 divided into £100 gives 12\frac{1}{2} per cent.

Bought cheese at 8d. per lb., and sold at 10d. What is the gain per cent.?

2d. gain is of cost price 1) 100

 $\pounds 25$ gain per cent.

Bought mustard at 10d. per lb., and sold it at $11\frac{1}{2}d$. What is the gain per cent.?

1d. of 10d. is
$$\frac{1}{10}$$
) $\frac{100}{10}$
 $\frac{1}{2}d$. of 1d. is $\frac{1}{2}$ $\frac{5}{\cancel{\cancel{L}} 15}$ gain per cent.

Bought at 2s. 6d., and sold at 3s. $6\frac{1}{2}d$. What is the gain per cent.?

6d. of 2s. 6d. is
$$\frac{1}{5}$$
) 100

20
 $\frac{1}{2}$ d. of 6 is $\frac{1}{12}$ 1.13.4

£21.13.4 gain per cent.

Bought at 1s., and sold at 1s. $0\frac{1}{2}d$. What is the gain per cent.?

$$\frac{1}{2}d$$
. of 1s. is $\frac{1}{2^4}$) $\frac{100}{\pounds 4.3.4}$ gain per cent.

EXAMPLES,

Calculating on the Selling Price.

BOUGHT gunpowder at 2s. 6d. per lb., and sold it at 3s. What is the gain per cent.?

3s. gain 6d. which is a part, 6) 100

£ 16.13.4 gain per cent.

Bought mahogany at 19d, the foot, and sold it at 20J. That is the gain per cent.?

20d. gained 1d., $\frac{1}{20}$) 100

£5 gain per cent.

Bought at 8d., and sold at $9\frac{1}{2}d$. What is the gain per scott.?

 $\mathbb{C}_{\mathbb{R}^d}$ gained $1_{\frac{1}{2}}d$.

 $\frac{1}{2}d$. of $9\frac{1}{2}d$. is $\frac{1}{1}$) $\frac{100}{5\frac{5}{19}}$

 $\begin{array}{c}
5_{19}^{5} \\
3 \\
\cancel{\pounds} 15_{19}^{15} \\
\text{ gain per cent., or } \cancel{\pounds} 15.15.9_{19}^{9},\\
\text{ being about } 15_{19}^{2} \text{ per cent.}
\end{array}$

When the gain is an awkward part of either the cost or selling price, the following method can be resorted to with advantage:—

Bought chocolate at 154d., and sold it at 174d. Required the rate per cent., estimating on the selling price.

1. l. gained $2 \ddagger d$., being the difference between the two prives.

If 70 gain 9, what will 100 gain?

100

70) 900 (124, nearly 13 per cent.

 $10\left\{\frac{60}{70}\right\}_{\frac{6}{7}}^{\frac{6}{7}}$

The me, estimating on the cost price: -

 $15\frac{1}{4}d$. ained $2\frac{1}{4}d$. being the difference between what is given d what is received for the article.

If I gain 9, what will 100 gain?

100

1) 900 (14.15.0 %, nearly 15 per cent

 $\frac{46}{61}$ 15.0 $\frac{60}{61}$.

The preceding show the difference between estimating on the cost and selling price.

An abbreviated Method of dividing Sums of Money by 100 and 200, and by Suldivision facilitating the Operation of dividing by any Number of Hundreds.

Rule for dividing by 100 in one Line of Figures, or at a Glance. — Cut off two figures to the right, (the units and tens;) consider those not cut off as pounds; and those cut off, divided by 5, give the shillings.

EXAMPLES.

Divide £1495 by 100.

14|95 = £ 14 . 19, Ans.

Thus, 100 into 1495 goes 14 times: the 95 left is usually multiplied by 20, and the product again divided by 100 to give the shillings; but we divide the shillings cut off by 5, because 20 into 100 goes 5 times.

Divide £1|65 by 100. Ans. £1.13.

Note. — If there are any pounds remaining after dividing by 5, annex a cipher, and consider them as farthings, observing to reject 1 at 25.

Divide £19|82 by 100. Ans. £19.16.4 $\frac{3}{4}$.

Thus, the 19 cut off are pounds; 5 into 82 went 16 times, leaving 2, with a cipher, made 20, rejecting 1 left 19 farthings, or $4\frac{2}{3}d$.

Divide £4|43 by 100. Ans. £4.8.7.

If there should be any shillings, instead of adding a cipher, add half the shillings, and proceed as before.

Divide £34|53.18 by 100. Ans. £34.10.9\frac{1}{2}.

Thus, the 3 left by adding 9 ($\frac{1}{2}$ the 18s.) gave 39 farthings; one rejected left 38 farthings, or $9\frac{1}{2}d$.

The above will be sufficient, as examples are capable of being multiplied to any extent.

Rule to divide £. s. d. by 200, in a Line of Figures, or at a Glance.— Cut off the unit figure of the pounds; consider those not cut off as shillings; the unit figure cut off consider as pence, and as many fifths; for 4 or 5 in the shillings, allow $\frac{1}{4}d$, for 8 or 10 allow $\frac{1}{2}d$, for 13 or 15 allow $\frac{3}{4}d$, and for 16s. 8d. or upwards, allow a penny.

Note. — The same operation is performed in calculating interest at £6 per cent., and discount, &c. at ½ per

cent. See page 47.

EXAMPLES.

Divide £10 by 200. Ans. 1s.

As by the Rule, the unit figure is cut off, and those not cut off are shillings.

Divide £142 by 200.

$$14.2.$$
 Ans. $14s. 2 \neq d.$

As by the Rule, the unit figure is to be considered as pence, and as many fifths.

What is the price of one silk shawl, if 200 cost

2269.12.6?

Here the cipher is cut off, leaving 26|0, equal to £1.6; the cipher is pence, and for 12s. 6d., $\frac{3}{4}d$. are allowed. See Rule. Ans. £1.6.0\forall d. each.

What will 1 cwt. of iron cost, if for 200 cwt. are paid $\pounds 385 \cdot 4 \cdot 3\frac{1}{8}$? Ans. £1.18.6\(\ext{1}\). See Rule.

Note.—The cause of the above is explained on page 70. See Interest, Commission, or Discount, at $\frac{1}{2}$ per cent.

The same method can be applied to dividing by any number of hundreds, by subdividing the answers produced by this plan.

The very great use of a table for calculating the wages of servants, &c., is the only apology necessary for so far deviating from our plan as to introduce any thing into our work in the shape of a table, that can be arrived at by a short and simple operation.

A TABLE OF WAGES.

Showing what any Num from £2 to £30 per Annum is, per calendar Month, Week, or Day.

YEAR.	Молти.	WEEK.	DAY.
\pounds . s. d.	£. s. d.	£. s. d.	£. s. d.
$2 \ 0 \ 0$	0 3 4	0 0 94	0 0 14
$2 \ 2 \ 0$	0 3 6	0 0 93	
$\begin{array}{cccc} 2 & 2 & 0 \\ 2 & 5 & 0 \end{array}$	0 3 4 0 3 6 0 3 9	0 0 103	0 0 13
2 10 0	0 4 2	$0 \ 0 \ 11\frac{1}{2}$	0 0 13
2 12 6	0 4 41		0 0 13
$2 \ 15 \ 0$	0 4 7	0 1 03	0 0 13
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	0 4 7 0 5 0	0 1 2	0 0 14 0 0 14 0 0 18 0 0 18 0 0 18 0 0 2 0 0 2 0 0 2
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	0 5 3	0 1 2 0 1 21	0 0 2
3 5 0	0 5 5	0 1 3	0 0 2
3 10 0	0 5 10	0 1 0 0 1 03 0 1 2 0 1 21 0 1 3 0 1 4 0 1 5	0 0 21
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		0 1 5	0 0 23
3 15 0	$\begin{array}{cccc} 0 & 6 & 1\frac{1}{2} \\ 0 & 6 & 3 \end{array}$	0 i 54	0 0 24
4 0 0	0 6 8		$\begin{bmatrix} \ddot{0} & \ddot{0} & \tilde{2} \ddot{1} \end{bmatrix}$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	0 7 0	0 1 71	0 0 23
4 4 0 4 10 0	0 7 0 0 7 6	0 1 9	0 0 3
4 15 0	0 6 8 0 7 0 0 7 6 0 7 11	$\begin{array}{ccccc} 0 & 1 & 6\frac{1}{2} \\ 0 & 1 & 7\frac{1}{2} \\ 0 & 1 & 9\frac{1}{2} \end{array}$	0 0 3
2 0 0 2 2 0 2 10 0 2 12 6 2 15 0 3 3 0 3 5 0 3 13 6 3 15 0 4 0 0 4 10 0 4 15 0 5 5 0	0 8 4	0 i 11 ²	0 0 34
5 5 0	0 8 9	0 2 04	0 0 34
5 10 Q	0 9 2	0 2 04	0 0 24 0 0 24 0 0 24 0 0 24 0 0 3 0 0 3 0 0 34 0 0 34
u	~	. ~ ~ +2	

YEAR.	, Монтн.	WEER.	DAY. £. s. d. 0 0 34 0 0 4
£. s. d.	£. s. d.	£. s. d.	£. s. d.
£. s. d. 5 15 6	£. s. d. 0 9 74 0 10 0	£. s. d. 0 2 23 0 2 34	£. s. d. 0 0 34 0 0 4
6 0 0	0 9 74 0 10 0	0 0 23	0 0 01
6 6 6	0 10 0	0 2 34	0 0 4
6 6 0	0 10 6	0 2 5	0 0 4
6 10 0	£. s. d. 0 9 7½ 0 10 0 0 10 6 0 10 10 0 11 4½	0 2 5 0 2 6 0 2 7½ 0 2 8½ 0 2 9½	0 0 44
6 16 6	0 11 41	0 2 71	0 0 41
7 0 0	0 11 8	0 2 84	0 0 41
7 5 0	0 12 1	0 2 91	0 0 43
7 5 0 7 7 0 7 10 0 7 17 6	0 12 3	0 9 10	0 0 4
7 10 0	0 12 3 0 12 6 0 13 13 0 13 4 0 13 9	0 2 10 0 2 10 0 3 0 0 3 1 0 3 2	0 0 5
7 10 0	0 12 0	0 2 105	0 0 5
7 17 6	0 13 13	0 3 03	0 0 54
8 0 0	0 13 4	0 3 1	$\begin{array}{c cccc} 0 & 0 & 5\frac{1}{4} \\ 0 & 0 & 5\frac{1}{2} \\ 0 & 0 & 5\frac{1}{2} \end{array}$
8 5 0	0 13 9	0 3 2	0 0 5½
8 8 0 8 15 0 8 18 6 9 0 0	0 14 0	0 3 23 0 3 4½	$0 \ 0 \ 5\frac{7}{2}$
8 15 0	0 14 7	0 3 41	0 0 54
9 18 6	0 14 104	0 3 51	0 0 5
0 10 0	0 15 02	N 9 51	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
9 0 0	0 15 0 0 15 5	0 0 03	0 0 6
9 5 0	0 15 5	0 3 64	0 0 0
990	0 14 10 <u>1</u> 0 15 0 0 15 5 0 15 9 0 16 3	0 3 73	$\begin{array}{cccc} 0 & 0 & 6 \\ 0 & 0 & 6 \\ 0 & 0 & 6 \\ \end{array}$
9 9 0 9 15 0	0 16 3	0 3 9	0 0 65
10 0 0	0 16 8	0 3 10	$0 \ 0 \ 6\frac{7}{2}$
5 15 6 6 0 0 0 6 10 0 6 7 0 0 0 7 5 0 0 7 10 0 7 17 6 8 0 0 8 15 0 8 18 0 9 5 0 9 9 5 0 9 9 15 0 10 0 0 10 10 0 10 15 0 11 11 0 12 10 0 12 12 0 13 10 0 14 0 0	0 16 8 0 17 1 0 17 6	£. x. d. 0 2 23 0 2 25 0 2 5 6 0 2 75 0 2 75 0 2 94 0 2 10 0 2 10 0 3 0 0 3 12 0 3 45 0 3 55 0 3 67 0 3 10 0 3 10 0 3 10 0 3 10 0 3 10 0 3 10 0 3 10 0 3 10	0 0 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4
10 10 0	0 17 6	0 4 01	0 0 7
10 10 0	0 17 11 0 18 4 0 19 3	0 4 14	0 0 7
10 15 0	0 18 4	0 4 3	0 0 71
11 0 0	0 15 4	0 4 5	0 0 7½ 0 0 7½ 0 0 8
11 11 0	0 19 3	0 4 54	0 0 15
12 0 0	1 0 0	0 4 75	0 0 8
12 0 0 12 10 0 12 12 0 13 0 0 13 10 0 13 13 0 14 0 0 14 14 0	1 0 0 1 0 10 1 1 0	0 4 9½ 0 4 10 0 5 0 0 5 0 0 5 34 0 5 8 0 5 9 0 5 11¾ 0 6 0½ 0 6 2 0 6 5½	0 0 84
12 12 0	1 1 1 0	0 4 10	0 0 8
13 0 0	1 1 8	0 5 0	0 0 81
13 10 0	1 2 6	0 5 24 0 5 3	0 0 8
13 13 0	1 2 6 1 2 9	0 5 34	0 0 5
13 13 0	1 2 3	0 5 43	0 0 94
14 0 0	1 3 4	0 2 43	0 0 93
14 14 0	1 4 6 1 5 0	0 5 8	0 0 10
15 0 0	1 5 0	0 5 9	0 0 10 0 0 104 0 0 104
15 10 0	1 5 10	0 5 113	0 0 104
15 15 0	1 6 3	0 6 02	0 0 10}
15 0 0 15 10 0 15 15 0 16 0 0 16 10 0	1 5 10 1 6 3 1 6 8 1 7 6 1 8 0	0 6 2 0 6 4 0 6 53	0 0 10½ 0 0 11
16 10 0	1 7 6	0 6 4	0 0 11
16 16 0	1 8 0	0 6 51	0 0 11 0 0 114 0 0 112
10 10 0	1 1 0 4	0 6 64	0 0 114
17 0 0	1 8 4 1 9 2	0 6 84	0 0 112
17 10 0	1 9 2	0 0 01	0 0 113
17 17 0	1 9 , 9	0 6 102	0 0 113
15 0 0 15 10 0 15 15 0 16 0 0 16 10 0 17 10 0 17 17 0 18 0 0 18 10 0 18 18 0 19 0 0 19 10 0	1 1 0 1 1 8 1 2 9 1 3 4 1 4 6 1 5 10 1 6 3 1 6 8 1 7 6 1 8 0 1 8 4 1 9 9 1 10 10 1 10 10 1 11 6	0 6 6 6 1 0 0 6 10 1 0 0 6 11 0 0 7 1 1 0 0 7 3 1 0 0 7 5 1 0 0 7 8	0 0 10½ 0 0 11 0 0 11 0 0 11½ 0 0 11½ 0 0 11¾ 0 0 10½ 0 1 0½ 0 1 0½
18 10 0 18 18 0 19 0 0	1 10 10	0 7 14	0 1 0½ 0 1 0½ 0 1 0½
18 18 0	1 11 6	0 7 3	0 1 0 <u>1</u>
19 0 0	1 11 8	0 7 31	$0 \ 1 \ 0\frac{1}{2}$
19 10 0	1 11 8 1 12 6	0 7 51	0 1 03
19 10 0	1 13 3	0 7 8	0 1 1
19 19 0	1 13 3 1 13 4	0 7 8	0 1 14
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	1 13 4	0 0 0	0 1 12
21 0 0	1 15 0	0 8 03	0 1 15
22 0 0	1 16 8	0 8 53	0 1 24
93 0 0	1 18 4	0 8 10	0 1 3
24 0 0 25 0 0	0 11 8 0 12 1 0 12 3 0 12 6 0 13 14 0 13 9 0 14 0 7 0 14 104 0 15 0 0 16 3 0 16 3 0 17 6 0 17 6 0 19 3 1 0 0 10 1 1 1 8 1 2 9 1 3 4 1 1 5 10 1 8 0 1 8 0 1 1 1 8 1 2 9 1 10 10 1 1 1 8 1 1 8 0 1 1 1 8 1 1 8 0 1 1 1 8 1 1 1 8 1 1 8 0 1 1 1 8 1 8	0 9 23	0 1 1 0 1 14 0 1 14 0 1 24 0 1 3 0 1 3 0 1 42
25 0 0	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	0 9 74	0 1 41/3
~ U U		2	4

YEAR.	Month,	WEEK.	DAY.
£. s. d.	£. s. d.	£. s. d.	£. s. d.
25 4 0	2 2 0	0 9 81	0 1 44
26 0 0	2 3 4	0 10 0	0 1 5
26 10 0	2 4 2	0 10 21	0 1 54
27 0 0	2 5 0	0 10 41	0 1 54
28 0 0	2 6 8	0 10 9	0 1 6
29 0 0	2 8 4	0 11 13	0 1 7
30 0 0	2 10 0	0 11 64	0 1 73

Note. — As the exact sum per day or week cannot be arrived at without introducing a useless fraction, we have given the price per day the advantage of the fraction in some instances.

To find what any Number of Pence per Day will amount to in a Year.

RULE.

For the given pence, -

Take as many \mathcal{L} ,
Half as many \mathcal{L} ,
And the amount for 5 days besides.

EXAMPLES.

What will 4d. per day amount to in a year?

As many £....4.0.0

Half as many £...2.0.0

For 5 days, $4d. \times 5$ 1.8 £ 6.1.8 Ans.

What will 1s. 2½d. a day amount to in a year?

Ans. £ $\frac{22}{2}$, $1 \cdot 0\frac{1}{2}$

FROM RICHSON'S

MENTAL ARITHMETIC

AND

EXPEDITIOUS CALCULATIONS.

EXERCISE I.

How many twelves in	
How many twelves in S	
How many twelves in	36?
How many twelves in	48?
How many twelves in '	72 ?
How many twelves in	120?
How many twelves in	96?

EXERCISE II.

RULE.

As many pence as one thing is worth—so many shillings are twelve worth.

12 papers of nails at 8d. each.
One paper being worth 8 PENCE, 12 papers are worth 8 SHILLINGS.
12 papers are worth.
12 pounds of wax candles at 2s. 7d. per pound.
ONE pound being worth 2s. 7d., that is 31 PENCE,
12 pounds are worth

12 yards of cotton print at 6d. per yard?

12 yards of riband at 11d. per yard?

12 yards of Holland at 10d. per yard?

12 yards of calico at 4d. per yard?

12 yards of baize at 14d. per yard?

12 yards of long-cloth at 1s. 2d. per yard?

12 lbs. of butter at 16d. per pound?

12 pairs of gloves at 1s. 4d. per pair?

12 bushels of pollard at 20d. per bushel?

12 logs of wood at 1s. 8d. per log?

12 fowls at 30d. each?

12 books at 2s. 6d. each?

12 pairs of shoes at 5s. per pair?

12 pairs of children's socks at 1s. 3d. per pair?

12 caps at 3s. 6d. each?

12 lbs. of cheese at 10d. per pound?

12 pecks of peas at 1s. 5d. per peck?

12 lbs. of salmon at 1s. 11d. per pound?

12 yards of red baize at 2s. 2d. per yard?

12 trusses of hay at 4s. 4d. per truss?

12 trusses of straw at 3s. 8d. per truss?

12 gallons of ginger wine at 8s. per gallon?

12 firkins of table ale at 9s. 6d. per firkin?

I have bought 12 pigeons at 1s. 3d each. The bill delivered is 16s. 3d. Is this correct?

I wish to know how much money I need put into my purse to purchase a dozen buckles at 4s. 9d. each?

I see the price of a flannel waistcoat is marked 2s. 9d. What should I pay for 12?

Sent half a sovereign to purchase a leg of mutton weighing 12 pounds, at 8d. per pound. How much change 'should I have?

The baker's bill this week includes 12 peck loaves, at 2s. 8d. each. He has made the amount £1 11s. 6d. Is this correct?

Employed a man in my garden 12 days at 3s. 6d. per day. How much must I pay him?

Saw 12 turkeys hanging in a poulterer's shop. How much would be their worth supposing they average 9s. 6d. each?

EXERCISE III.

RULE.

As many shillings as twelve articles are worth — so many pence is one worth.

Bought 12 newspapers for 7s.	How much was that EACH?
12 papers being worth 1 paper will be worth	

If I pay 8s. for 12 pigeons, how much will one cost?

Suppose 12 maps cost 16s., what was the charge for one?

For how much may I purchase a mackerel, when a dozen are worth 7s.?

If 12 pairs of shoes cost 48s., what was that per pair?

What must I pay for a Bible, when 12 are sold for 50s.?

Bought 12 gallons of eider for a pound. How much is that per gallon?

Received 3s. for a dozen glass bottles. How much was that for each?

Paid £1 10s. for a dozen guitar strings. What was that for each?

Gave £2 14s. for 12 pine-apples. How much was the cost of one?

A dozen barrels of oysters cost \mathcal{L} 3. How much was that for one?

12 geese cost £3 12s. What was the price of one?

12 ducks were bought for £1 6s. What was the charge for one?

Paid £6 for a dozen hats. How much is that each?

If I pay 10s. for 12 yards of Holland, what is that per yard?

A dozen rose-trees were bought for two guineas. How much did each cost?

If I am charged 5s. for a foot of gilding, what is the estimation per inch?

A dozen lamps are worth £3 10s. What is the value of one?

If I pay £1 19s. for 12 stocks, how much is that each?

How much must I pay for a pair of silk stockings, when a dozen pairs are sold for £3 14s.?

What should I be charged for a silk handkerchief, when twelve are worth $\mathcal{L} \ 2 \ 16s$.?

Suppose 12 loads of gravel cost £7 4s., what is that per load?

Bought 12 caps for £1 7s. What was the charge for one?

Tell me the value of a pound of mutton, when a leg weighing 12 lb. cost 9s.

Suppose 12 blinds were estimated at £4 18s., what was considered the value of one?

Bought 12 curtains for £3 19s. How much was paid for one?

Sold 12 baskets for £1 15s. How much was charged for each?

EXERCISE IV.

To find the price of one article when the value of any number which is a multiple of 12 is known.

RULE.

- Ascertain how many twelves are in the number of articles.
- Bring the value into shillings, and divide it by the number of twelves.
- 3. Consider the result pence.

THUS,

If 72 wine-glasses cost £2 Ss., what is the value of one?
72 equals 6 times 12:

Therefore the £2 8s., or 48s., must be divided	ł
Therefore the £2 8s., or 48s., must be divided by the 6	6)48s.
Take the 8s. as PENCE, you have the answer	8d.

If a gross of papers of pins be bought for 4 guineas, what was the charge per paper?

A gross equals 12 times 12:

Paid £1 4s. for 48 pairs of scissors. How much was that per pair?

A fishmonger paid £3 6s. for 72 lobsters. What did each cost him?

If 84 bodkin-cases are worth £1 15s., what is the value of one?

If a news-vender demands 36s, for the use of a daily paper six months, how much does he charge per week?

Paid 12s. for a box of mould candles. There being 18 pounds, and 4 candles to the pound, what was the value of one?

For 48 chair-covers I paid £1 16s. I desire to know the cost of each.

Bought half a gross of wine-bottles for 18s. What was that each?

Paid £7 10s. for 60 brass finger-plates. I wish to know the charge for one.

For 120 flower-pots I paid £2. What did one cost?

Bought 36 work-boxes for £13 10s. What is the cost of each?

Sold 132 old books for £4 19s. What did they average each?

Bought a dinner service of 108 pieces, for which I paid £2 5s. How much was that per piece?

A violent shower of hail destroyed 96 glass frames. The estimated damage was £48 8s. How much was that per frame?

At Christmas last, a stage-coach brought into London 84 packages, valued at £23 2s. I desire to know the average.

A stand of 72 flowers in Covent-Garden market was estimated at £16 10s. I wish to know the average.

If I pay one of my servants after the rate of £10 per annum, and she quit my establishment at the end of one month, how much may she demand?

Suppose an under-gardener is paid at the rate of £14 per annum; what wages are due to him if he leave his situation at the end of two months?

What may a footman demand as a month's wages, when his salary is £20 per annum?

If a butler's wages be £34 a-year, how much will be due to him at the end of a month?

EXERCISE V.

The value of any number of articles not a multiple of 12, being given, to find the value of one.

RULE.

- 1. Reckon the number of articles pence.
- If these pence amount to shillings and pence, divide the shillings of the given value by the shillings, and the pence also by the pence.
- 3. If both the pence and shillings give the same product, that number is the value of one article in pence.

THUS,

If 85 lamp-glasses be bought for £2 9s. 7d., what is the cost of one?

Take the glasses as PENCE; then . . . 85d. are 7s. 1d.* £2 9s. 7d. are 49s. 7d.

Divide the 49s. by the 7s.;

Divide the 7d. by the 1d., as follows:—

$$\frac{7}{7}$$
 $\frac{49}{7}$ 1)

Here observe, the product of both divisions is 7; therefore the value of one lamp-glass is 7d.

Purchased 107 pieces of painted glass for £4 0s. 3d. What was the cost of one?

^{*} Inspection of the above, where the amounts are placed over one another, renders the calculation unnecessary, as it can be seen at once that 7 is the product of both.

Remark here, that the EIGHTS in 80 are exactly 10; but then the 11 could not be divided into 3. I am therefore obliged to make the PRODUCT of the first division ONE LESS, in order to carry the surplus shillings to the pence, and produce a number into which 11 may divide.

Bought at a sale a lot of tumblers, for which I paid £1 18s. 6d. On counting them, I found there were 42 glasses. What did each cost?

I am here also obliged to reduce the product of the first division: otherwise

Dividing by 3 into 38 would produce 12s. and Two over.

The division of 6 into 2s. 6d., or 30d., would produce 5d.

But, as both shillings and pence must produce the same number, to be correct, this can be effected only by the reduction just stated.

Observe,

By a little attention, the value of one article may be nearly ascertained by inspection.

THUS,

If 42 tumblers be bought for £1 18s. 6d., what is the price of one?

By inspection, I see the 3s. is contained 12 times in 38. But, making allowance for the division of the six pence, I take 11 as the supposed quotient.

Multiplying the 3s. 6d. by 11, I find it produces 38s. 6d.; therefore I know that 11d. is the value of one article.

How much was paid for a sheet of card board, when 61 were bought for £1 0s. 4d.?

If I purchase 98 lemons for £1 4s. 6d., what do I pay for one?

Paid £2 5s. 5d. for 109 knives. What was the cost of one?

If I pay 8s. 4d. for 50 flower-pots, how much does one cost?

Suppose 97 hand-screens cost £3 12s. 9d., how much was that each?

If £1 13s. 11d. will purchase 37 drawing copies, how much must I pay for one?

What is the worth of a square of glass, for a hot-house, supposing 63 cost 15s. 9d.?

How much must be paid for a turkey's egg, when £1 0s. 10d. will buy 50?

I wish to know the cost of a rabbit, when I pay £1 13s. 11d. for 37?

Paid 13s. 6d. for 27 yards of box. What was that per yard?

A bill for 58 quarts of milk is 19s. 4d. What is that per quart?

How much am I charged per ton for cartage, if the carriage of 107 tons of stone cost £3 2s. 5d.?

Suppose a man contract to lay 91 feet of railway for £3 0s. 8d.; how much is that per foot?

What do I pay for a gooseberry-bush, if 115 cost me £4 15s. 10d.?

If 83 pickled tongues cost £3 2s, 3d., how much is that each?

EXERCISE VI.

To find the value of *one* article, when the price of any number, not a multiple of 12, is known.

RULE.

- Take the number of articles as pence, and bring them into shillings, for a divisor.
- If the divisor, thus produced, be contained any number
 of times less than 12, in the shillings of the given
 value, proceed as directed in the Observation under
 Exercise V., and you have the answer in pence.

Remark.

If the multiplier do not produce the exact amount, Consider, for a moment, whether it is deficient about a quarter, a half, or three quarters of the line multiplied, and make an addition accordingly for the farthings.

THUS,

If 17s. 2½d. will purchase 59 pounds of brass, how much is that per pound?

$$59d. = 4s. 11d.) 17s. 2\frac{1}{2}d.$$

$$\frac{3}{14 \cdot 9}$$
 the multiplier to be counted pence in the answer.
$$\frac{1}{2} \text{ of } 4s. 11d. \frac{2 \cdot 5\frac{1}{2}}{17 \cdot 2\frac{1}{2}}$$

$$4ns. 3\frac{1}{2}d.$$

In this example, I first write the number of articles, taken as pence, beside the given value.

On inspection, I perceive 4s. will divide 4 times into 17s.; but allowing for the division by 11d., I take 3 instead, and multiply thereby.

After this multiplication, I see there is a difference of nearly 3s. between 14s. 9d. and 17s. 24d.

I may suppose the difference is about half 4s. 11d.

I accordingly take the half, and on adding the product to 14s. 9d., I find the exact amount.

Therefore, the price of 1 pound is $3\frac{1}{2}d$.

If I can purchase 107 pounds of rice for £2 11s. $3\frac{1}{4}d$, how much is that per pound?

$$107d. = 8s. 11d.) 51s. 3\frac{1}{4}d., \text{ or } £2 11s. 3\frac{1}{4}d.$$

$$5 \tag{the multiplier to be reckoned} \\ 5d. \text{ in the answer.} \\ \frac{4 \cdot 5\frac{1}{2}}{2 \cdot 2\frac{3}{4}} \right\} = \frac{1}{2} \text{ of } 8s. 11d.$$

$$£2 \cdot 11 \cdot 3\frac{1}{4} \cdot Ans. 5\frac{3}{4}d.$$

Here, again, I see, on inspection, that 8 would divide 6 times into 51s.; but allowing for the division by 11, I take only 5 for the multiplier.

The product is £2 4s. 7d., and I perceive I want nearly 7s. to make £2 11s. $3\frac{1}{2}d$.

I may, therefore, fairly calculate that the price will be more than 5 pence, and proceed accordingly.

I take half of the top line for a halfpenny; and the half of that product for a farthing.

Adding these three products together, I find the amounts coincide, and consequently conclude that the price of 1 pound is $5\frac{2}{3}d$.

Both these examples might be worked by subtracting the product of the pence from the given value, and then examining the proportion existing between the remainder and the divisor.

THUS, 4s. 11d.) 17s. $2\frac{1}{2}d$. 14. 9 the product of the pence. 14. 9 $2.5\frac{1}{2}$ The remainder is $\frac{1}{2}$ of 4s. 11d. Ans. $3\frac{1}{2}d$.

The advantage of this method is, that, by comparing 2s. $5\frac{1}{2}d$. with 4s. 11d., I see immediately the former is $\frac{1}{2}$ of the latter.

The operation may, therefore, be performed mentally, when requisite; or if by written figures, with greater certainty.

$$\begin{array}{ccc} 8s. \ 11d. &)51s. \ 3\frac{1}{4}d. \\ \hline & 5 & 44 \cdot 7 \\ \hline 44 \cdot 7 & 6 \cdot 8\frac{1}{4} \end{array}$$

Here I can see that 6s. $8\frac{1}{4}d$. must be about $\frac{3}{4}$ of 8s. 11d., as it is evidently more than $\frac{1}{2}$.

Observe,

If the number of articles be less than the number of shillings in the given value,

First divide into the shillings by the whole number of articles: the quotient is the shillings of the answer.

Then proceed with the remainder, as directed under the last rule, and you have the remaining answer in pence and farthings.

THUS,

If 76 packing-cases cost £9 8s. 5d., how much was paid for one?

76)
$$188s. 5d.$$
, or £9 8s. $5d.$ (2s. $5\frac{3}{4}d.$

76 as pence = 6s. $4d.$) 36.5 ($5\frac{3}{4}d.$
 31.8

$$\frac{1}{4} \quad \frac{3 \cdot 2}{4 \cdot 9}$$
I can readily suppose 4s. 9d. to be about $\frac{2}{4}$ of 5s. 6d., but merely put down the work for satisfaction.

Here 188s. are evidently more than the number of articles, which is 76.

I therefore divide by 76 for the shillings: the quotient is 2s.

Subtracting 152 from 188, I have 36, remainder.

Bringing down the 5d, and reducing 76, as pence, into its corresponding value in shillings, I proceed as before for the pence and farthings.

Bought 54 breast-pins for £8 12s. $1\frac{1}{2}d$. How much did each cost?

54) 172s.
$$1\frac{1}{2}d$$
., or £8 12s. $1\frac{1}{2}d$. (3s. $2\frac{1}{4}d$. 54d. or 4s. 6d.) $10 \quad 1\frac{1}{2} \quad (2\frac{1}{4})$ $10 \quad 1\frac{1}{2}$

 $\frac{1}{4} \quad \frac{1}{1} \quad \frac{6}{1} \quad \frac{1}{2}$ I put this division down only for satisfaction, as I can immediately perceive 1s. $1\frac{1}{2}d$. is $\frac{1}{4}$ of 4s. 6d.

Dividing by 54, the number of articles, I find the shillings are 3.

The remainder, 10s. 1½d., divided by 54, as pence, produce the pence and farthings.

If 47 pounds of sugar be worth £1 1s. $6\frac{1}{2}d$., what is the value of a pound?

Suppose I am charged £1 2s. $2\frac{1}{2}d$. for 82 ounces of ginger, how much is that per ounce?

If 13s. 04d. will buy 25 pounds of figs, how much must be paid for 1 pound?

If a grocer import 62 pounds of Portugal grapes, and the net invoice amount to £2 14s. 3d., what is the cost of a pound?

If 12s. 9\frac{3}{4}d. will purchase 41 pen-holders, how much would 1 cost at the same rate?

If I order 37 pounds of currants, and find my bill amounts to £1 6s. $2\frac{1}{2}d$., how much am I charged per pound?

If a hosier desire to sell 71 pairs of gloves for £2 17s. 8\ddleft d., how much must be charged per pair?

What is the worth of a pound of loaf sugar, if 49 pounds cost £2 0s. 10d.?

Paid £1 1s. $3\frac{3}{4}d$. for 31 drawing-pencils. How much was that each?

If I may purchase 68 pounds of cheese for £2 12s. 5d., how much would that be per pound?

Bought a quantity of hams, weighing 73 pounds. I am charged for the whole £2 7s. $1\frac{3}{4}d$. I desire to know the cost per pound.

Bought 30 pounds of fresh butter for £1 15s. $7\frac{1}{2}d$. How much is that per pound?

How much is the worth of a pound of Normandy pippins, if £1 6s. 8d. be paid for 40 pounds?

Paid £1 4s. $0\frac{3}{4}d$. for 21 pounds of cocoa. What is the cost of a pound?

At what rate per pound do I purchase coffee, when 75 pounds cost £8 4s. $0\frac{3}{4}d$.?

If £11 17s. 6d. will purchase 57 silk handkerchiefs, what is the price of one?

What must I pay for a hone, supposing 55 are worth £4 17s. $4\frac{3}{4}d$.?

If 46 pounds of lard cost £1 16s. 5d., how much would that be per pound?

Suppose £8 17s. $4\frac{1}{2}d$. will purchase 66 pocket-hand-kerchiefs, how much must I pay for one?

At what rate per pound do I purchase glue, if for 32 pounds I pay 18s.?

If a boat of salmon, containing 101 fish, be valued at £ 6 2s. $0\frac{1}{2}d$, what is that each?

If a grocer wish to obtain £6 6s. $2\frac{1}{4}d$. for 83 pounds of candied lemon-peel, how much must he charge per pound?

What am I charged for a pane of glass, if the cost of 41 panes be £6 2s. $1\frac{3}{4}d$. ?

For how much per pound should a pork-butcher sell sausages, to realize £2 3s. $0\frac{1}{2}d$. by 59 pounds?

If, at an auction, I bid £6 7s. $10\frac{1}{2}d$. for 93 padlocks, what would be the individual cost?

What is stone-blue per pound, if 126 pounds are bought for £15 17s. $7\frac{1}{2}d$.?

How much is a hammer worth, if for £3 16s. $4\frac{1}{2}d$. I can buy 78?

Taking the value of a silk stock at 4s., I wish to know how much I have saved individually by purchasing 63 stocks for £9 15s. $6\frac{3}{2}d$.

If a poulterer purchase 80 pigeons for £2 10s, how much does he gain individually by selling them at 8d. each?

What does a work-box cost if £12 4s. 84d. be paid for 81?

Bought 29 dozen of ivory counters for 16s. $3\frac{3}{4}d$. How much was that per dozen?

If a chest of hyson tea, containing 107 pounds, be sold for £37 17s. 11d., how much is that per pound?

Suppose a cabinet-maker charge £11 1s. 4d. for 64 foot-stools, how much is that each?

If a pedler buy 118 shaving-boxes for £5 10s. $7\frac{1}{2}d$., and sell them at 1s. per box, what is the gain on each?

How much does a bird-trap cost, if £3 19s. $6\frac{1}{2}d$. be paid for 46?

For how much may I buy a half-pint mug, if 54 are worth 15s. 9d.?

Paid £10 16s. 11d. for 76 cigar-cases. How much was that each?

What is the cost of a peck of oats, if £4 11s. $0 \pm d$. be paid for 95 pecks?

What are slippers per pair, when 86 pairs cost £8 12s.?

When the value of 44 trusses of hay is £8 17s. 10d., how much is the worth of a truss?

If 39 sheets of engraved "lines" cost 13s. $9\frac{3}{4}d$, what is that per sheet?

If an iron-monger purchase 74 rakes for £6 15s. 8d., and sell them again for 2s. each, how much is the gain on each?

What is a publican's profit on a quart of vinegar, supposing he sells that quantity for 1s., when 110 quarts cost him £4 9s. $4\frac{1}{2}d$.?

If £13 6s. 6d. be paid for 52 pounds of mixed tea, how much is that per pound?

What are almonds per pound, if £3 1s. $2\frac{1}{2}d$. be paid for 26 pounds?

If I pay £3 3s. $3\frac{1}{2}d$. for 98 pounds of soap, how much is that per pound?

If a milliner pay £7 5s. 10d. for 70 yards of silk, how much is she charged per yard?

What is beef per pound, if 113 pounds are worth £3 1s. $2\frac{1}{2}d$.?

THE END.